

**Spring 2024**

# INTRODUCTION TO COMPUTER VISION

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**Atlas Wang**

Associate Professor, The University of Texas at Austin

**Visual Informatics Group@UT Austin**

<https://vita-group.github.io/>

# Recognition so far

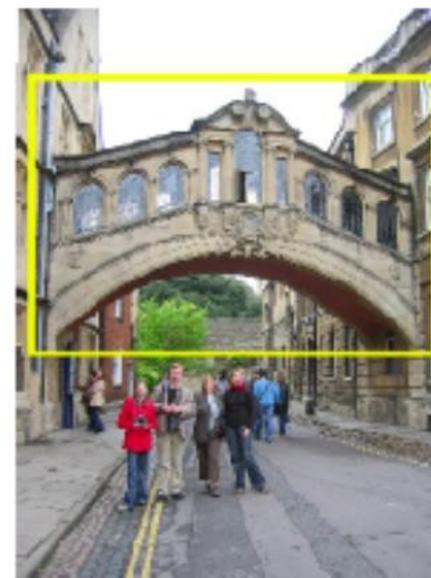
## Category:

- Is this a bedroom?
- What class of scene is this?
- Holistic features/quantization



## Instance:

- Find this specific famous building.
- Find this person.
- Local features/precise correspondence
- Often within a database of images

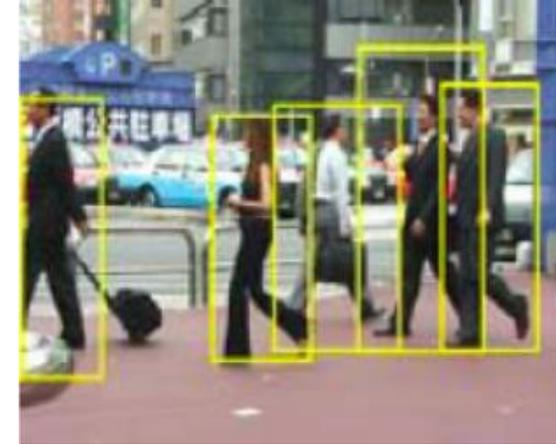


*“Image classification is not real computer vision... so don't be too obsessed with that”*

# Recognition so far

## Object (category) detection:

- Find all the people
- Find all the faces
- Often within a single image
- Often ‘sliding window’



Scenes have “stuff” – distribution of materials and surfaces with arbitrary shape.

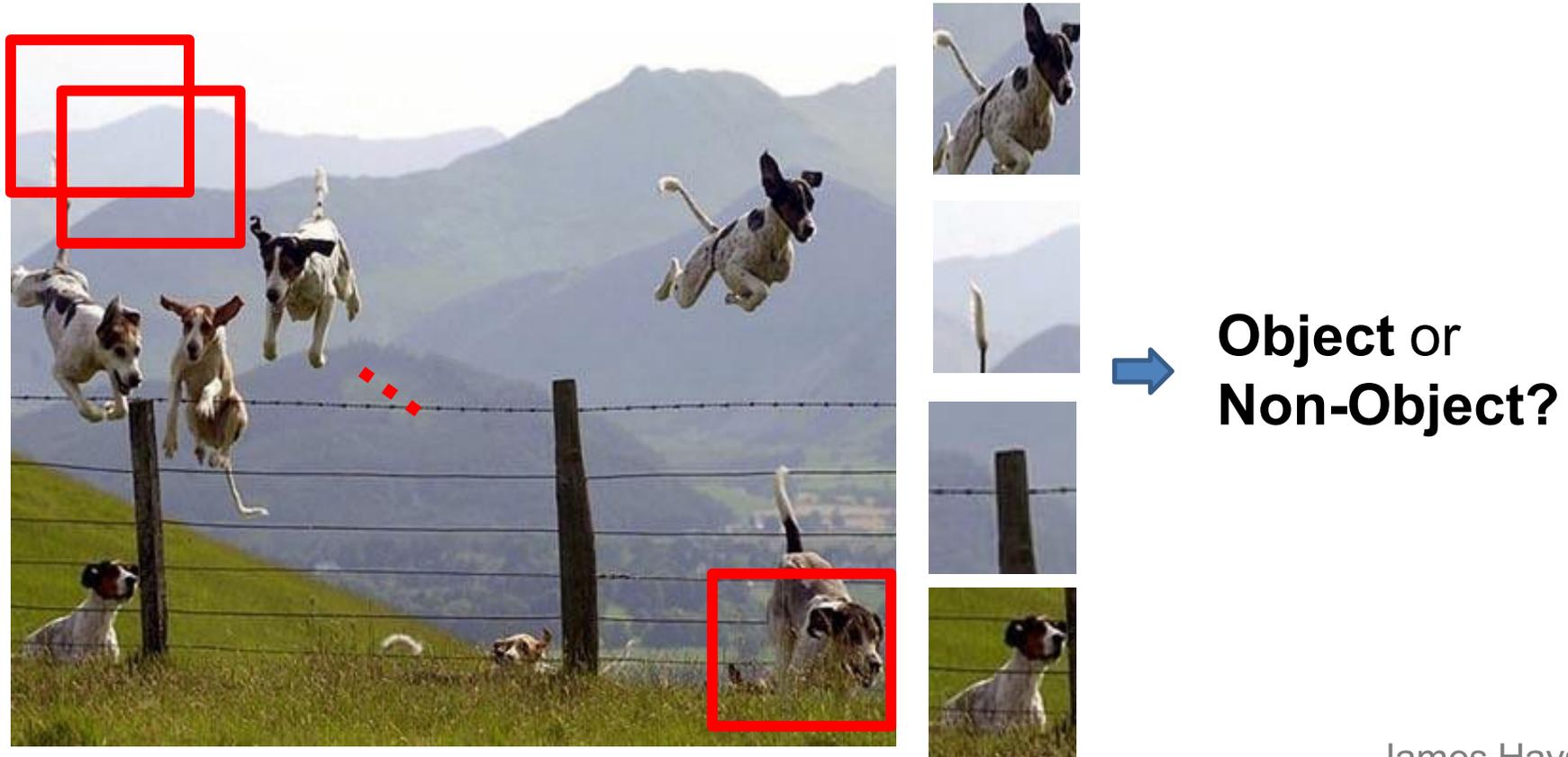
- Bag of Words ok!

Objects are “things” with shape, boundaries.

- **Bag of Words less ok as spatial layout is lost!**

# Object Category Detection

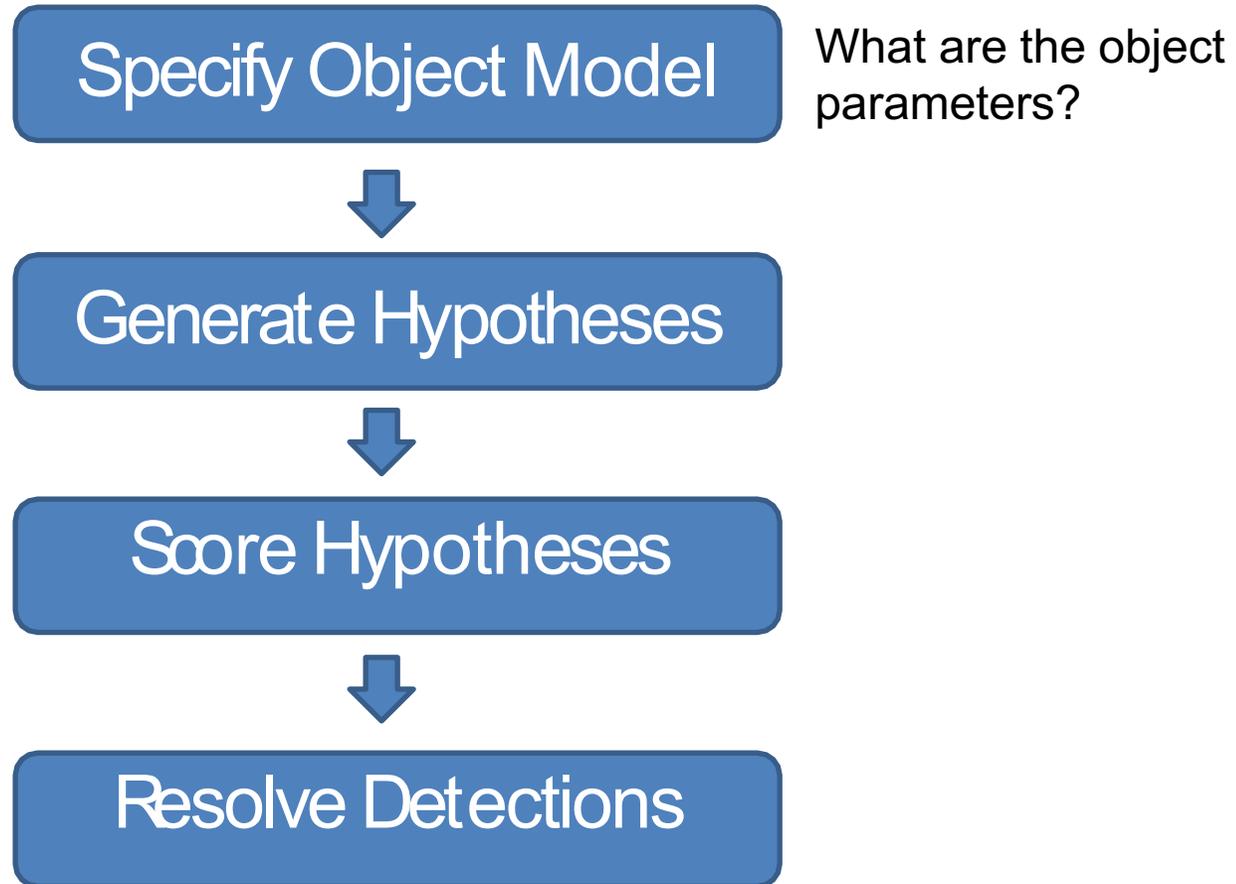
- Focus on object search: “Where is it?”
- Build templates that quickly differentiate object patch from background patch



# Object Detection Design challenges

- How to efficiently search for likely objects
  - Even simple models require searching hundreds of thousands of positions and scales.
- Feature design and scoring
  - How should appearance be modeled?
  - What features correspond to the object?
- How to deal with different viewpoints?
  - Often train different models for a few different viewpoints

# General Process of Object Detection



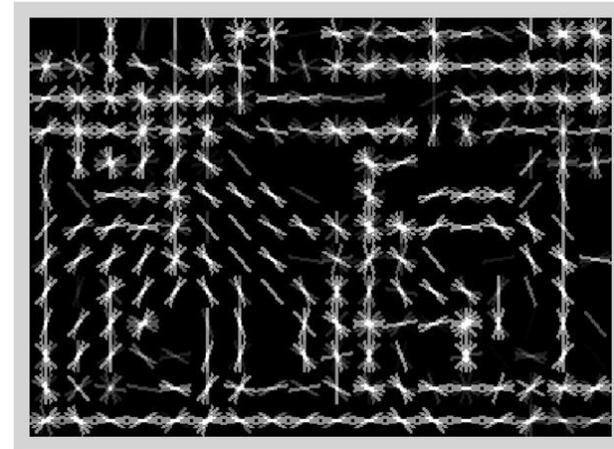
# Specifying an object model

## 1. Statistical Template in Bounding Box

- Object is some  $(x,y,w,h)$  in image
- Features defined wrt bounding box coordinates



Image

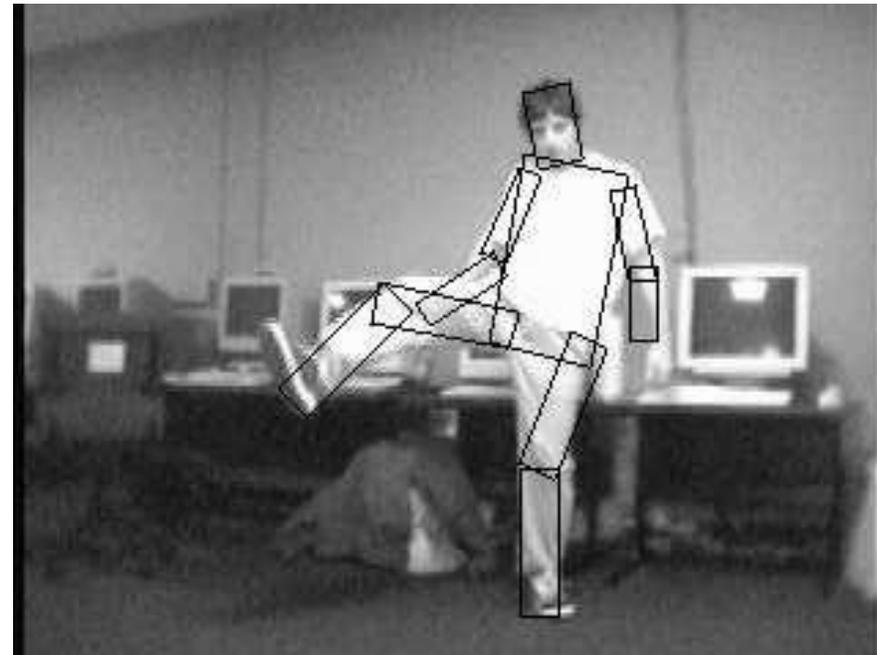
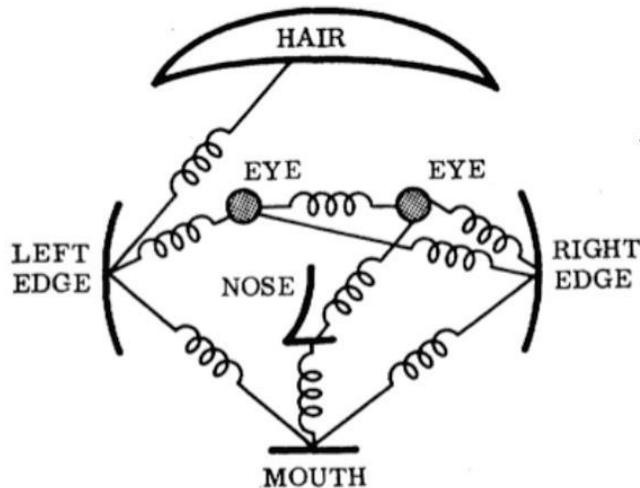


Template Visualization

# Specifying an object model

## 2. Articulated parts model

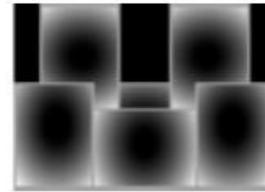
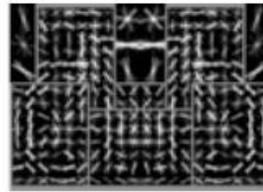
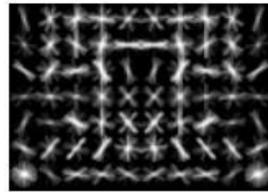
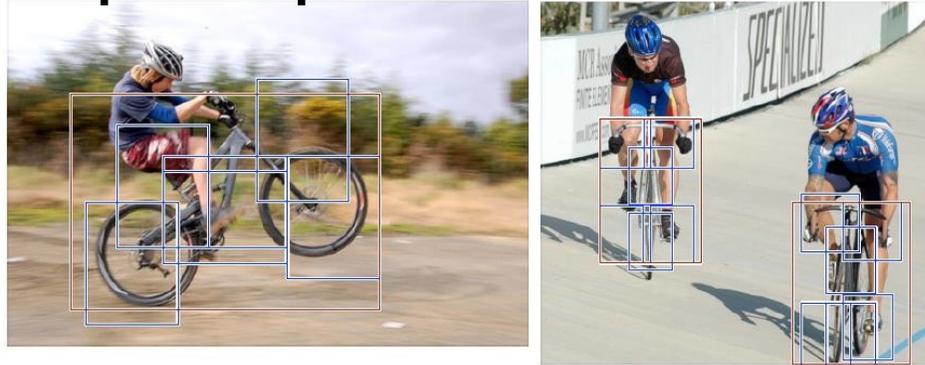
- Object is configuration of parts
- Each part is detectable



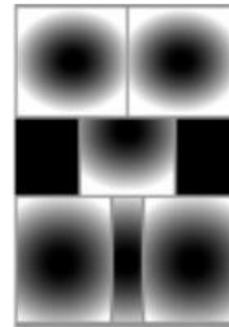
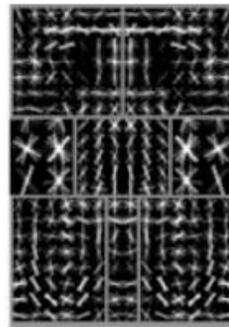
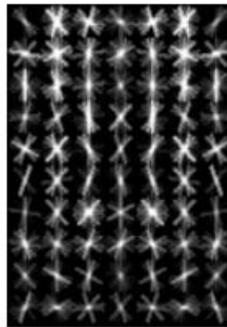
# Specifying an object model

## 3. Hybrid template/parts model

Detections



Template Visualization



root filters  
coarse resolution

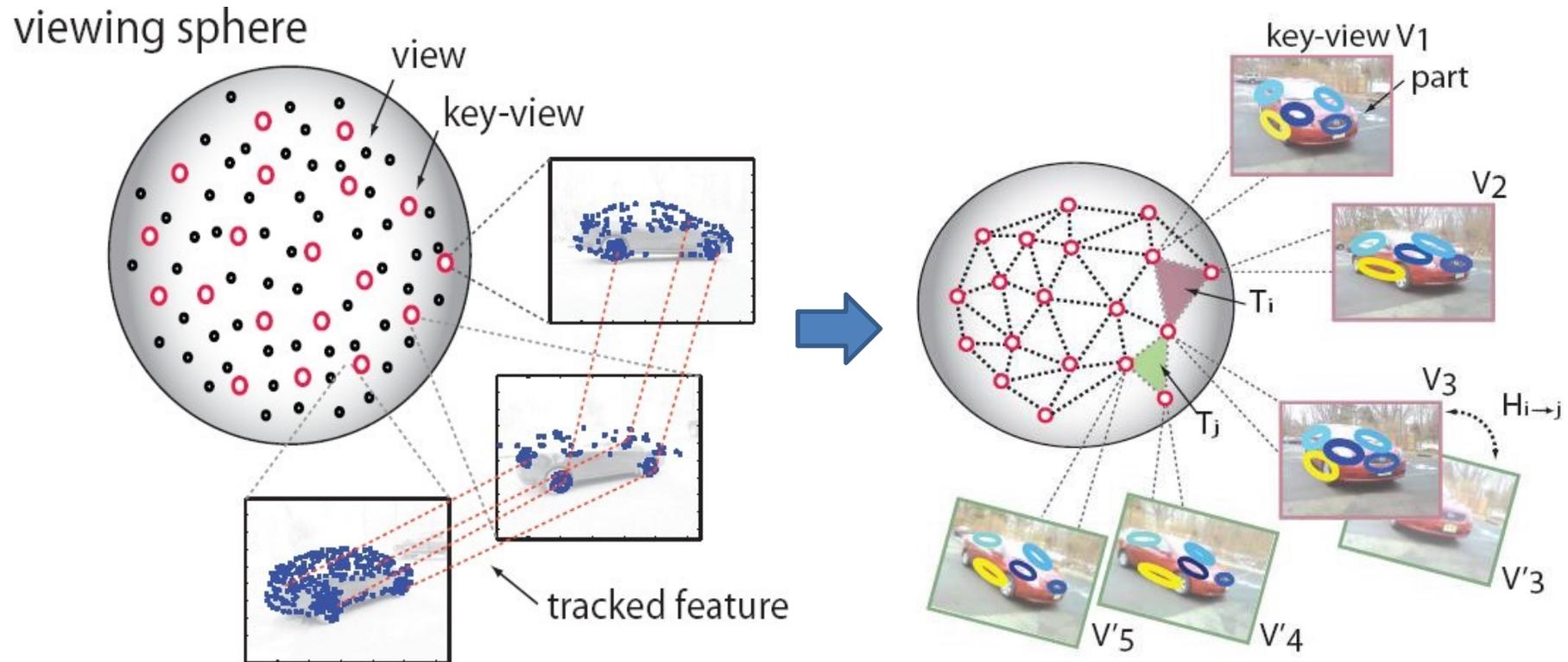
part filters  
finer resolution

deformation  
models

# Specifying an object model

## 4. 3D-ish model

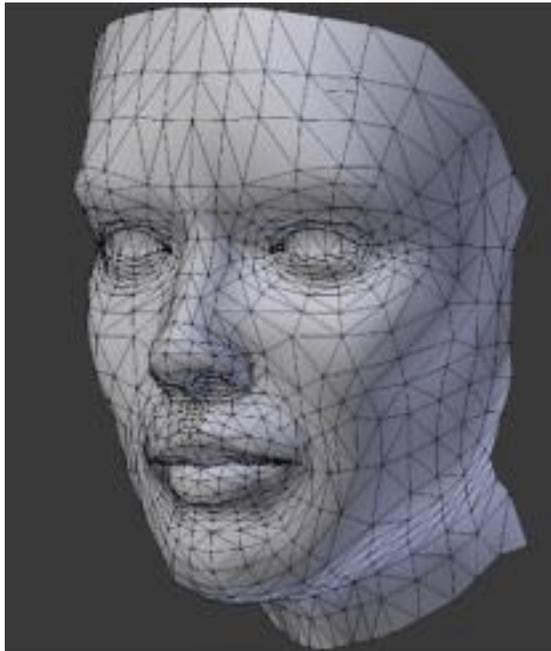
- Object is collection of 3D planar patches under affine transformation



# Specifying an object model

## 5. Deformable 3D model

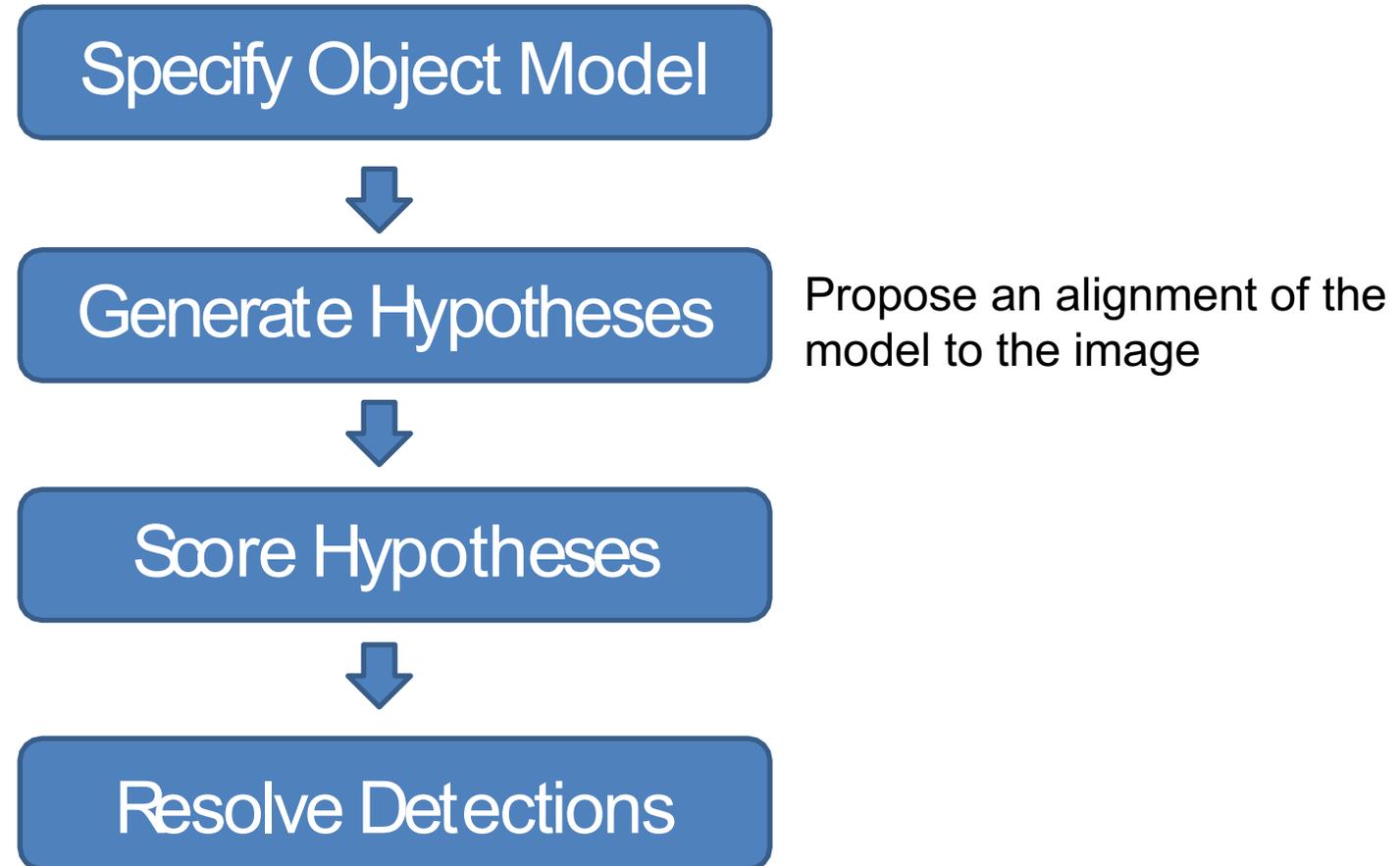
- Object is a parameterized space of shape/pose/deformation of class of 3D object



Why not just pick the most complex model?

- Inference is harder
  - More parameters
  - Harder to ‘fit’ (infer / optimize fit)
  - Longer computation
  - Need more in-domain prior knowledge
- “**Bounding Box**” is still practically the most popular

# General Process of Object Detection



# Generating hypotheses

1. 2D template model / sliding window
  - Test patch at each location and scale



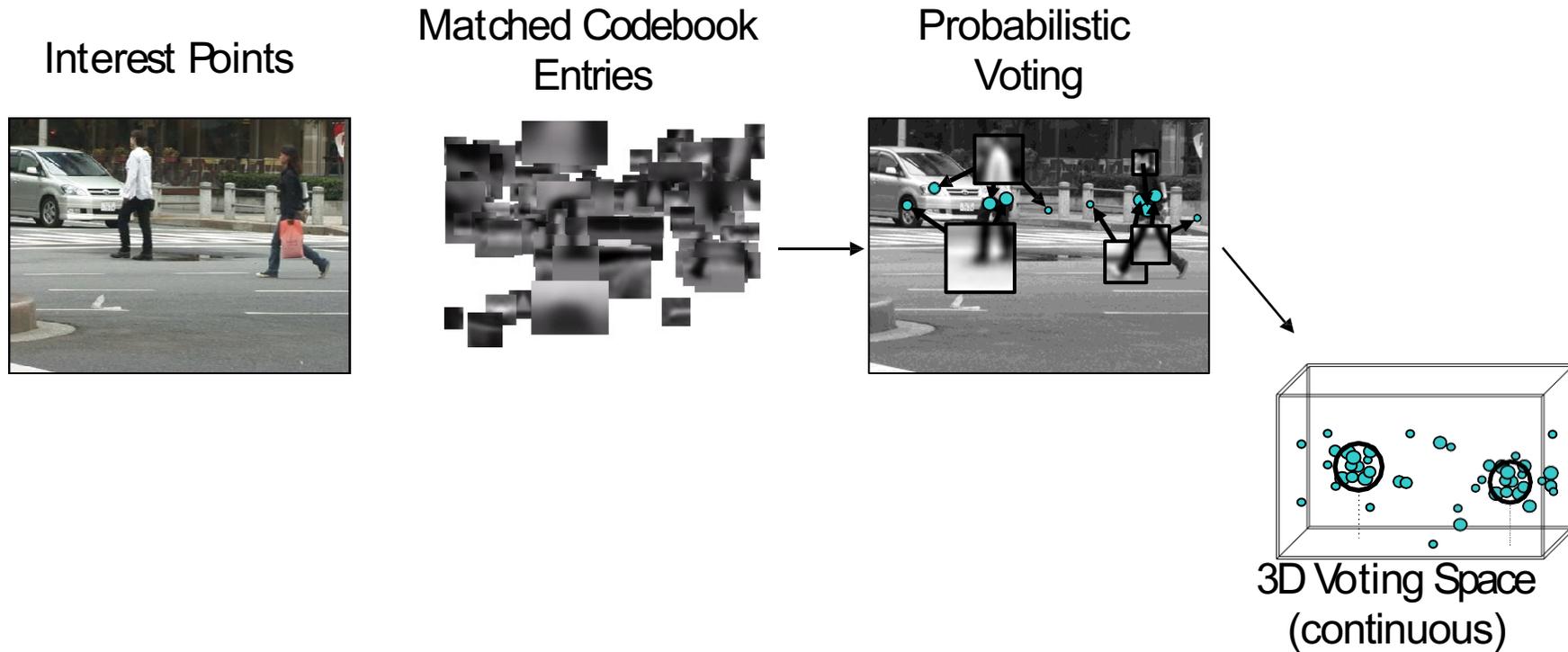
Note – Template did not change size

Each window is separately classified

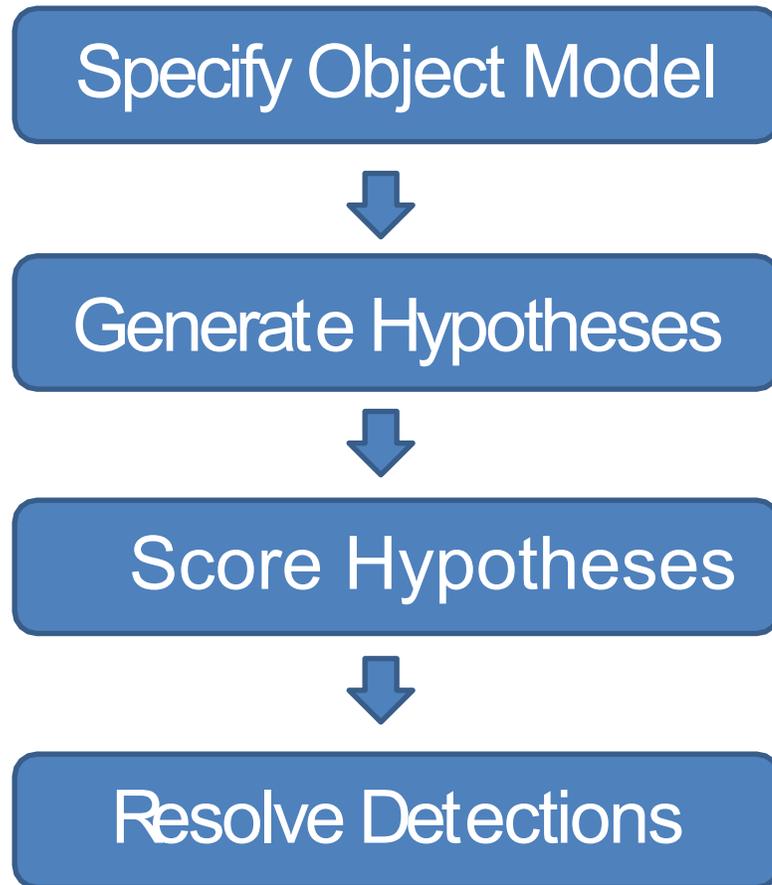


# Generating hypotheses

## 2. Voting from patches/keypoints

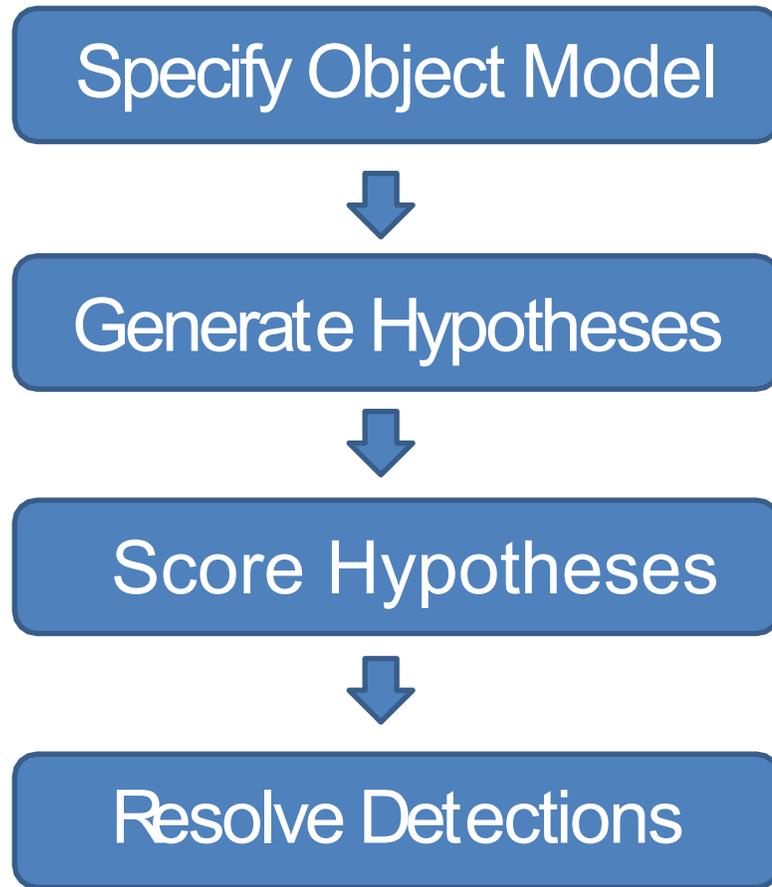


# General Process of Object Detection



Mainly gradient-based features, usually based on summary representation, many classifiers.

# General Process of Object Detection



“Globally ”rescore each proposed object based on whole set, to resolve conflicts (non-max suppression, context-reasoning...)

# Influential Works in Object Detection

- Sung-Poggio (1994, 1998) : ~2000 citations
  - Basic idea of statistical template detection, bootstrapping to get “face-like” negative examples, multiple whole-face prototypes (in 1994)
- Rowley-Baluja-Kanade (1996-1998) : ~3600
  - “Parts” at fixed position, non-maxima suppression, simple cascade, rotation, pretty good accuracy, fast
- Schneiderman-Kanade (1998-2000,2004) : ~1700
  - Careful feature engineering, excellent results, cascade
- **Viola-Jones** (2001, 2004) : ~13,000
  - Haar-like features, Adaboost as feature selection, hyper-cascade, very fast
- **Dalal-Triggs** (2005) : ~16,000 citations
  - Careful feature engineering, excellent results, HOG feature, online code
- Felzenszwalb-McAllester-Ramanan (2008): ~4,600 citations
  - Template/parts-based blend
- **Girshick** et al. (2013): ~2000 citations
  - R-CNN/ Fast R-CNN/ Faster R-CNN. Deep learned models on object proposals.

# Evaluating a detector



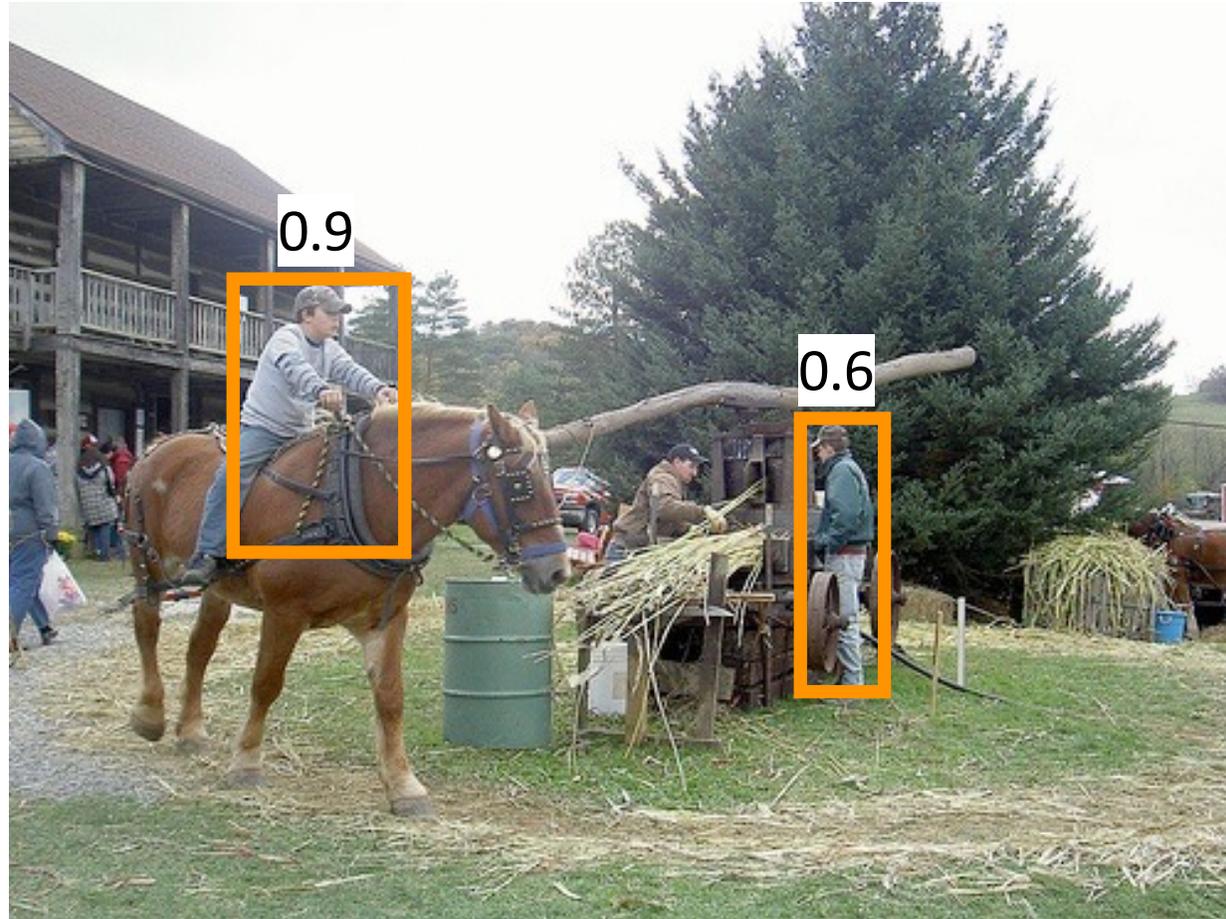
Test image (previously unseen)

# First detection ...



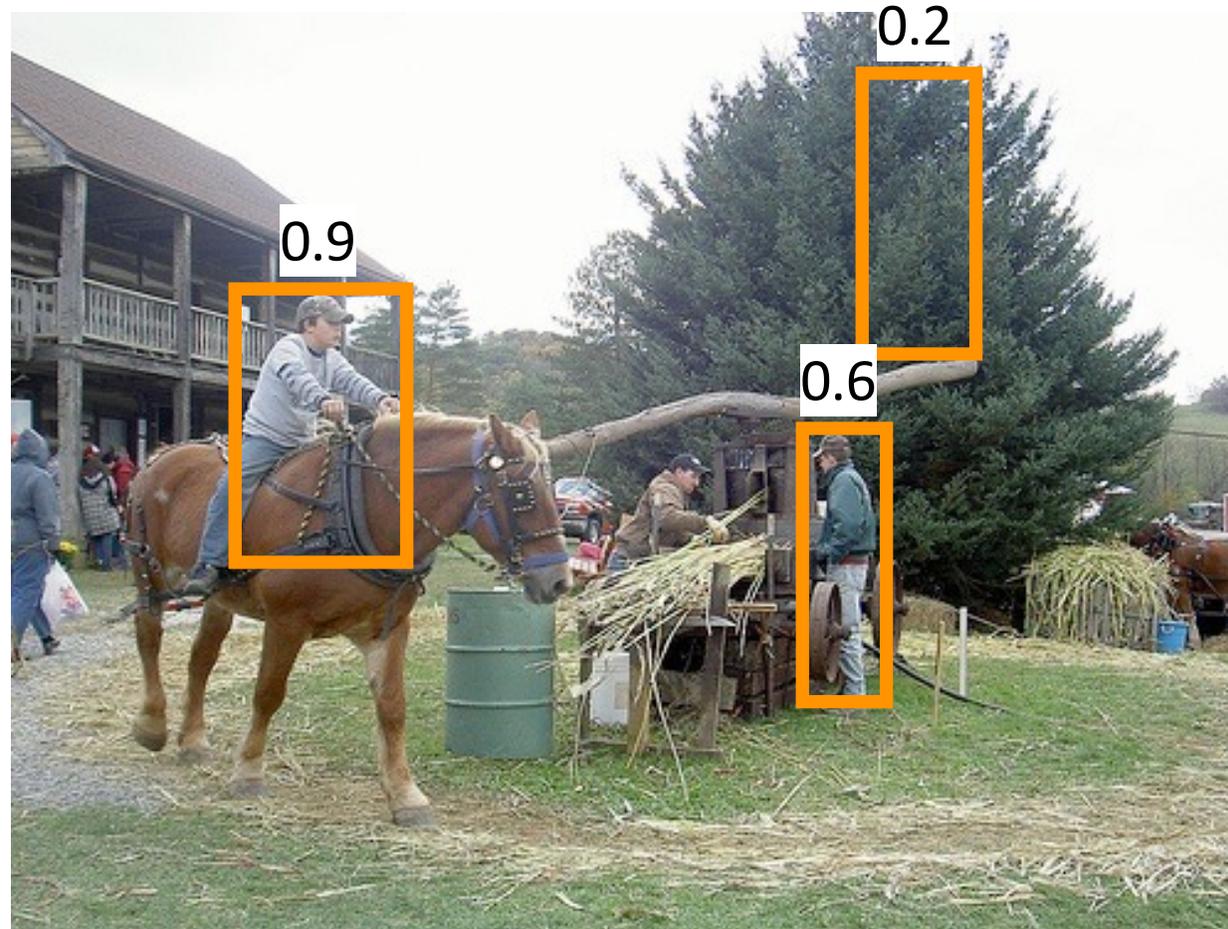
 'person' detector predictions

# Second detection ...



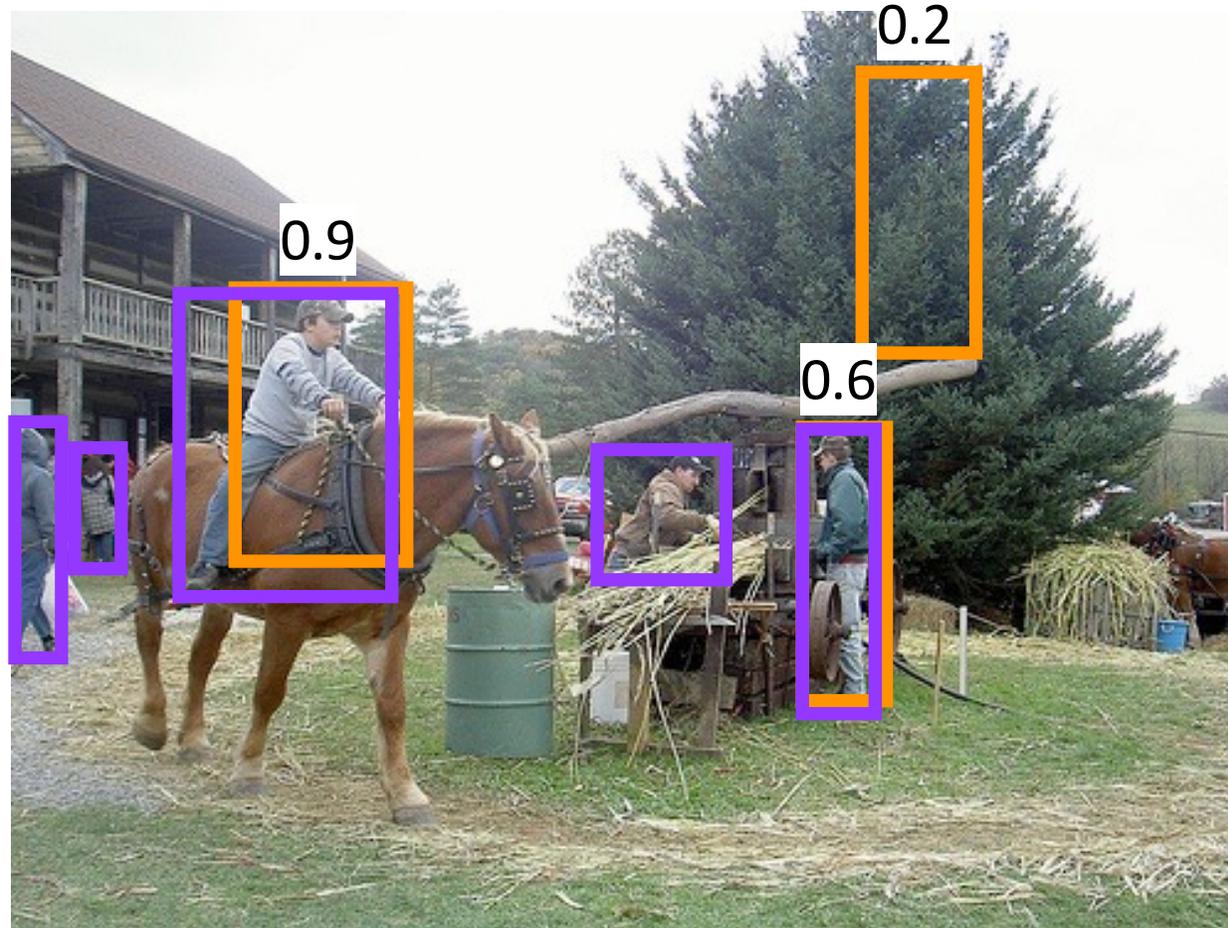
 'person' detector predictions

# Third detection ...



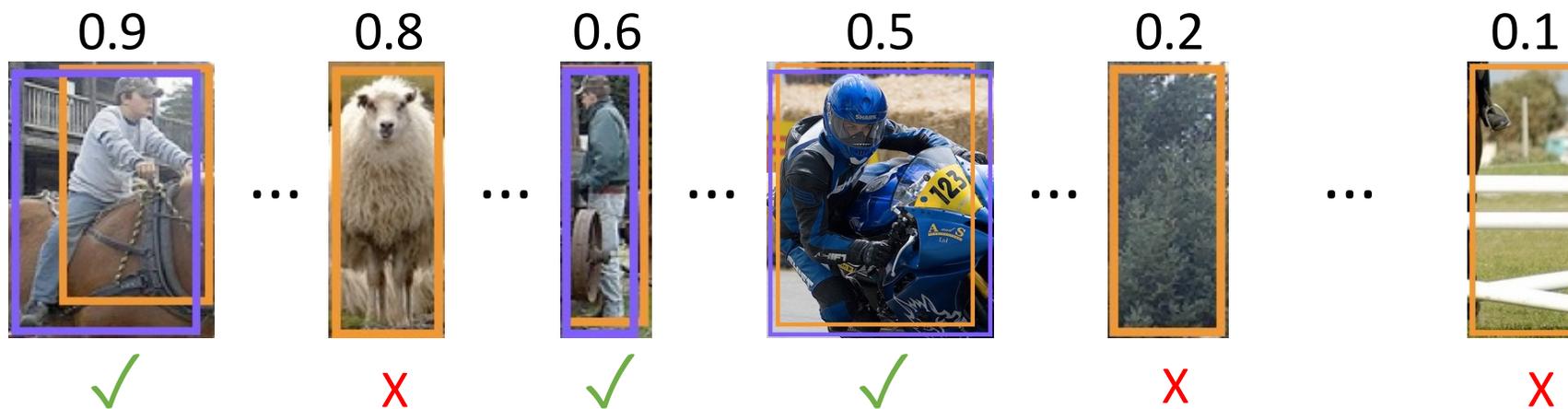
 'person' detector predictions

# Compare to ground truth



-  'person' detector predictions
-  ground truth 'person' boxes

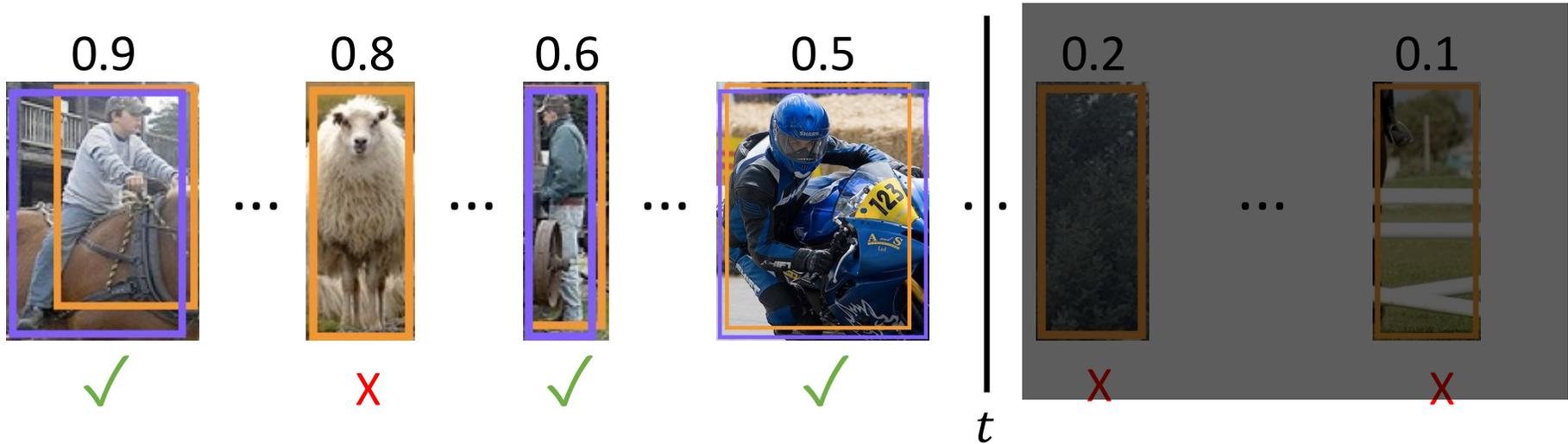
# Sort by confidence



true  
positive  
(high overlap)

false  
positive  
(no overlap,  
low overlap, or  
duplicate)

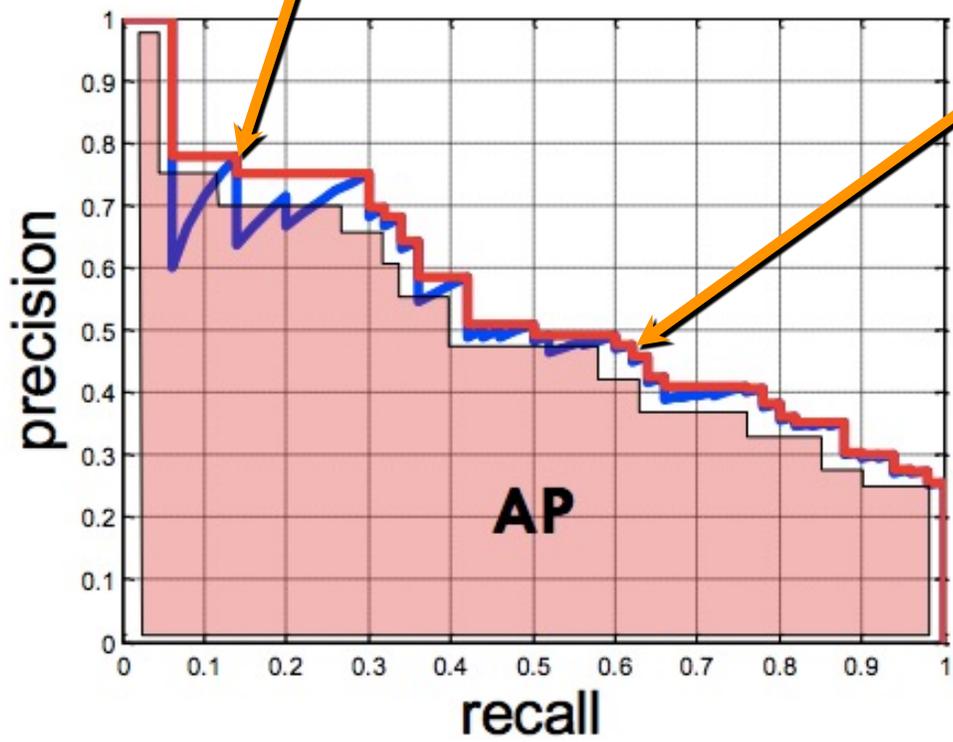
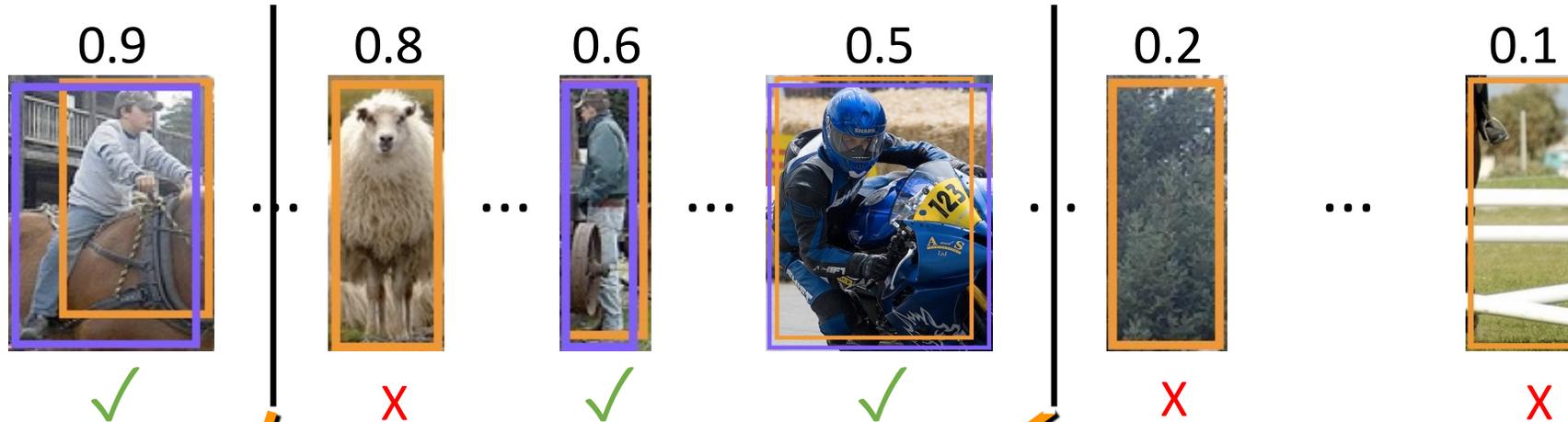
# Evaluation metric



$$precision@t = \frac{\#true\ positives@t}{\#true\ positives@t + \#false\ positives@t} \quad \frac{\checkmark}{\checkmark + \times}$$

$$recall@t = \frac{\#true\ positives@t}{\#ground\ truth\ objects}$$

# Evaluation metric



Average Precision (AP)  
0% is worst  
100% is best

mean AP over classes (mAP)

# Dalal-Triggs Object Detector



- Histograms of Oriented Gradients for Human Detection, [Navneet Dalal](#), [Bill Triggs](#), International Conference on Computer Vision & Pattern Recognition - June 2005
- <http://lear.inrialpes.fr/pubs/2005/DT05/>

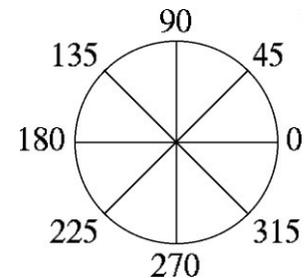
# Example: Dalal-Triggs pedestrian detection



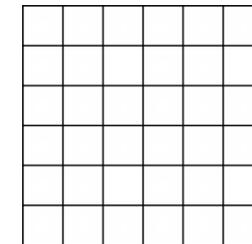
1. Extract fixed-sized (64x128 pixel) **window** at each position and scale
2. Compute **HOG** (histogram of oriented gradient) features within each window
3. Score the window with a **linear SVM classifier**
4. Perform **non-maxima suppression** to remove overlapping or conflicting detections with lower scores

# Histogram of Oriented Gradients

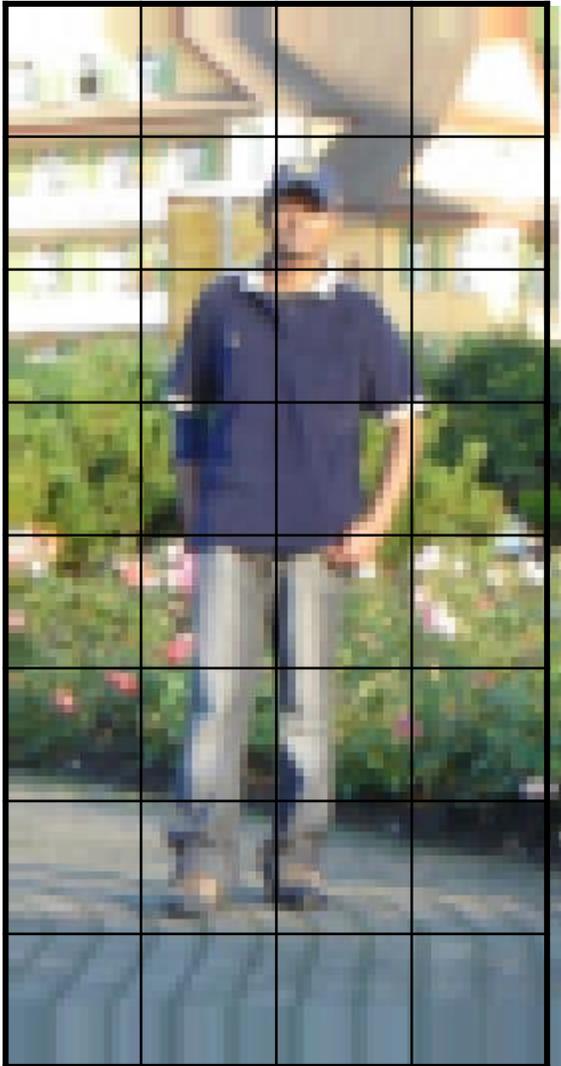
Orientation by bins



Histograms over  
 $k \times k$  pixel cells



– Votes weighted by magnitude



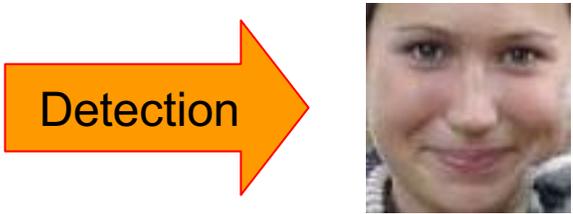
Dalal-Triggs uses a template with a **rigid form**

- Human bodies are boxed shaped
- That's why Dalal-Triggs is best known for pedestrian detection

But...is there a way to learn the spatial layout more **fluidly**?

- Might help us capture more appearance variation...
- What about faster, too? Since many positions might be “filtered”

# Face detection and recognition



# Challenges of Face Detection

Sliding window = tens of thousands of location/scale evaluations, especially since faces are small

- One megapixel image has  $\sim 10^6$  pixels
- ...and a comparable number of candidate face locations

Faces are also rare: 0–10 per image

- For computational efficiency, spend as little time as possible on non-face windows.
- For 1M pix, to avoid having a false positive in every image, our false positive rate must be less than  $10^{-6}$

# The Viola/Jones Face Detector

A seminal approach to real-time object detection

**Training is slow, but detection is very fast**

Key ideas:

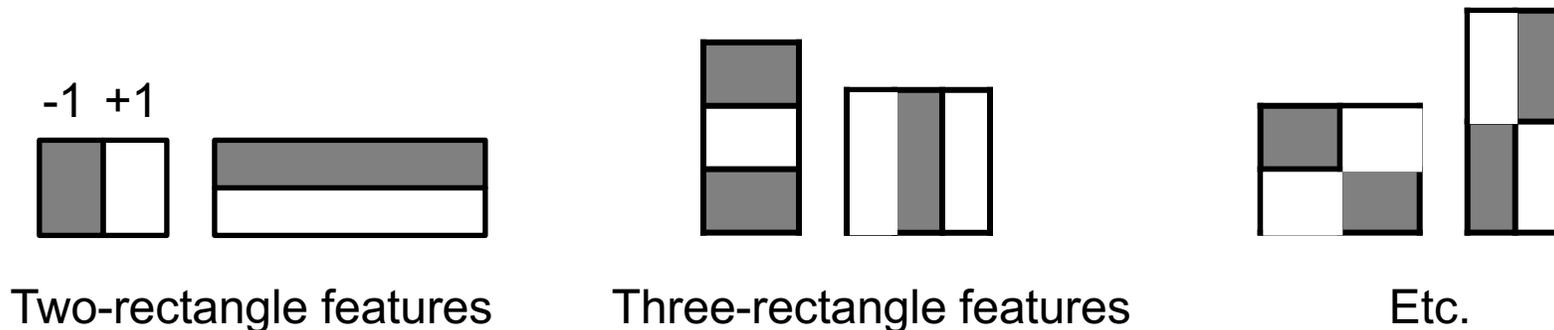
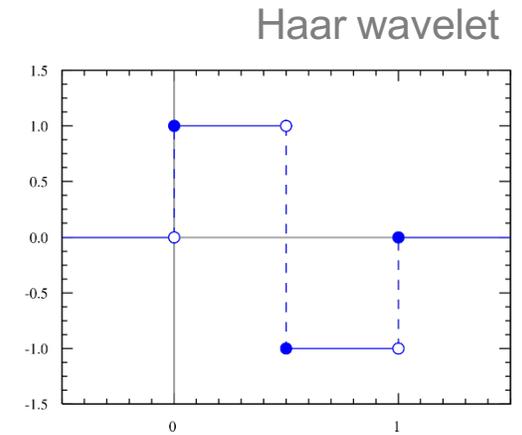
1. *Integral images* for fast feature evaluation
2. *Boosting* for feature selection
3. *Attentional cascade* for fast non-face window rejection

[P. Viola and M. Jones. \*Rapid object detection using a boosted cascade of simple features\*. CVPR 2001.](#)

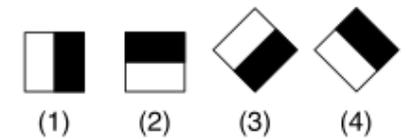
[P. Viola and M. Jones. \*Robust real-time face detection\*. IJCV 57\(2\), 2004.](#)

# “ Haar-like features”

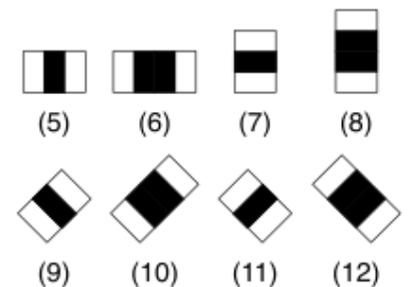
- Binary-valued filters, computing differences of sums of intensity between two regions
- Computed at different positions and scales within sliding window
- Very fast to compute (thanks to a clever implementation trick called “integral image”)



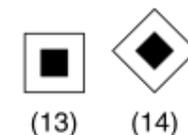
Edge features



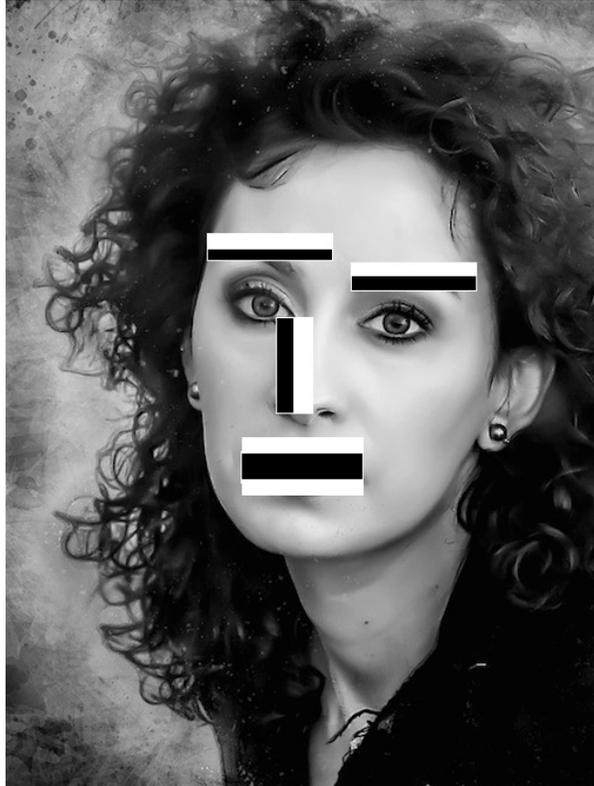
Line features



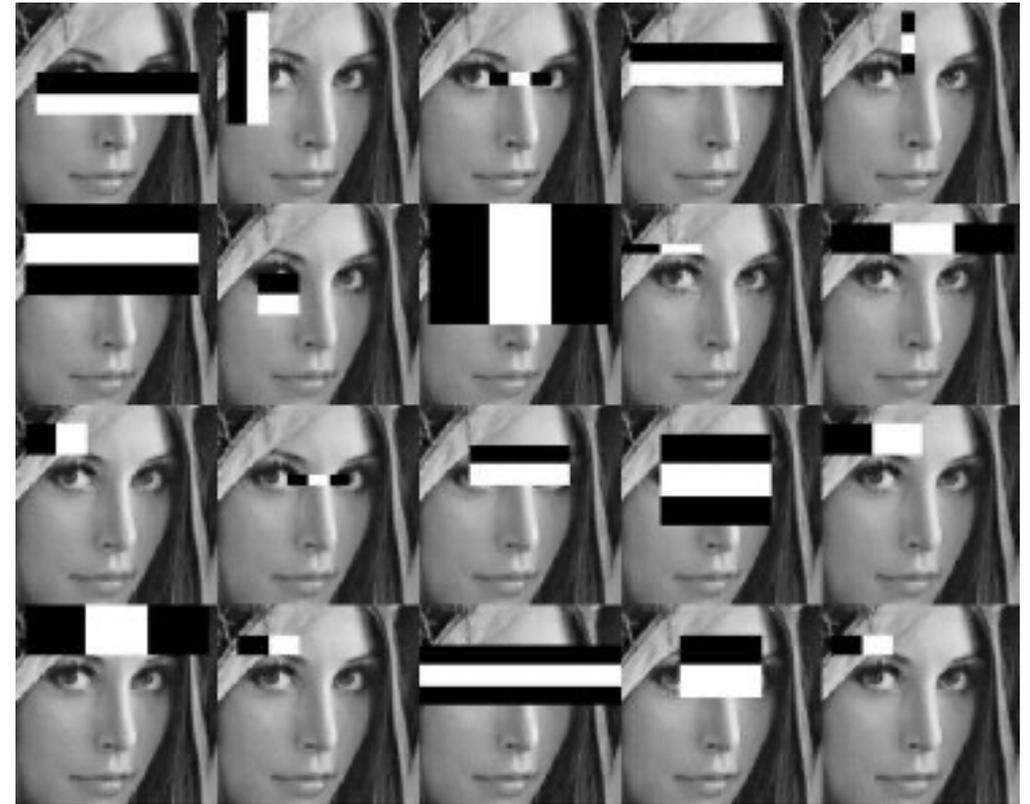
Center-surround features



# Why “Haar-like features”?

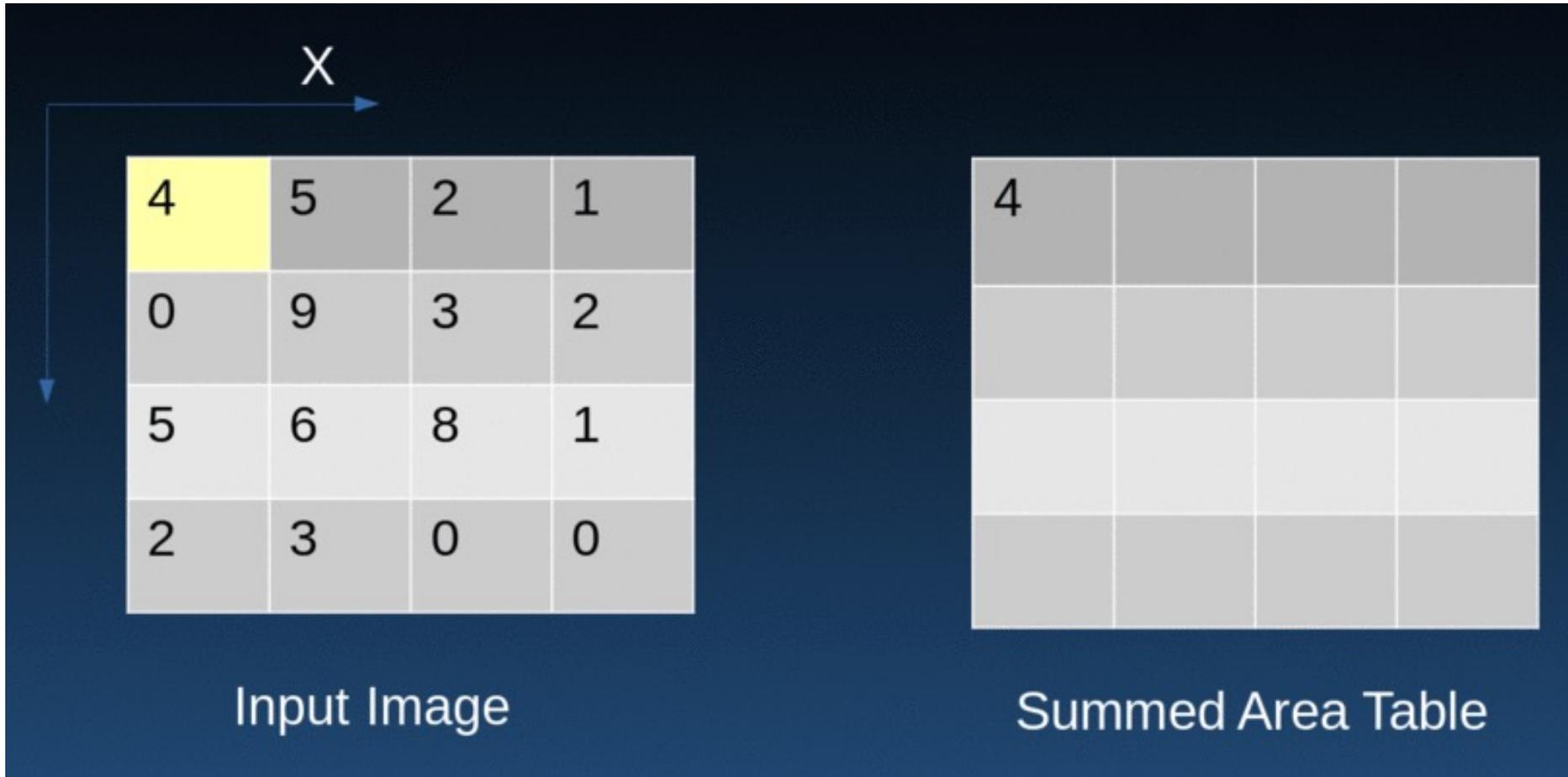


Example: Two “eyebrow” filters, one “nose” filter, and one “mouth” filter



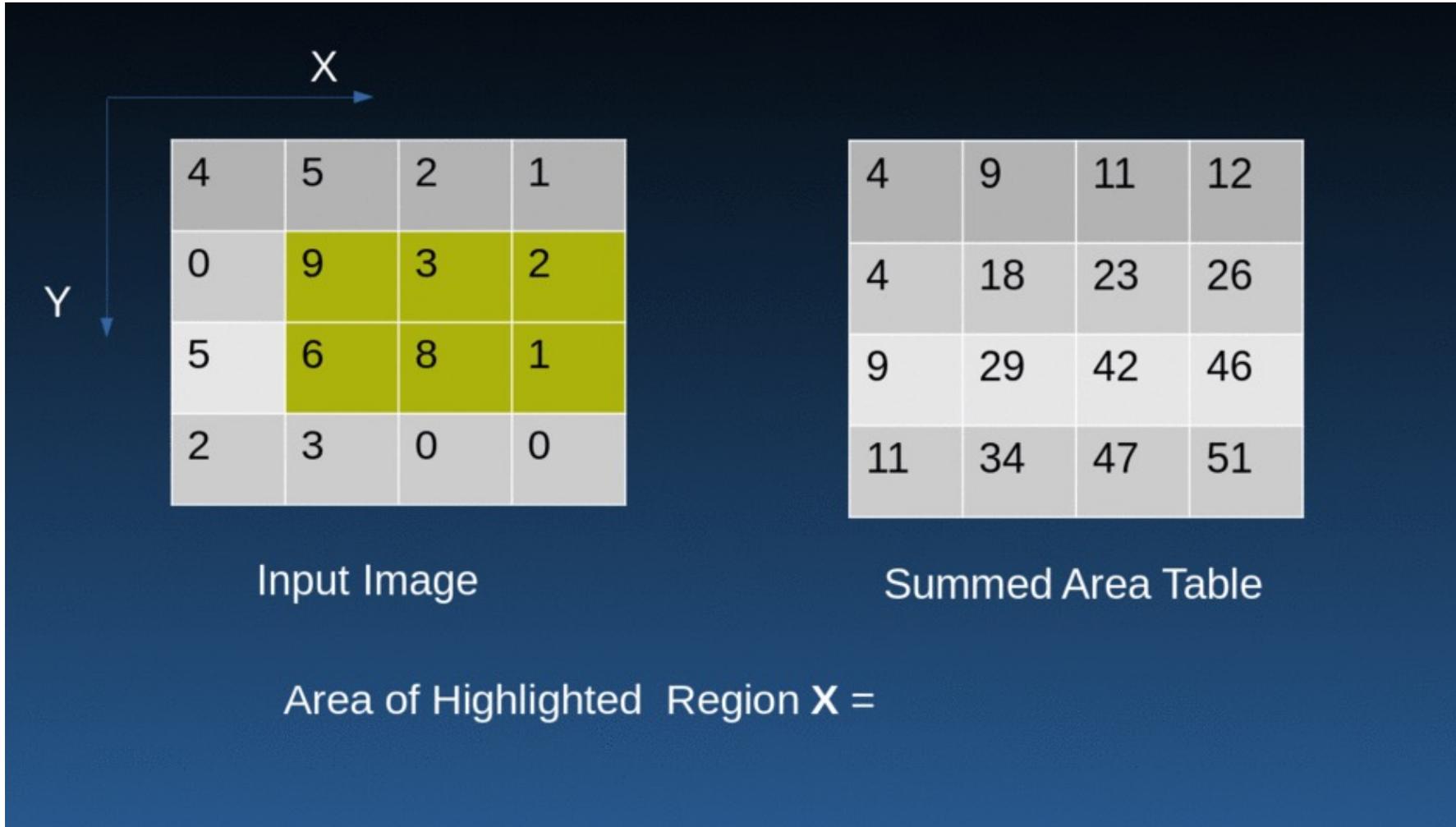
- Harr features are **NOT ROBUST**, but **CHEAP** to compute
- For example, with a human face, it is a common observation that among all **faces the region of the eyes is darker than the region of the cheeks**.
  - Therefore, a common Haar feature for face detection is **a set of two adjacent rectangles that lie above the eye and the cheek region**. The position of these rectangles is defined relative to a face bounding box

# How to Speedup “Haar-like features”? **Integral Image**



**$O(N)$**  complexity  
to build the  
integral image,  $N$   
= pixel number

# How to Speedup “Haar-like features”? **Integral Image**



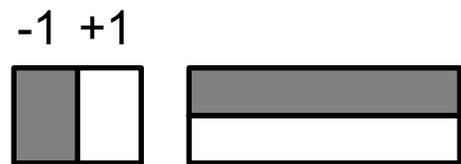
**O(1)** complexity to compute the partial region sum, **regardless of region size!**

But these features are rubbish...!

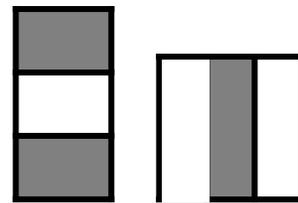
Yes, individually they are 'weak classifiers'

*Jargon: 'feature' and 'classifier' are used interchangeably here.  
Also with 'learner', 'filter'.*

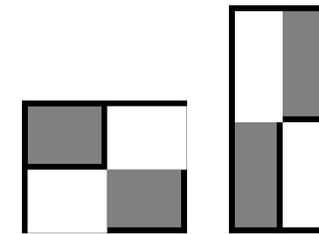
But, what if we combine *thousands* of them...



Two-rectangle features



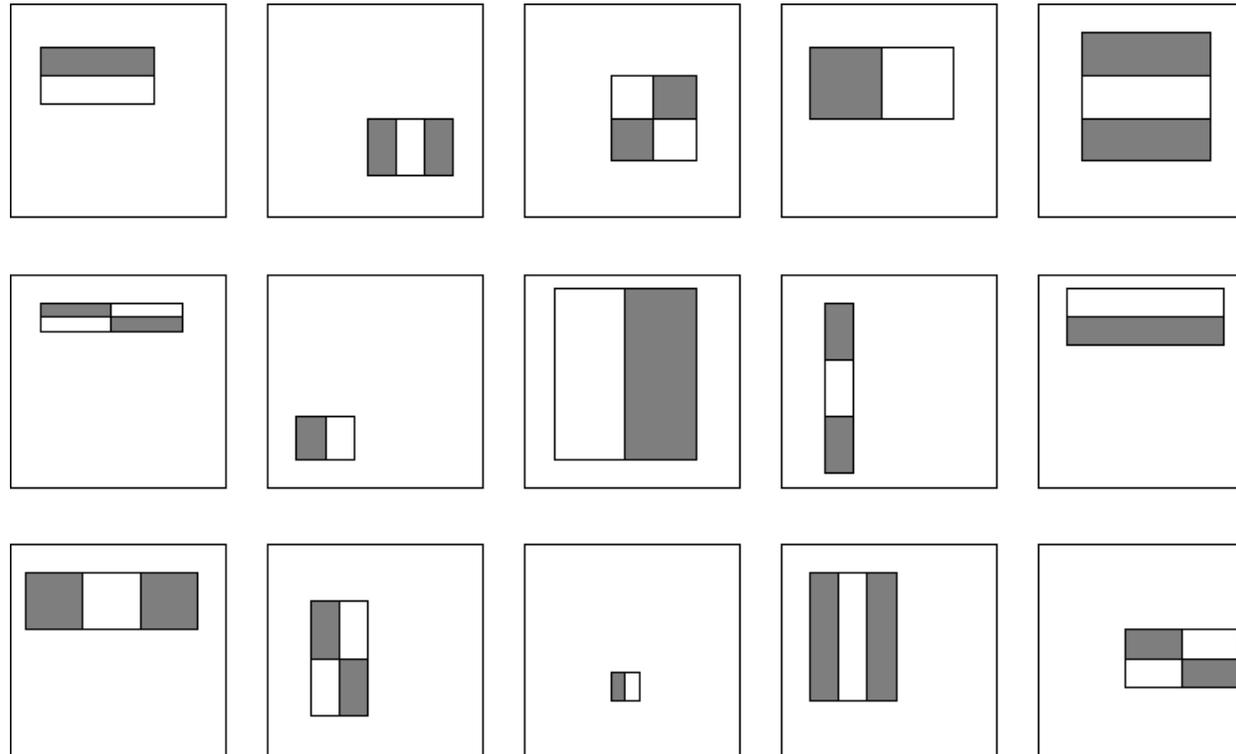
Three-rectangle features



Etc.

# How many features are there?

For a 24x24 detection region, the number of possible rectangle features is ~160,000!



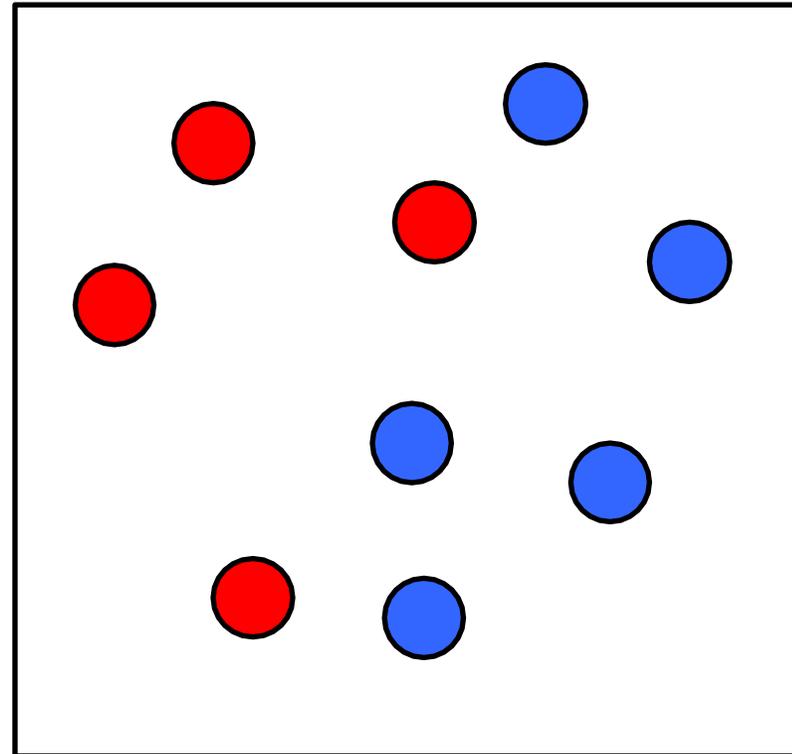
# How many features are there?

- For a 24x24 detection region, the number of possible rectangle features is ~160,000!
- At test time, it is impractical to evaluate the entire feature set.
- Can we learn a 'strong classifier' using just a small subset of all possible features?

# *Boosting* for feature selection

Initially, weight each training example equally.

Weight = size of point



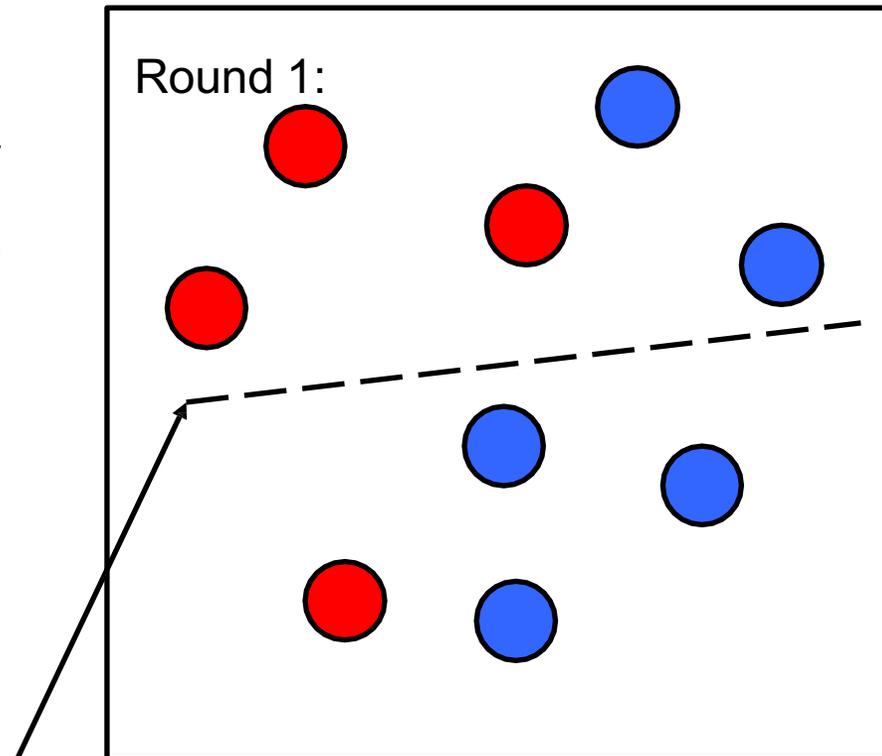
# *Boosting* for feature selection

In each boosting round:

Find the weak classifier that achieves the lowest *weighted* training error.

Raise the weights of training examples misclassified by current weak classifier.

**Weak  
Classifier 1**



# Boosting illustration

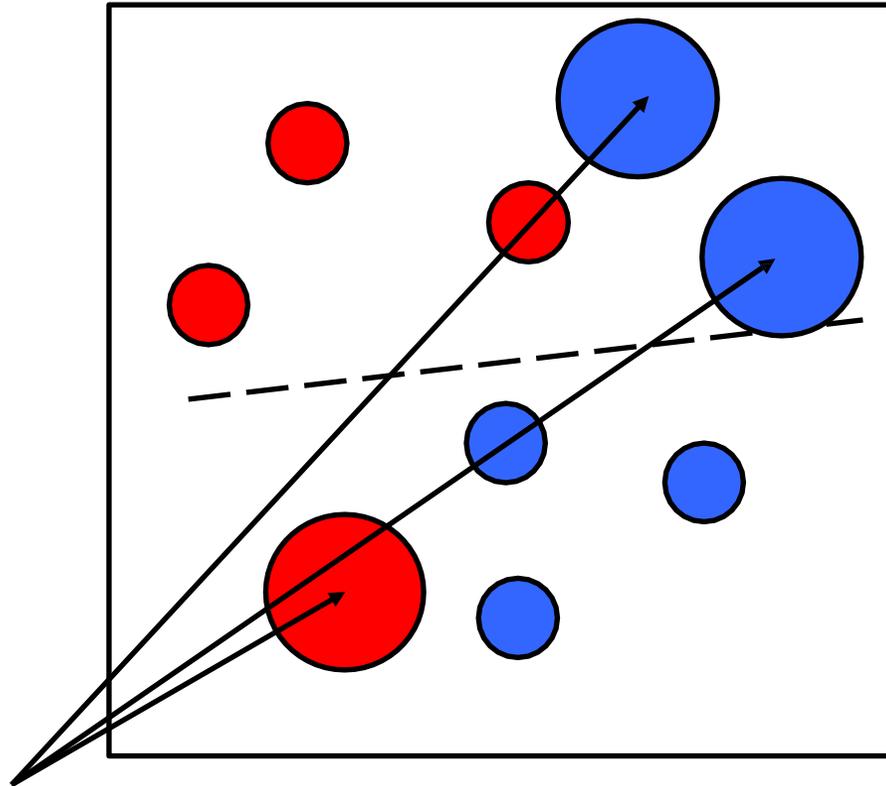
In each boosting round:

Find the weak classifier that achieves the lowest *weighted* training error.

Raise the weights of training examples misclassified by current weak classifier.

**Weights  
Increased**

Round 1:



# Boosting illustration

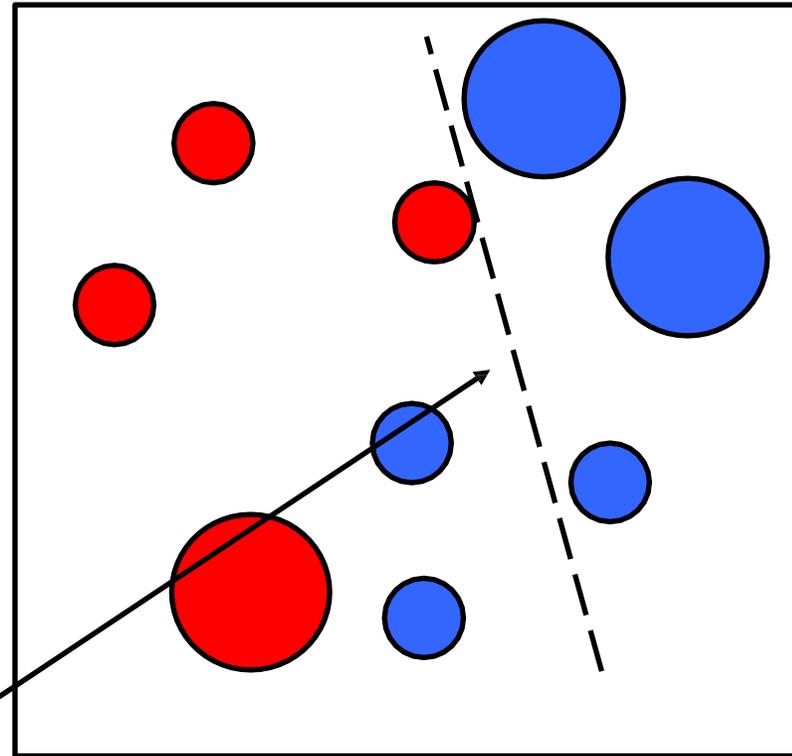
In each boosting round:

Find the weak classifier that achieves the lowest *weighted* training error.

Raise the weights of training examples misclassified by current weak classifier.

**Weak  
Classifier 2**

Round 2:



# Boosting illustration

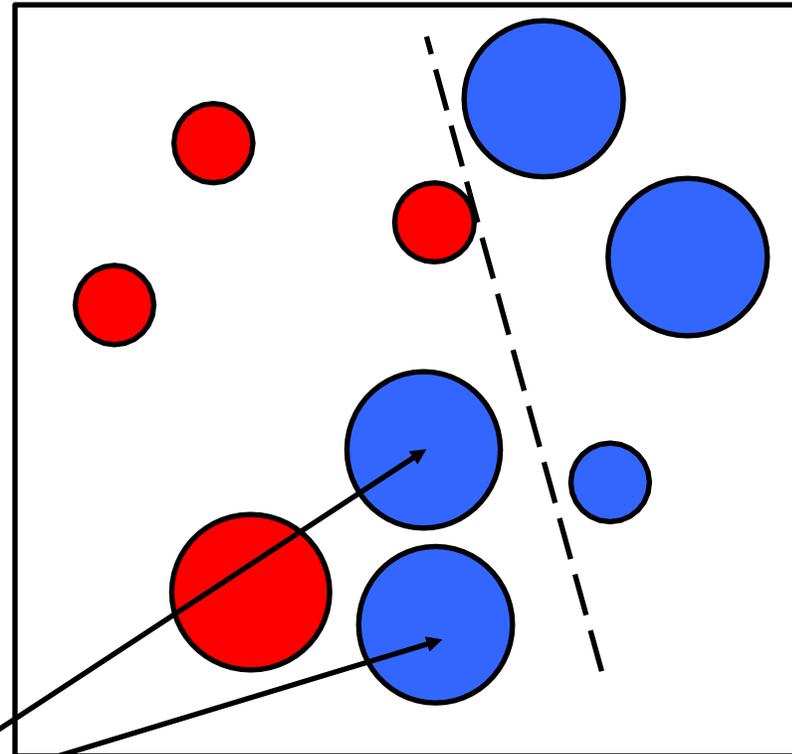
In each boosting round:

Find the weak classifier that achieves the lowest *weighted* training error.

Raise the weights of training examples misclassified by current weak classifier.

**Weights  
Increased**

Round 2:



# Boosting illustration

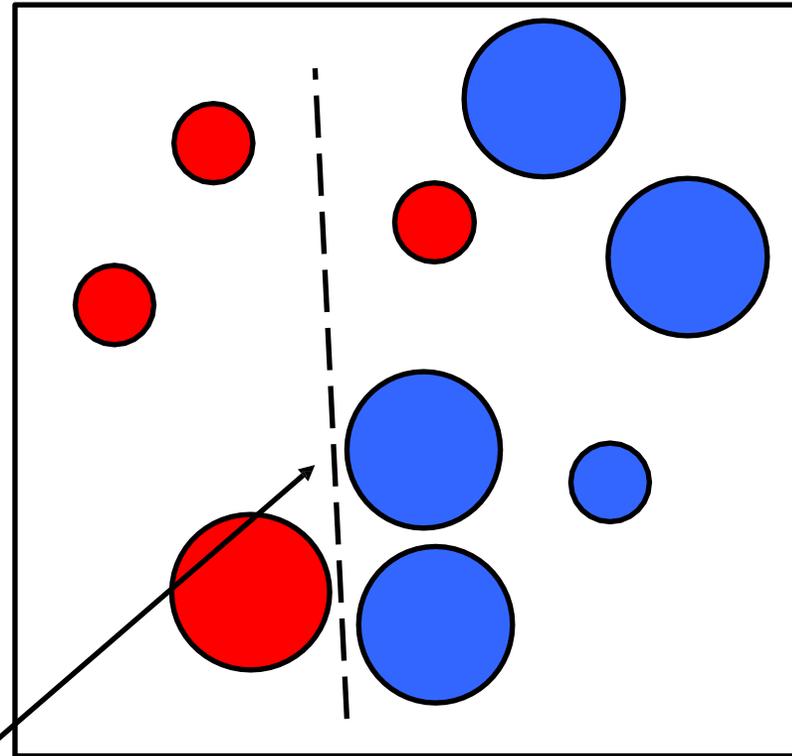
In each boosting round:

Find the weak classifier that achieves the lowest *weighted* training error.

Raise the weights of training examples misclassified by current weak classifier.

**Weak  
Classifier 3**

Round 3:

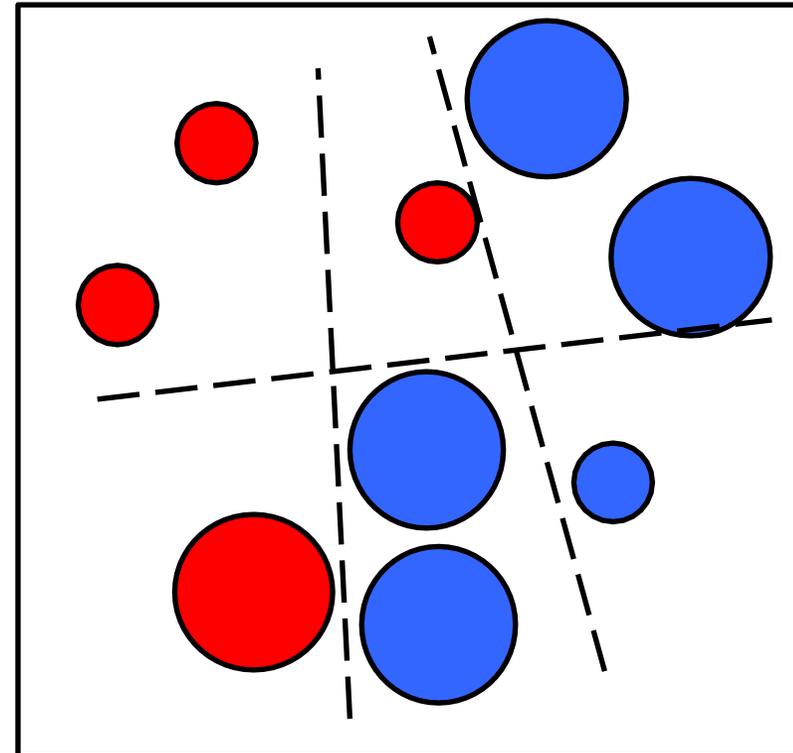


# Boosting illustration

Compute final classifier as linear combination of all weak classifier.

Weight of each classifier is directly proportional to its accuracy.

Round 3:



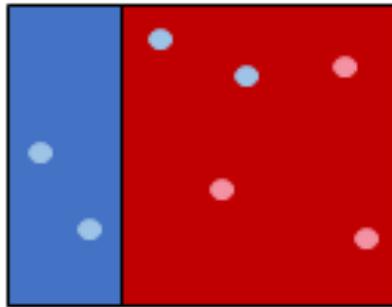
Exact formulas for re-weighting and combining weak learners depend on the boosting scheme (e.g., AdaBoost).

Y. Freund and R. Schapire, [A short introduction to boosting](#),  
*Journal of Japanese Society for Artificial Intelligence*, 14(5):771-780, September, 1999.

# Boosting illustration: Overall Workflow

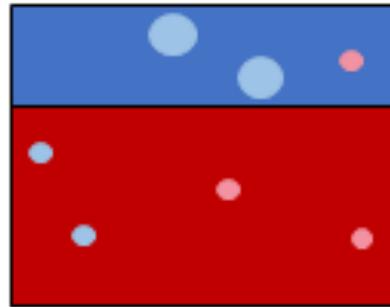
## AdaBoost:

- Combining **weak learners** (decision trees)
- Assigning **weights** to incorrect values
- **Sequential tree growing** considering past mistakes



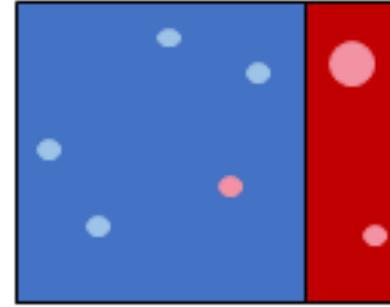
Results of tree 1

+



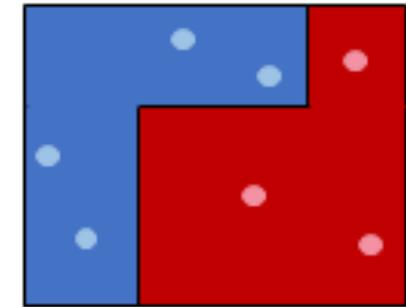
Results of tree 2

+



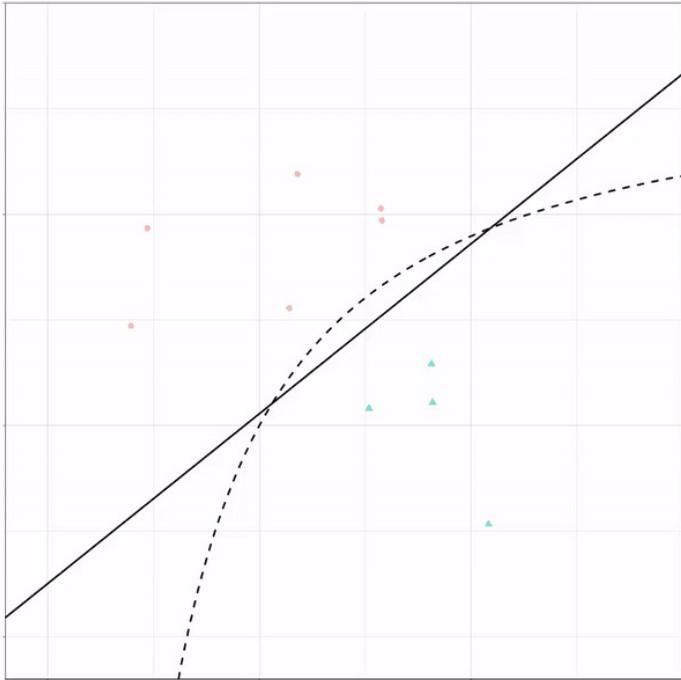
Results of tree 3

=

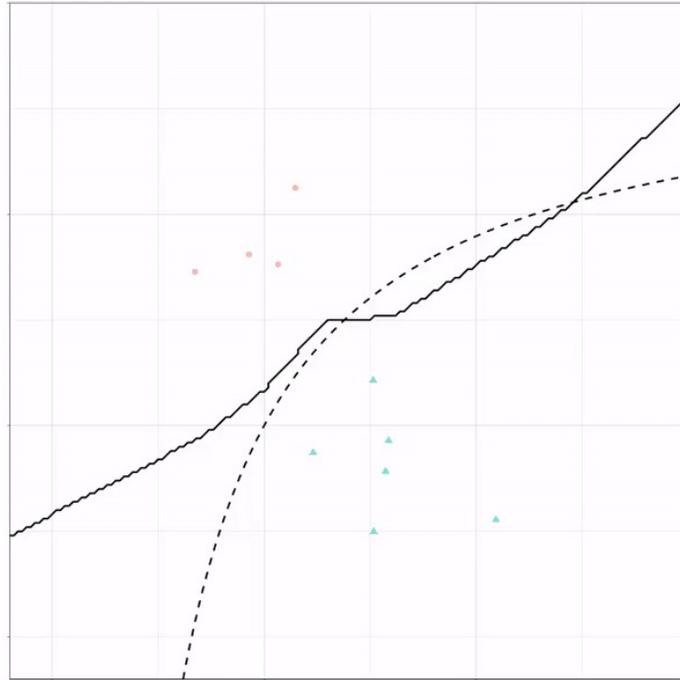


Combined results

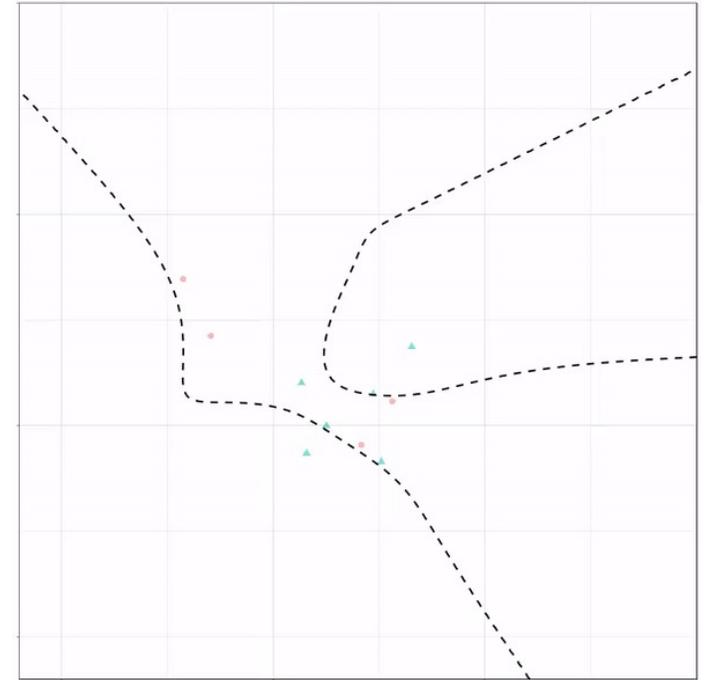
# Boosting illustration: Decision Boundary Visualization



Logistic Classifier



K-NN Classifier



Boosting  
(here we used [gradient boosting](#))

# Harr feature selection with boosting

- Create a large pool of features (160K)
- Select discriminative features that work well together

$$\text{Final strong learner} \rightarrow h(\mathbf{x}) = \text{sign} \left( \sum_{j=1}^M \alpha_j h_j(\mathbf{x}) \right)$$

Annotations: "window" points to  $\mathbf{x}$ ; "Weak learner" points to  $h_j(\mathbf{x})$ ; "Learner weight" points to  $\alpha_j$ .

- “Weak learner” = feature + threshold + ‘polarity’

$$h_j(\mathbf{x}) = \begin{cases} -s_j & \text{if } f_j < \theta_j \\ s_j & \text{otherwise} \end{cases}$$

Annotations: "value of rectangle feature" points to  $f_j$ ; "threshold" points to  $\theta_j$ .

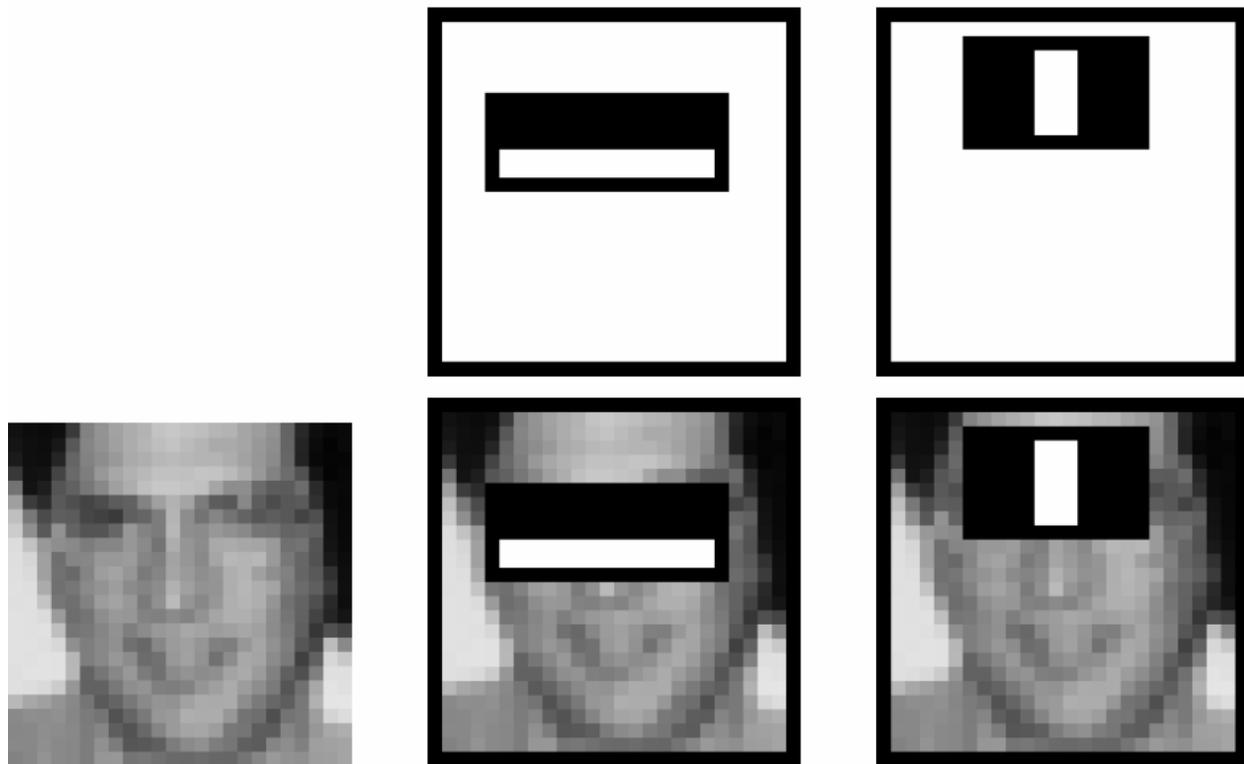
‘polarity’ = black or white region flip  $\rightarrow s_j \in \pm 1$

- Train & choose weak learner that minimizes error on the weighted training set, then reweight

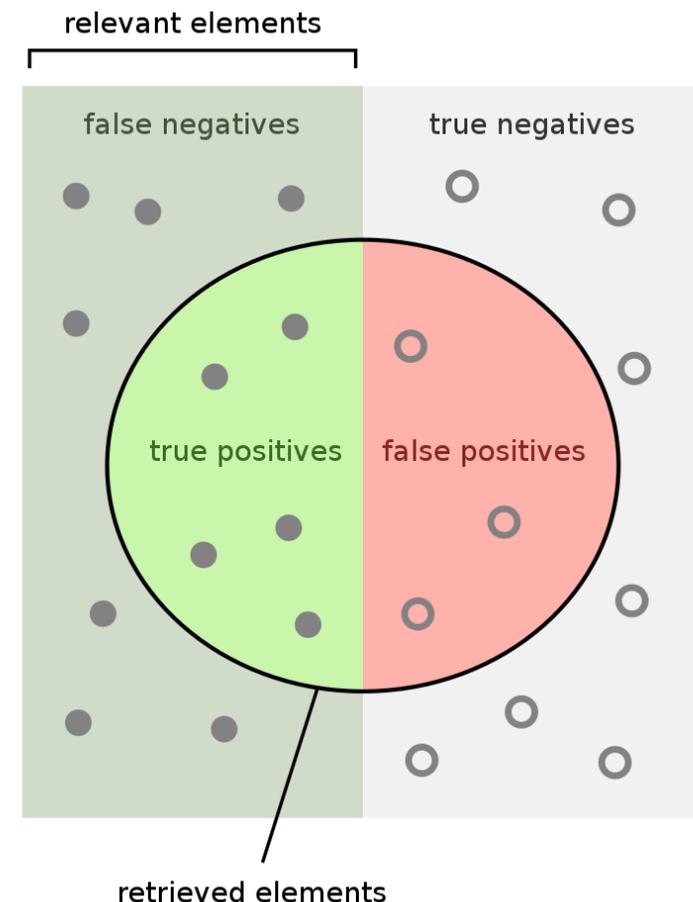


# Boosting for face detection

- First two features selected by boosting:



This feature combination can already yield 100% recall and 50% false positive rate!



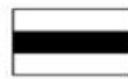
How many retrieved items are relevant?

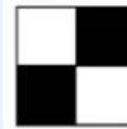
$$\text{Precision} = \frac{\text{true positives}}{\text{true positives} + \text{false positives}}$$

How many relevant items are retrieved?

$$\text{Recall} = \frac{\text{true positives}}{\text{true positives} + \text{false negatives}}$$

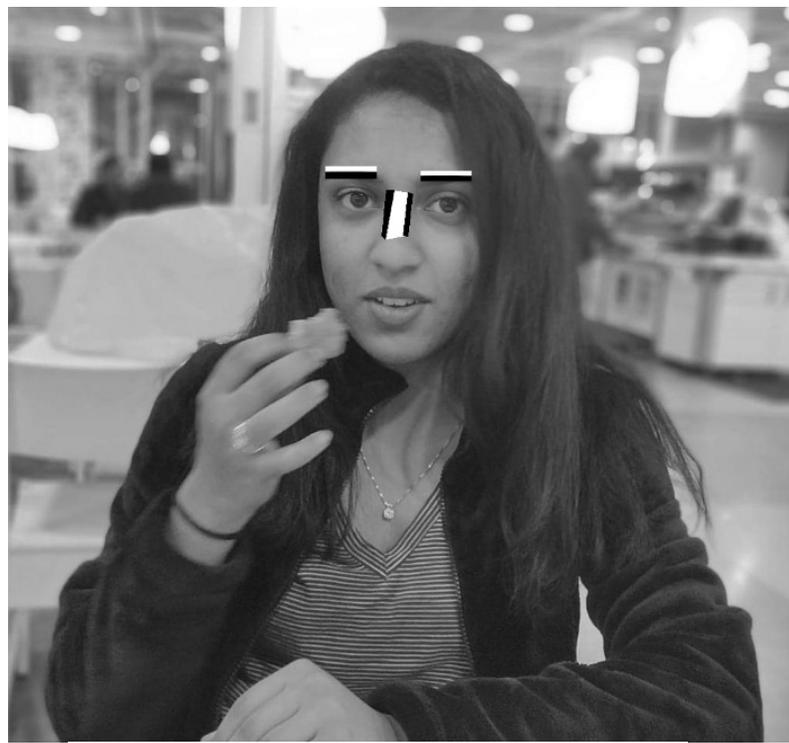
  Edge Features

  Line Features

 Four-rectangle Features

Important Features for Face Detection



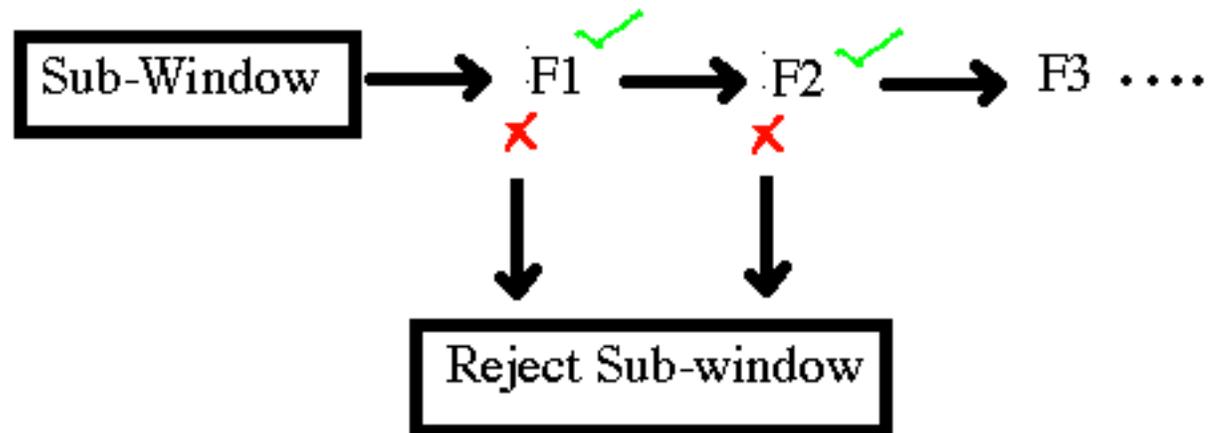
$$F(x) = \alpha_1 f_1(x) + \alpha_2 f_2(x) + \alpha_3 f_3(x) + \dots$$



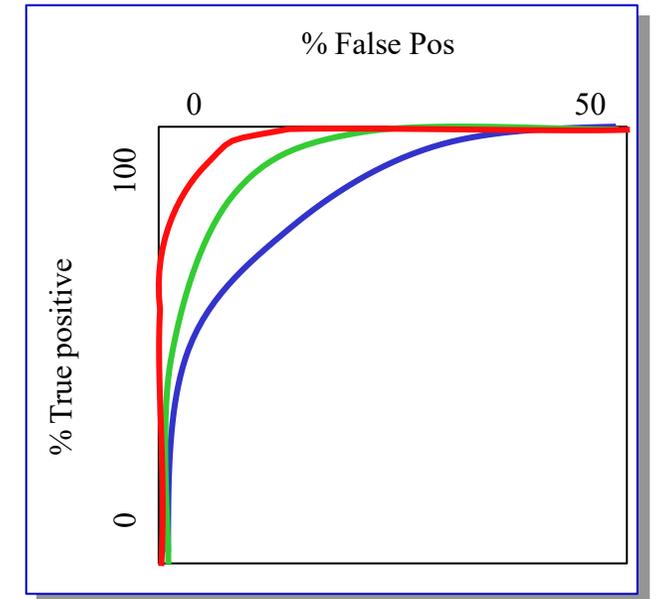
### 3. Attentional cascade

- Chain classifiers that are progressively more complex
- Minimize *false positive rates* at each stage, not absolute error

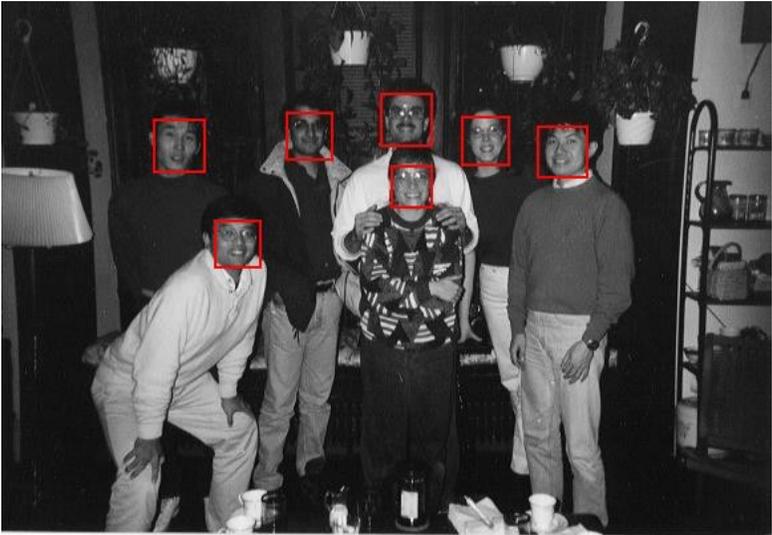
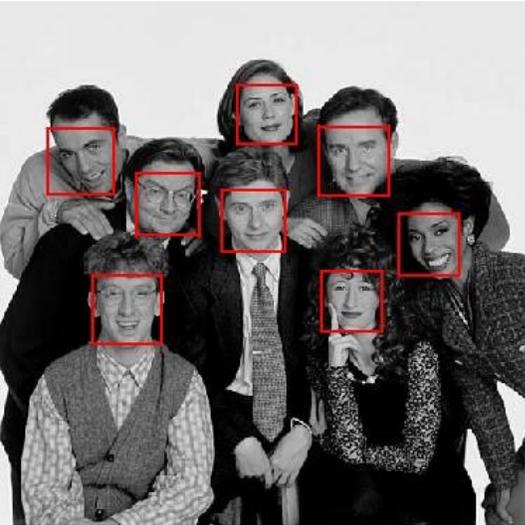
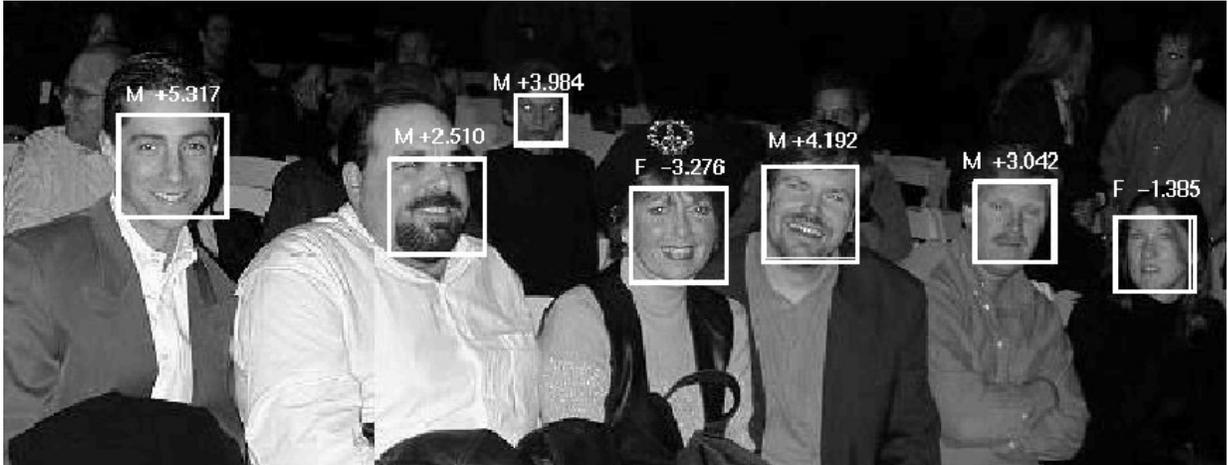
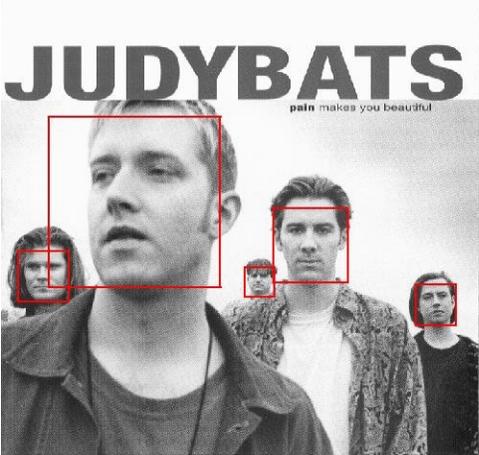
$$F(x) = a_1f_1(x) + a_2f_2(x) + a_3f_3(x) \dots$$



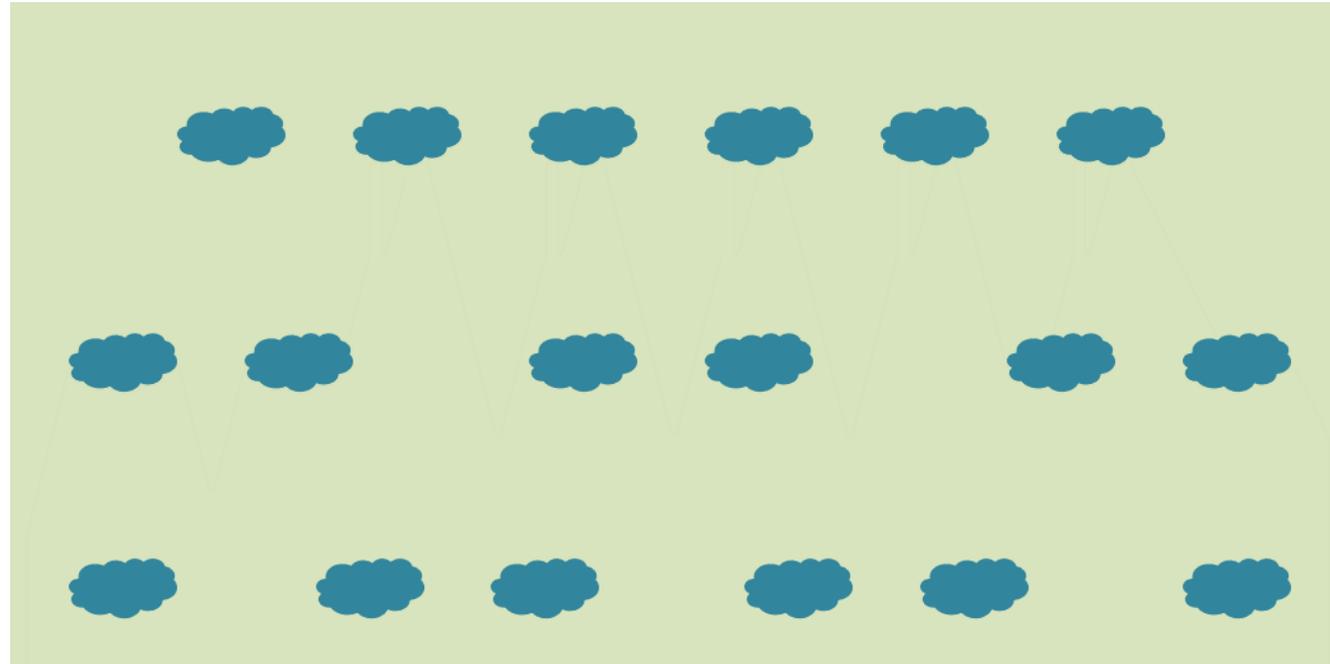
Receiver operating characteristic



# Viola/Jones detector is very powerful

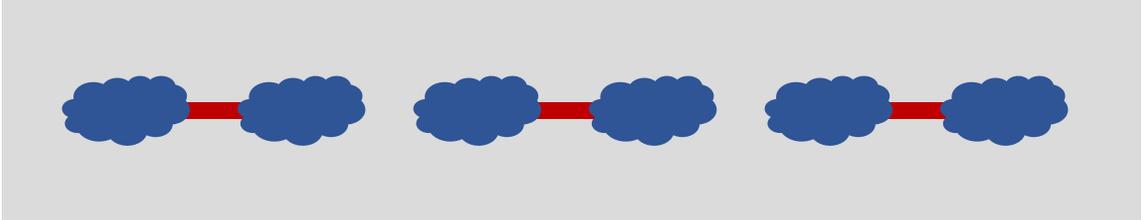
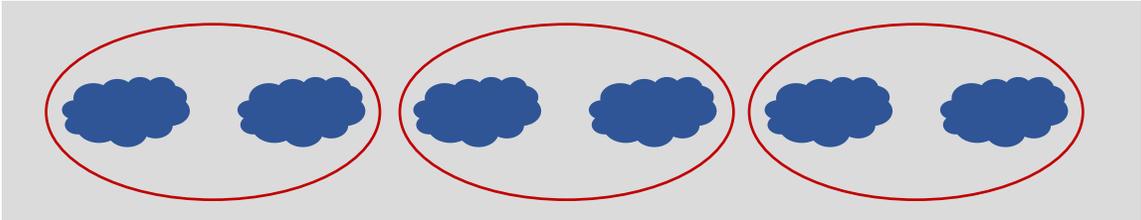


**Question:** what makes an object “segmentable”?



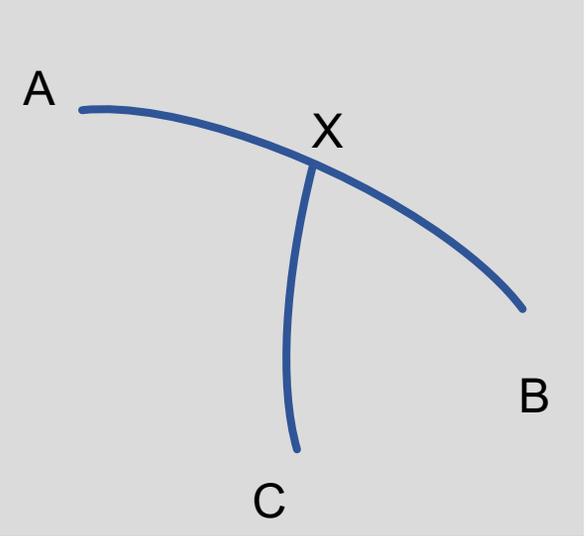
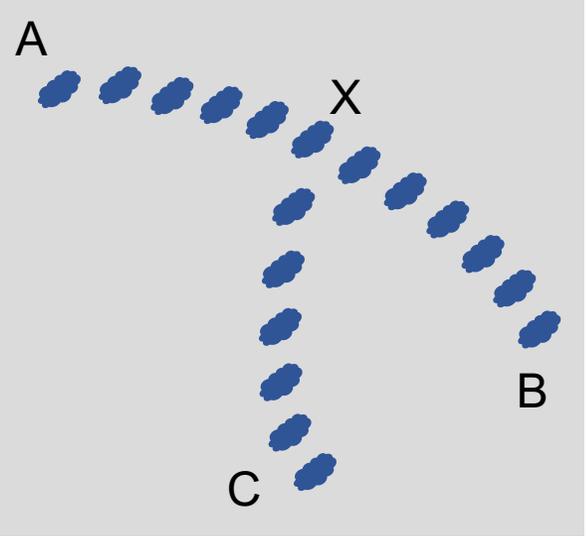
Objects with similar motion or change in appearance are grouped together

# Common Region/Connectivity



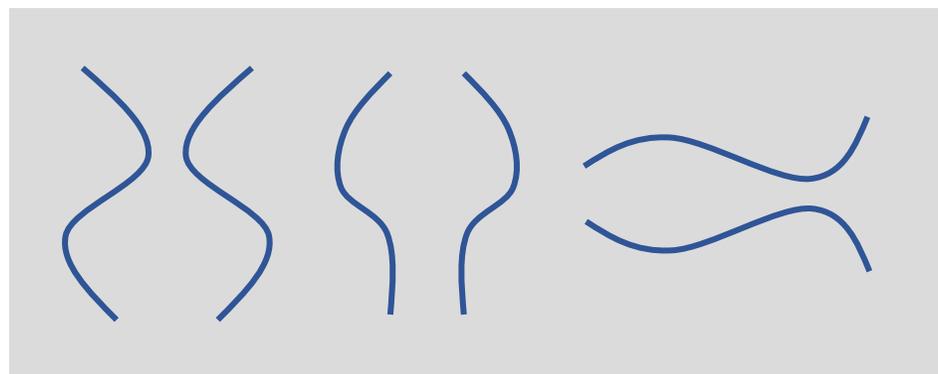
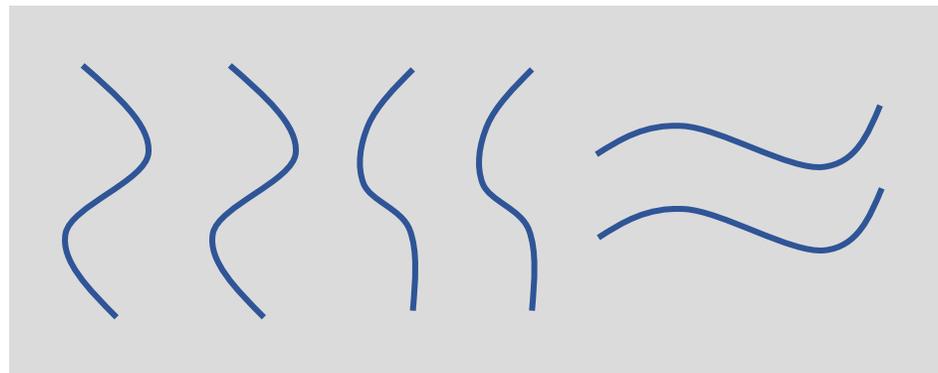
Connected objects are grouped together

# Continuity Principle

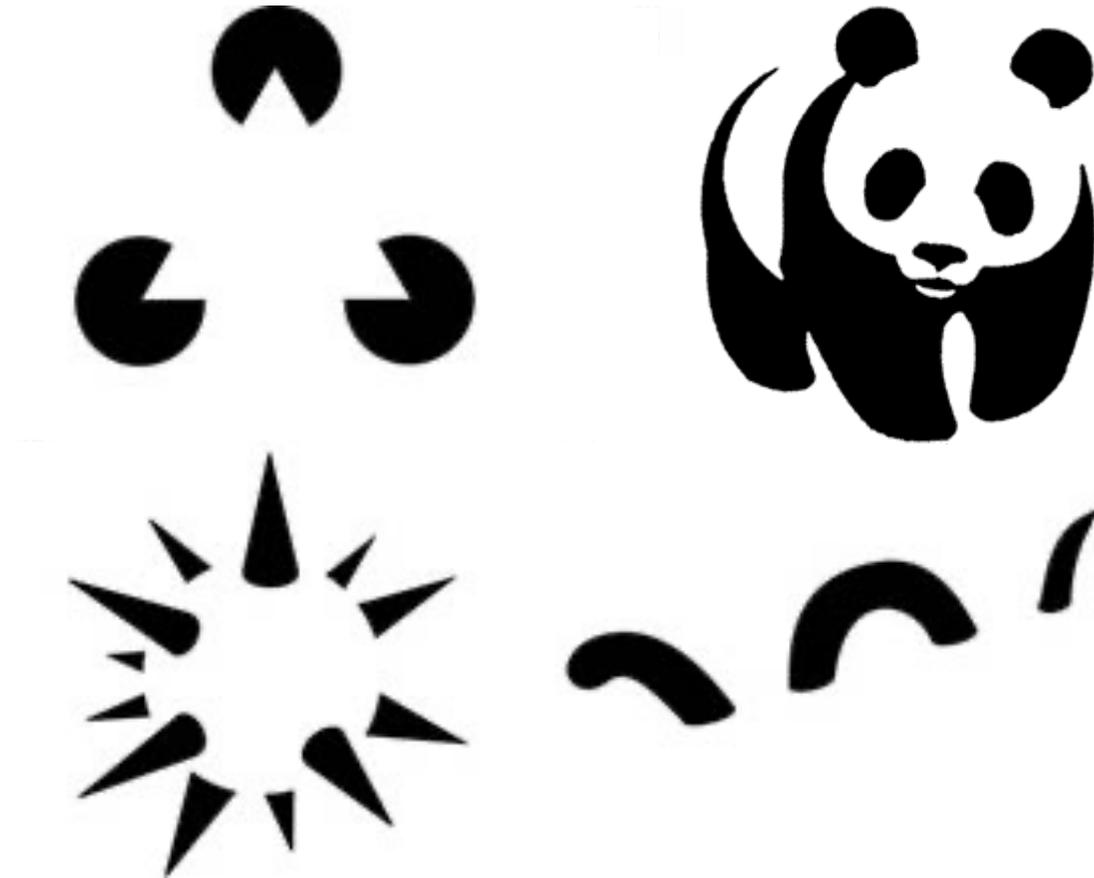


Features on a continuous curve are grouped together

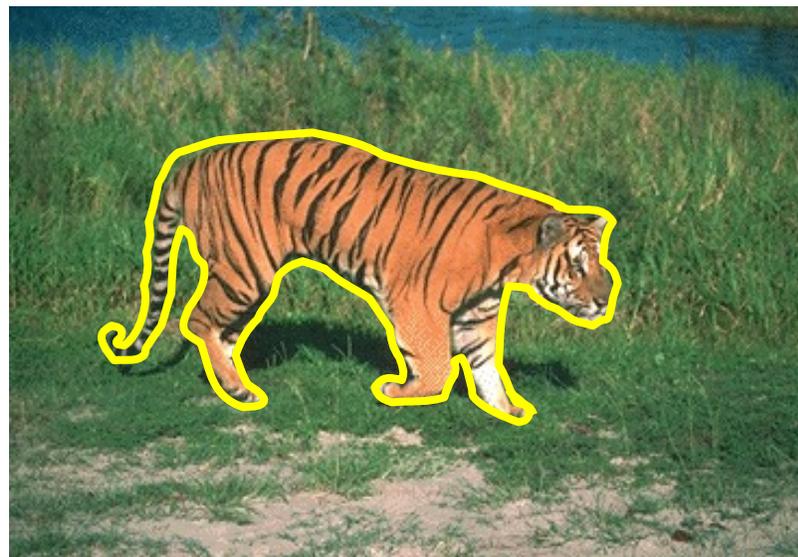
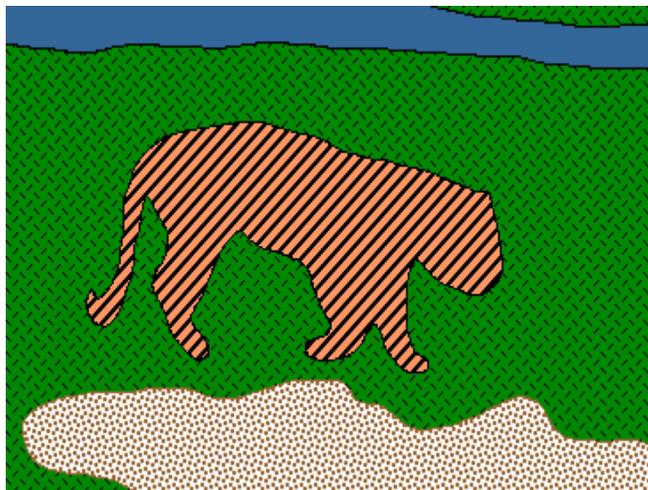
# Symmetry Principle



# Completion



Illusory or subjective contours are perceived



$k = 4$



$nc = .0017$



$k = 5$



$nc = .0060$



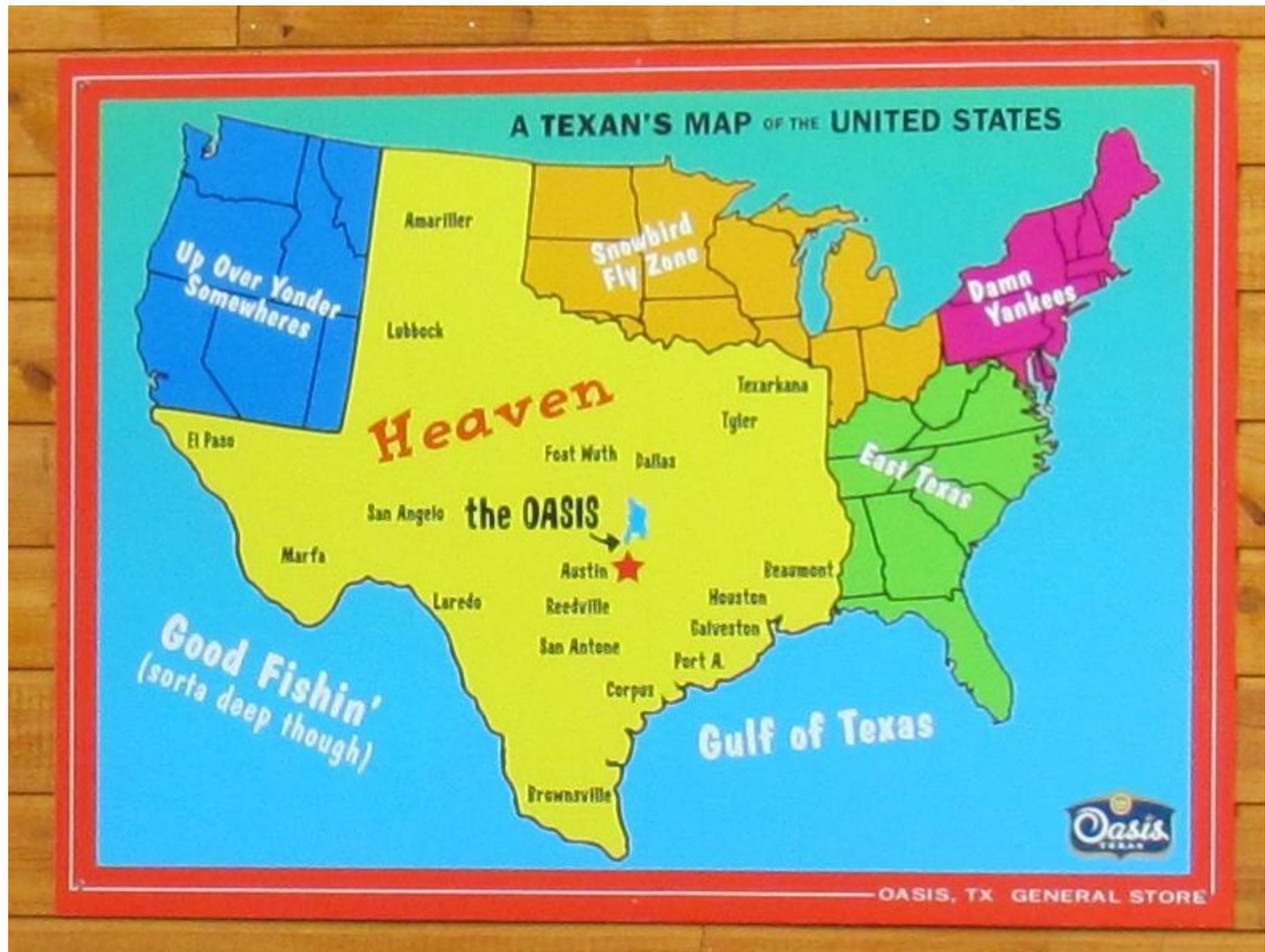
$k = 11$



Segmentation  
may never  
have “ground  
truth” ...

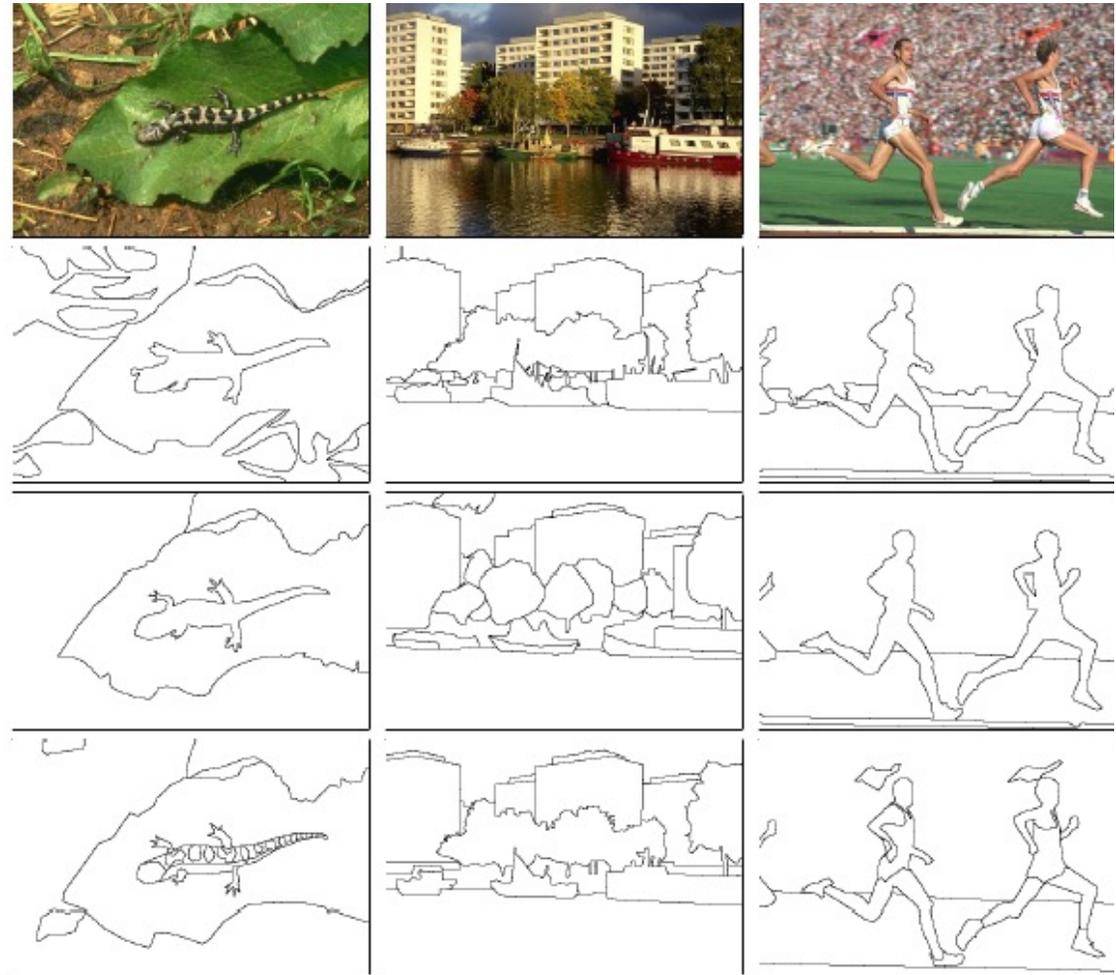


Segmentation  
may never  
have “ground  
truth”...



# What is a “good” segmentation??

- No objective definition of segmentation!
- Compare to human “ground truth”



# Evaluation: Intersection-over-Union (IoU) with ground truth



Ground Truth



Segment #1

.825



Segment #2

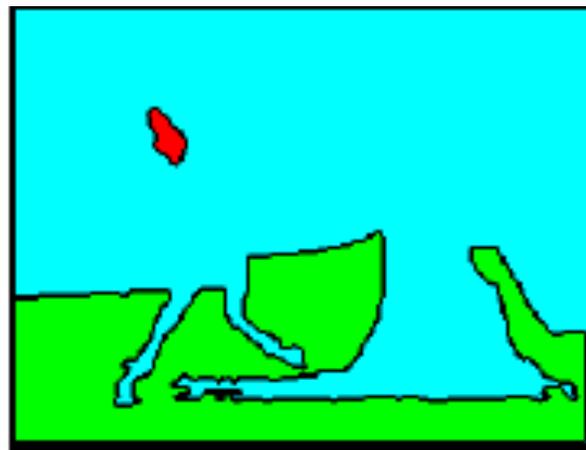
.892

$$IoU(S, G) = \frac{|S \cap G|}{|S \cup G|}$$

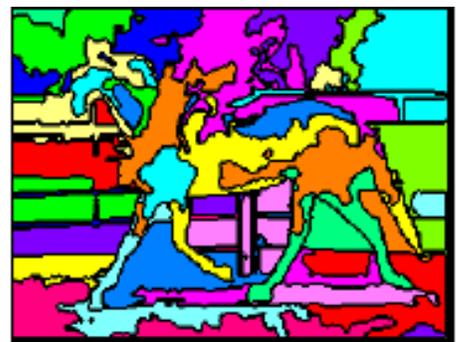
# Types of segmentations



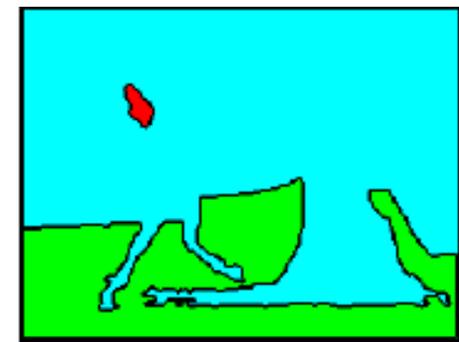
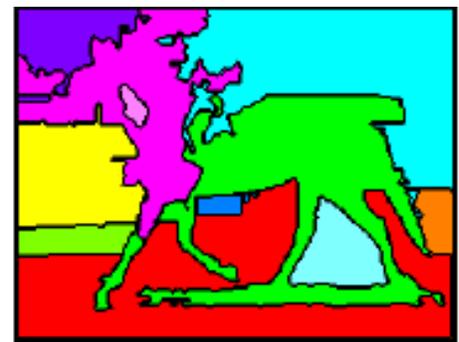
Oversegmentation



Undersegmentation

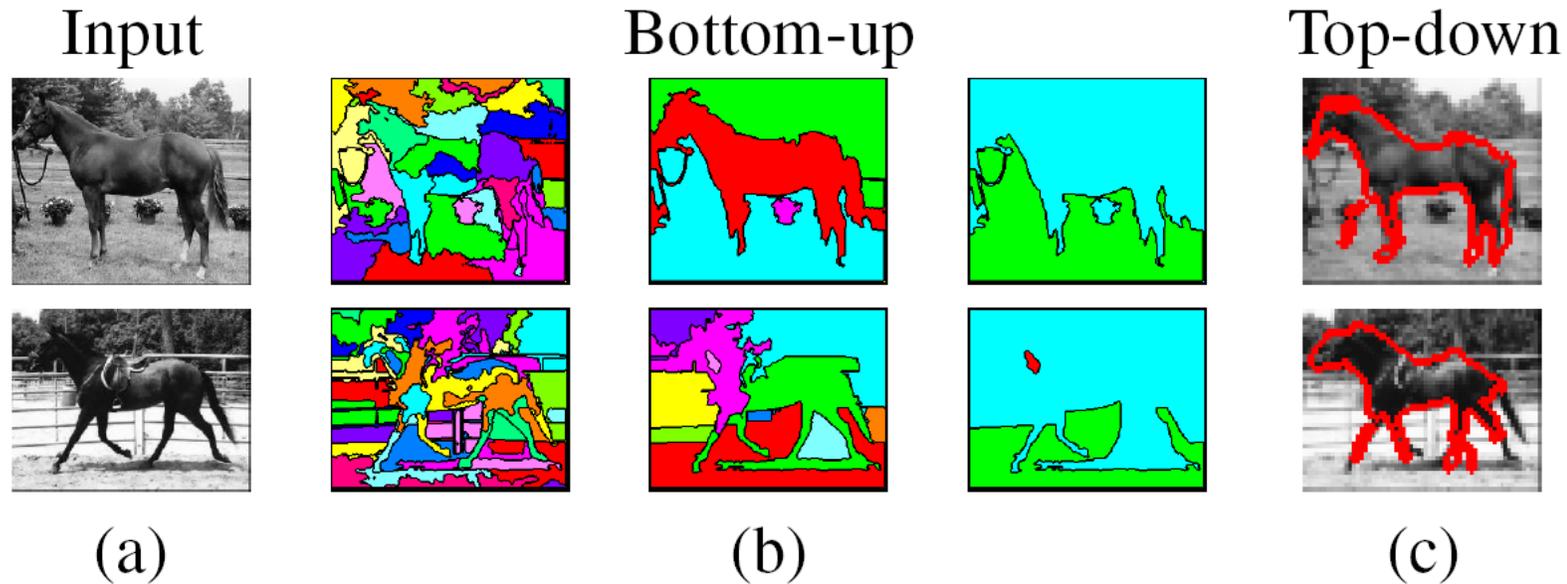


Multiple Segmentations



# Major ideas for segmentation

- Bottom-up: group tokens with similar features
- Top-down: group tokens that likely belong to the same object



# Main approaches

- Spectral techniques
- Segmentation as boundary detection
- **Clustering and mean shift**
- **Graph-based techniques**
- Deep learning techniques

# K-means can be “okay” image segmentation

Original Image



Segmented Image when K = 3



Original Image



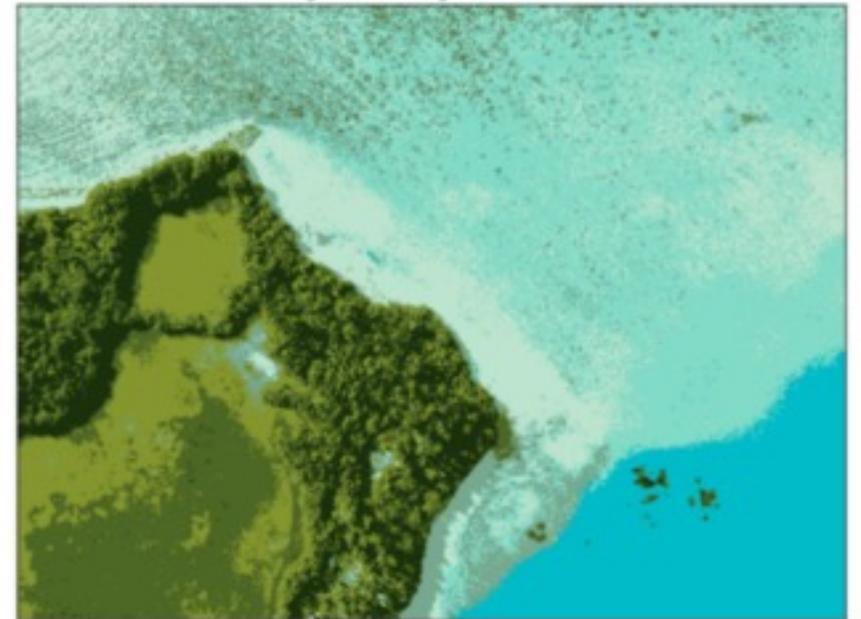
Segmented Image when K = 5



Original Image



Segmented Image when K = 7

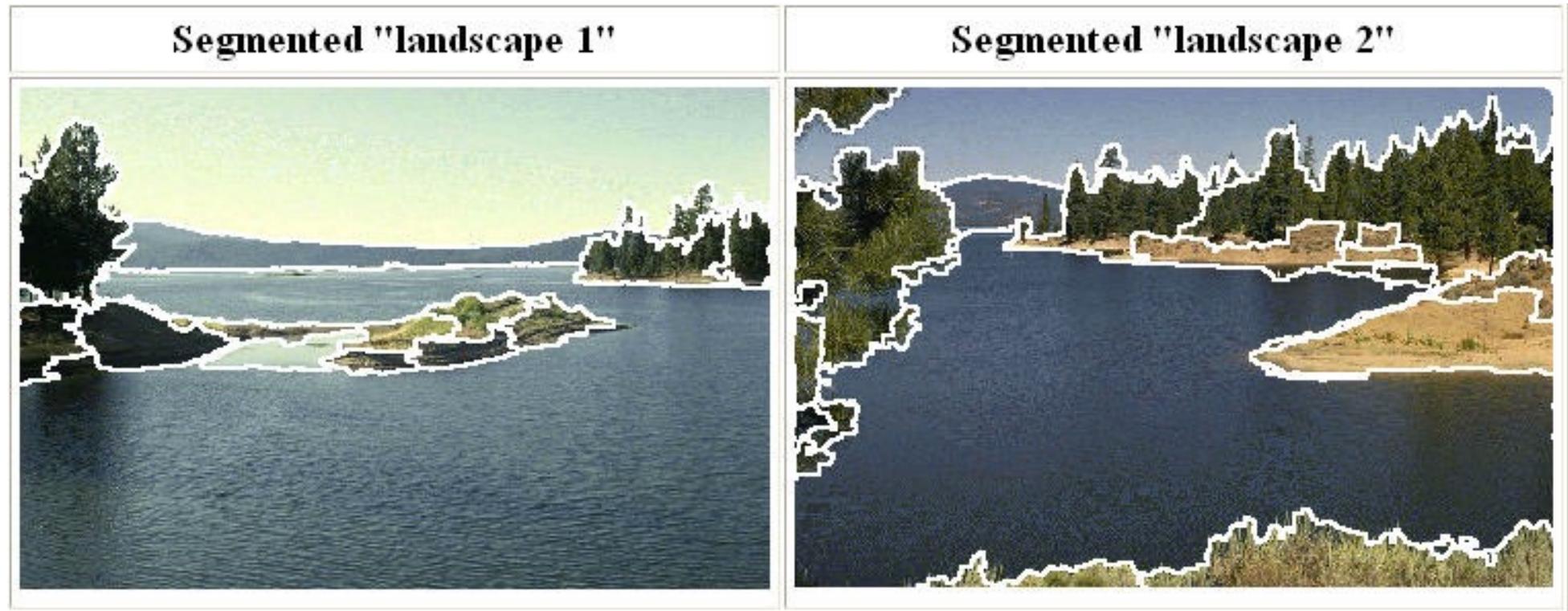


*Rarely  
directly  
used...*

# Mean shift segmentation

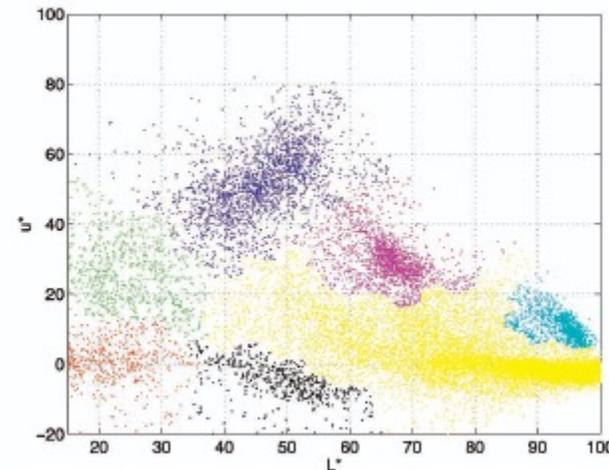
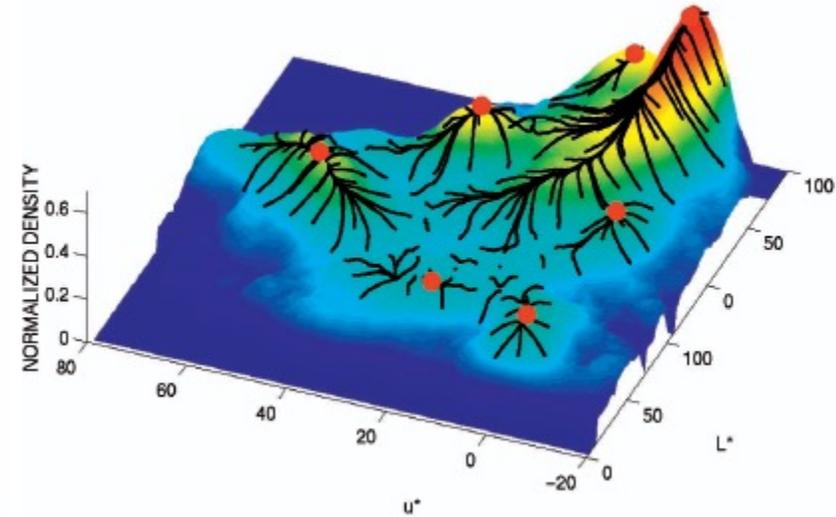
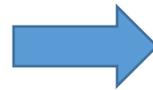
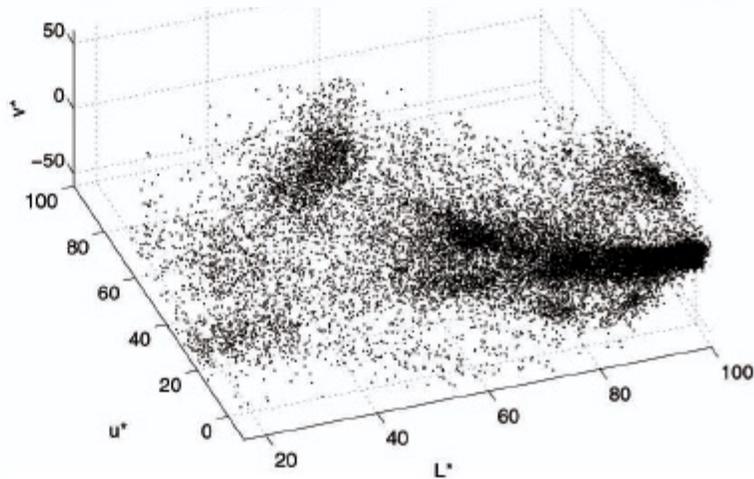
D. Comaniciu and P. Meer, Mean Shift: A Robust Approach toward Feature Space Analysis, PAMI 2002.

- Versatile technique for clustering-based segmentation!
- non- parametric algorithm that clusters data iteratively by finding the densest regions (clusters) in a feature space

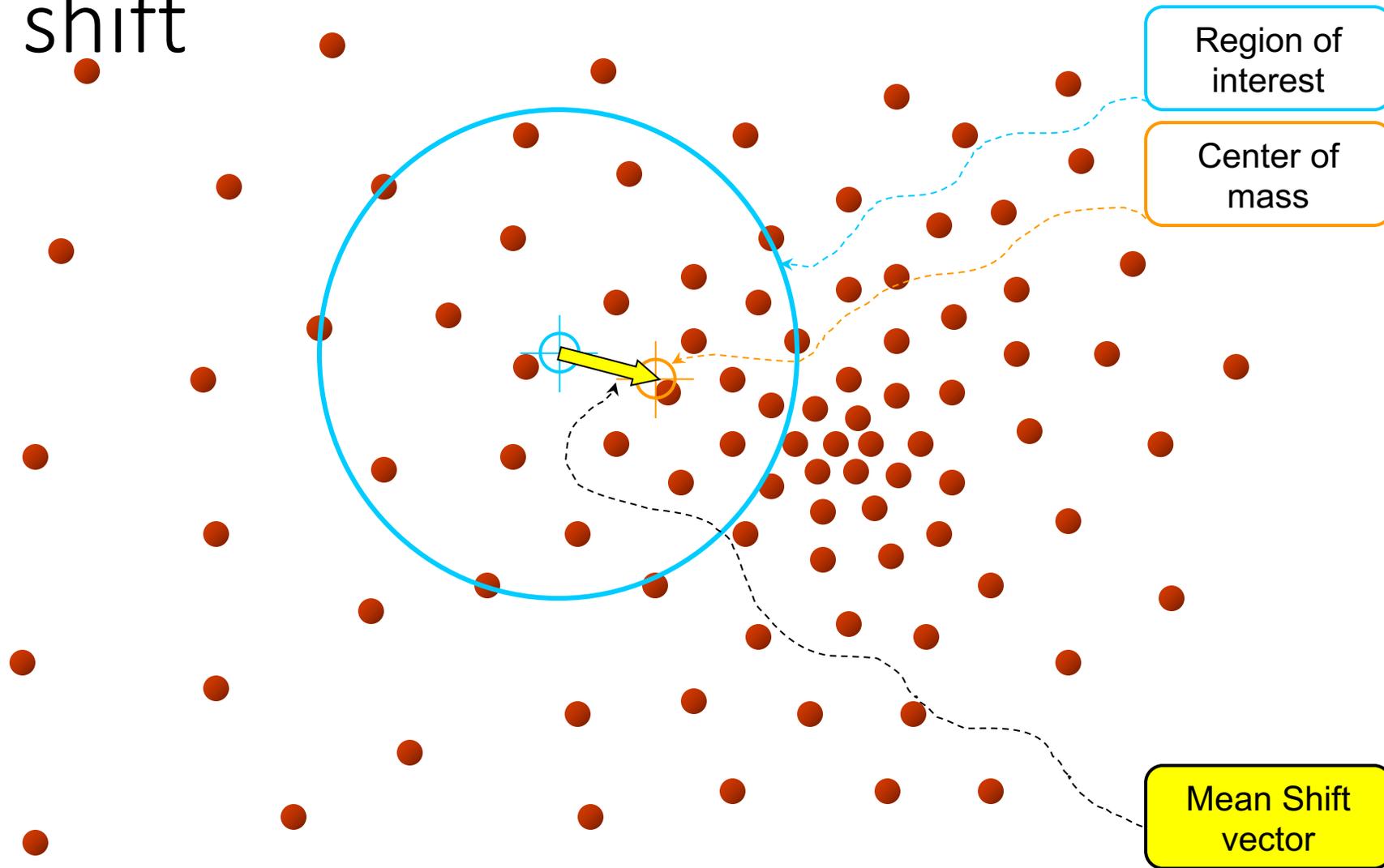


# Mean shift algorithm

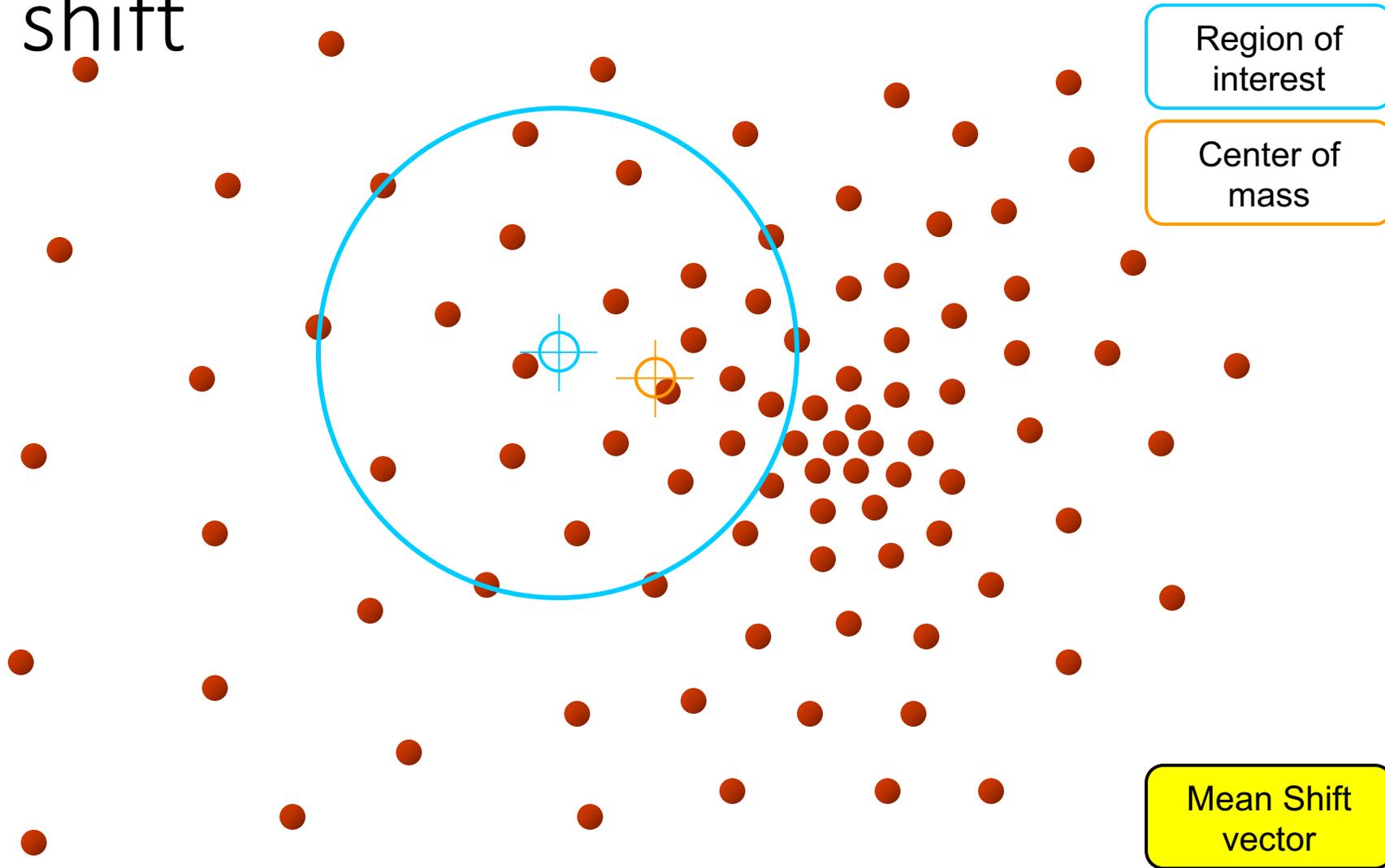
- Try to find *modes* of this non-parametric density



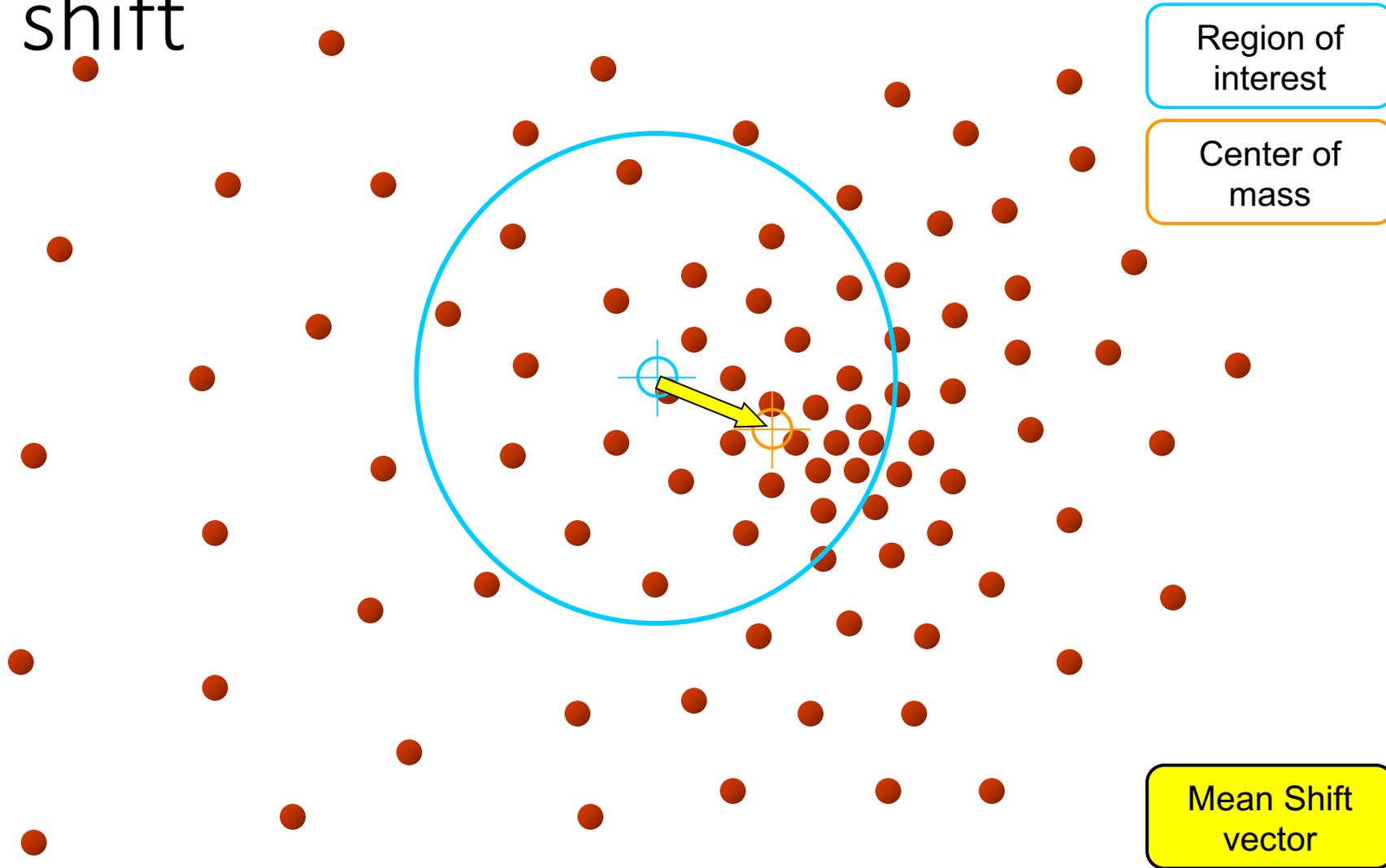
# Mean shift



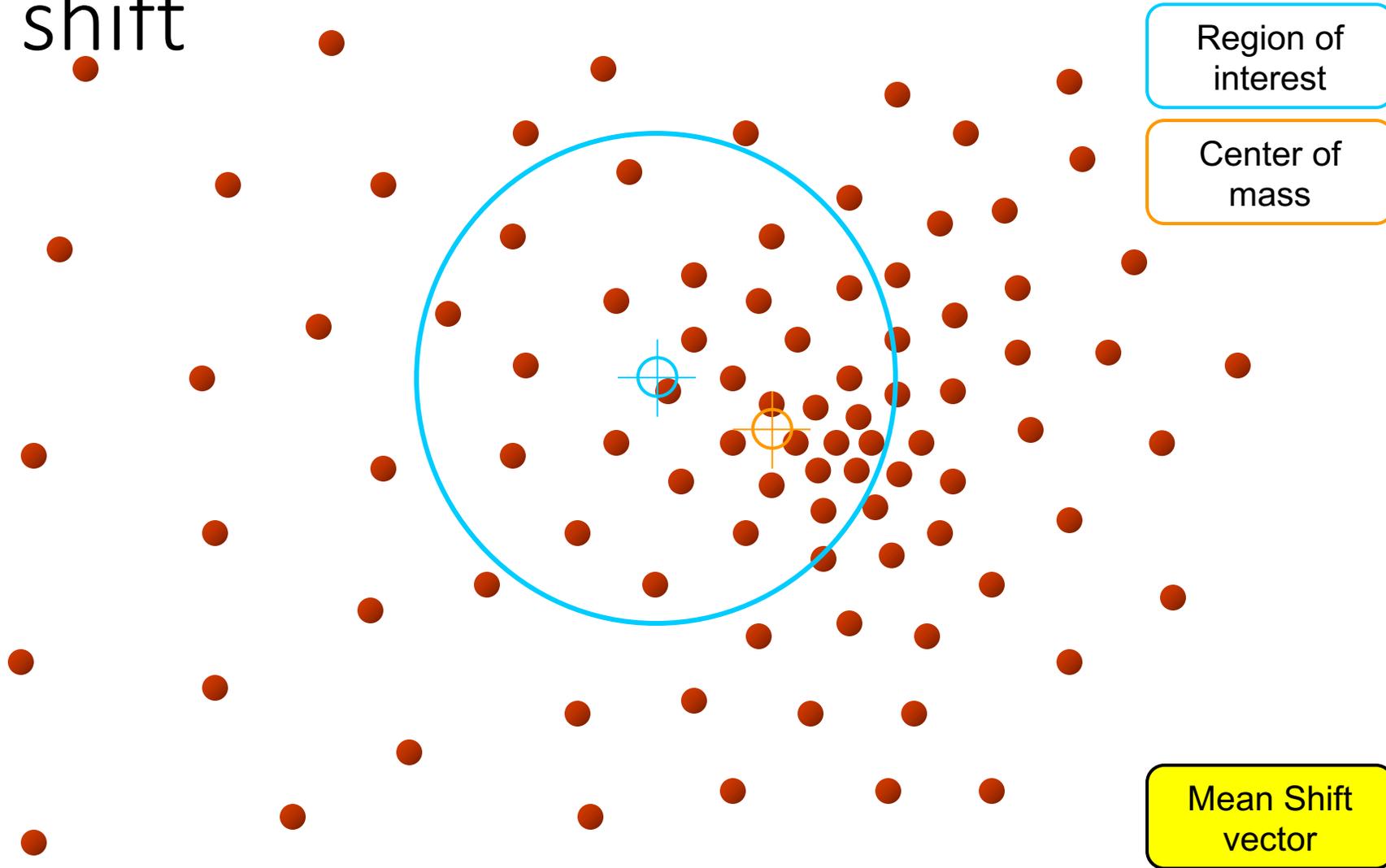
# Mean shift



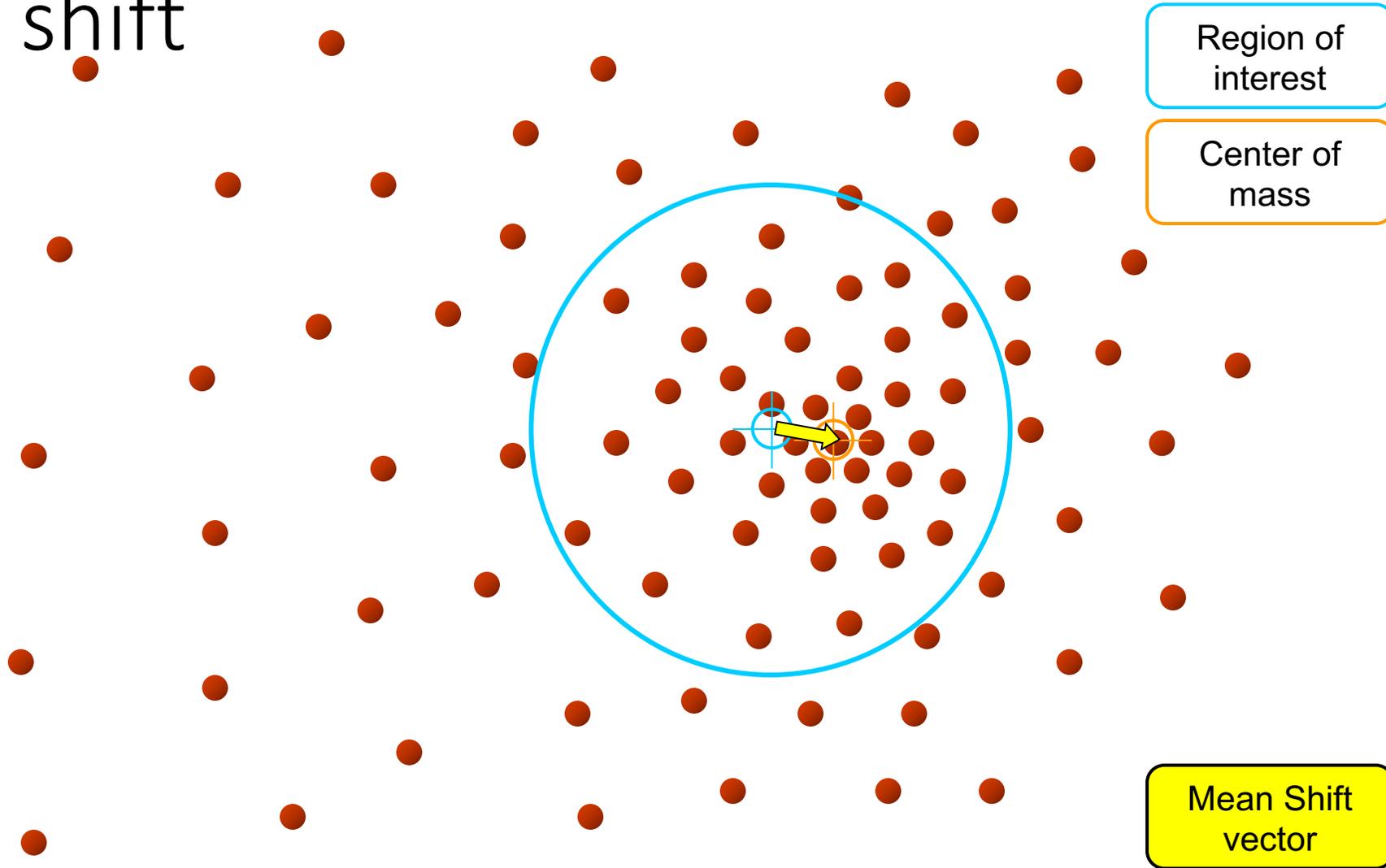
# Mean shift



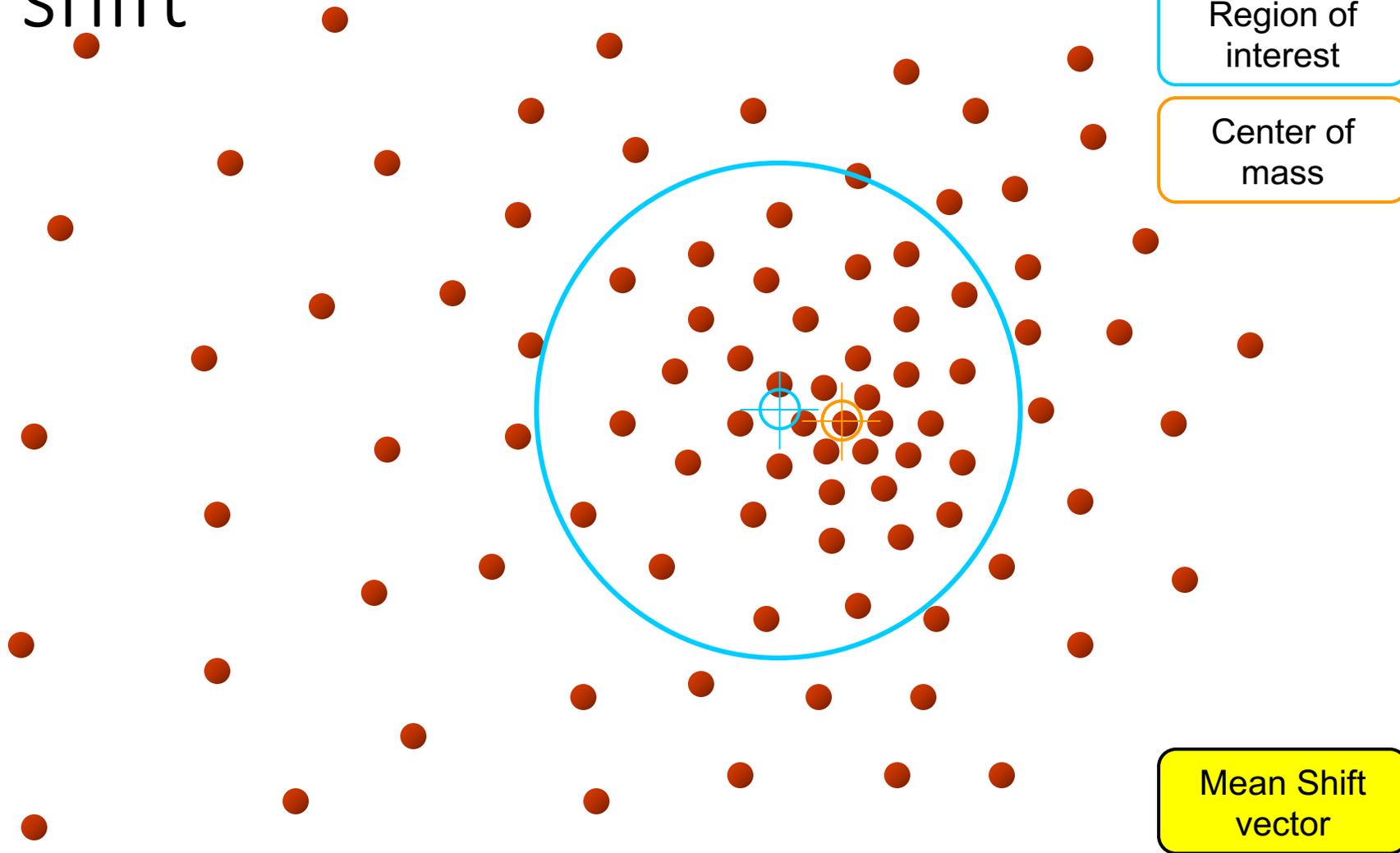
# Mean shift



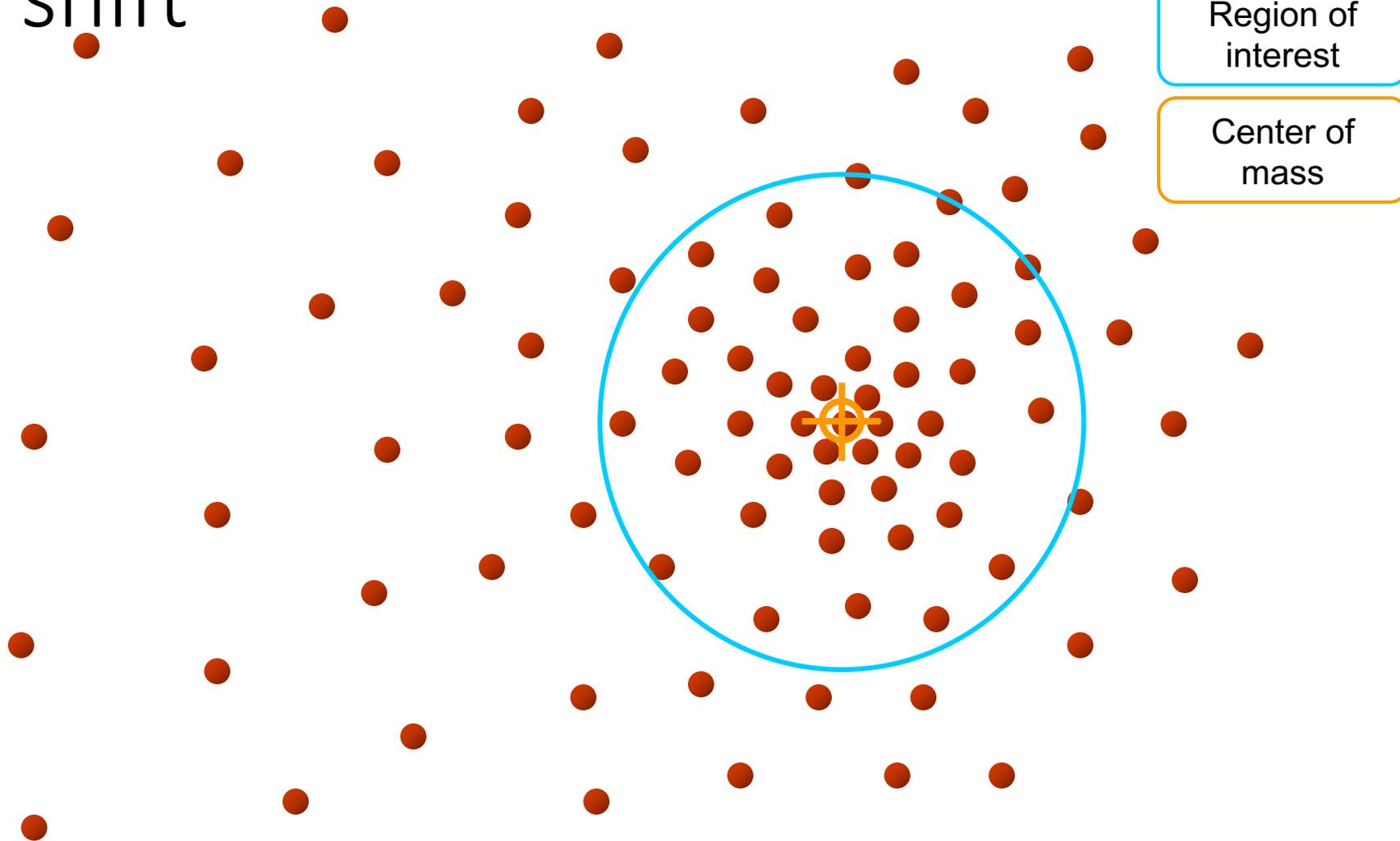
# Mean shift



# Mean shift



# Mean shift



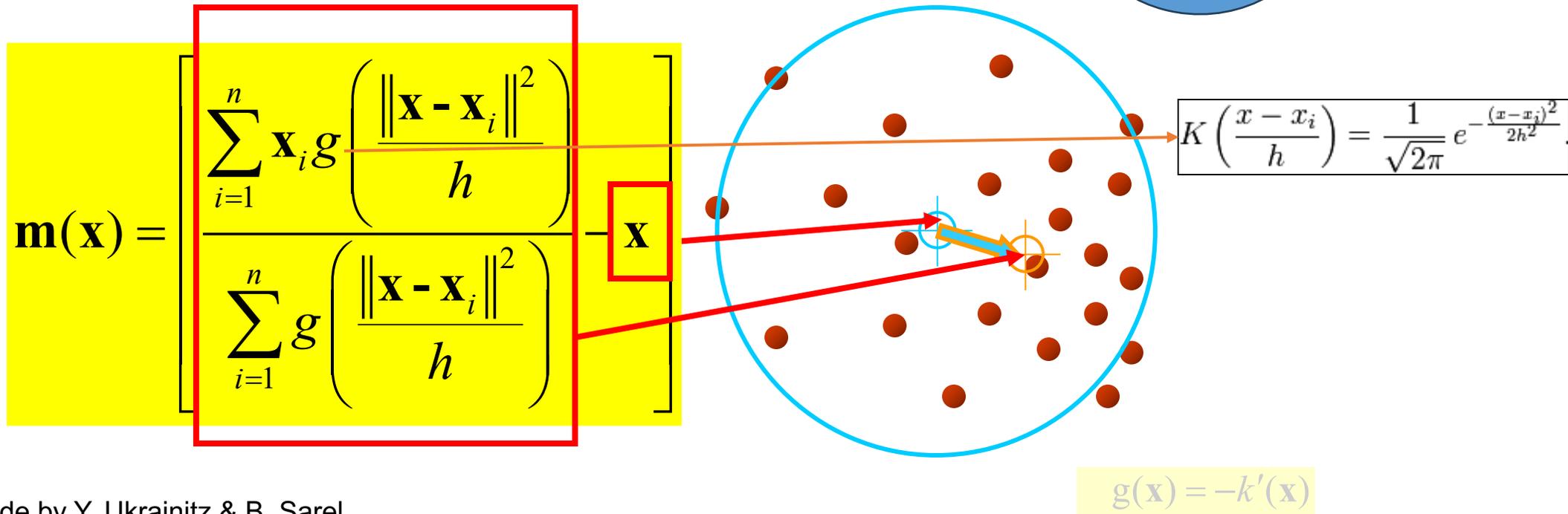
# Computing the Mean Shift

Simple Mean Shift procedure:

- Compute mean shift vector
- Translate the Kernel window by  $\mathbf{m}(\mathbf{x})$
- $\mathbf{g}$  is called a “kernel function”

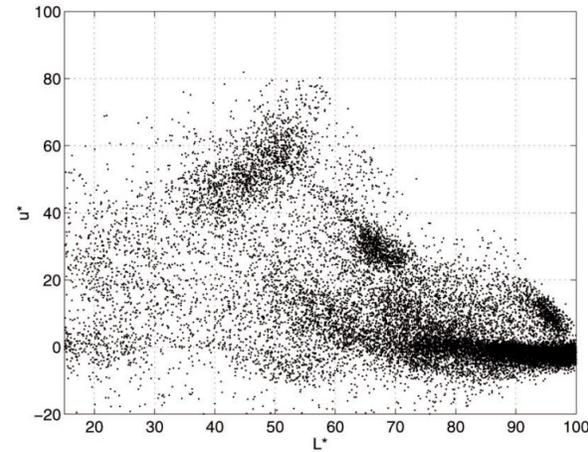
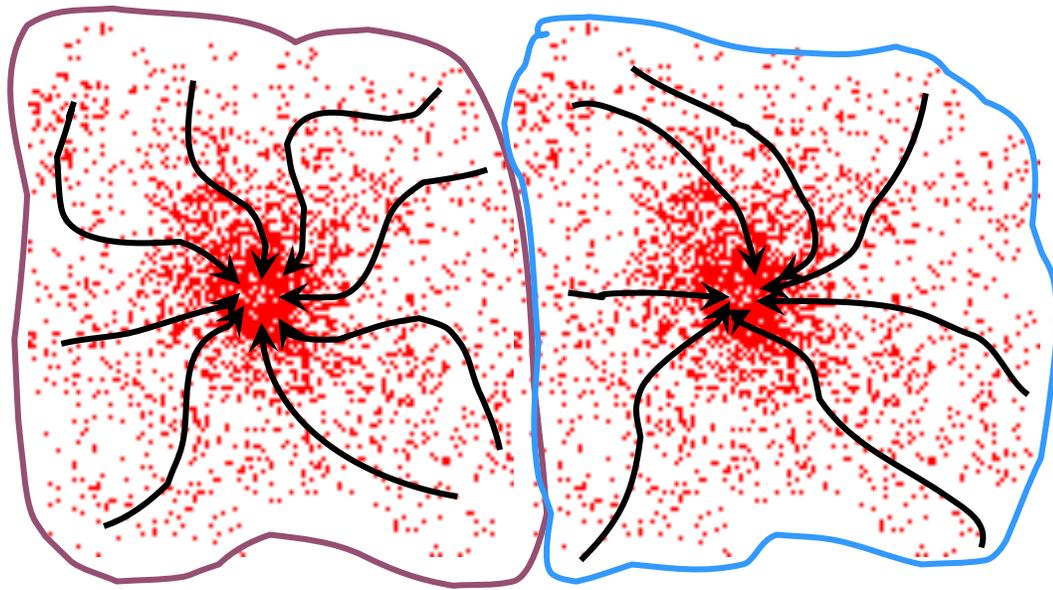
**Key Difference with**

**K-means:** the “mean” is not simple averaging, but a “weighted average” counting in the **point distribution** (a special case of Kernel Density Estimation)

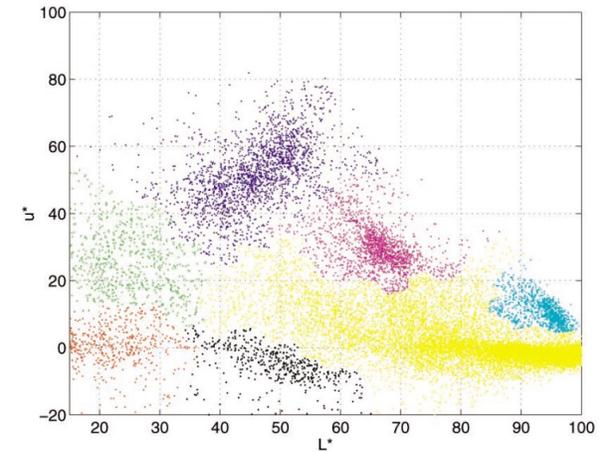


# Solution Stability: Attraction basin

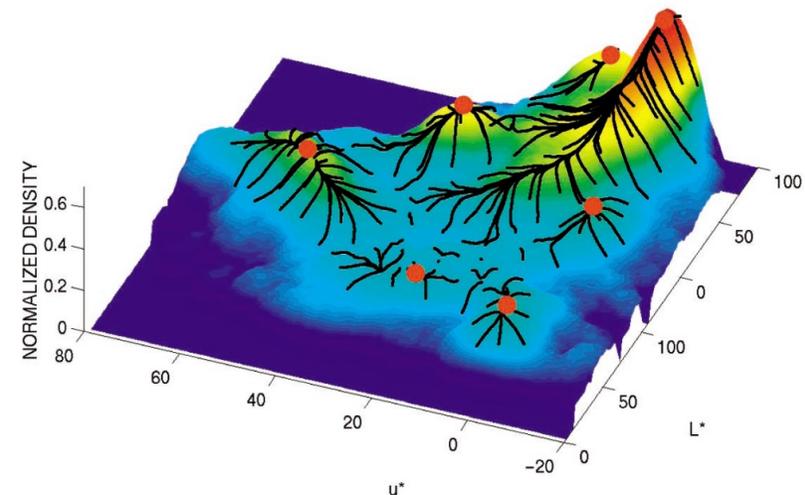
- **Attraction basin:** the region for which all trajectories lead to the same mode
- **Cluster:** all data points in the attraction basin of a mode



(a)



(b)



# Summary of Mean Shift

- The mean shift algorithm seeks *density modes* of the given set of points
- **We don't have to specify cluster number  $K$**
- ... but instead, have to pick the “*kernel function*” and its *hyperparameter*

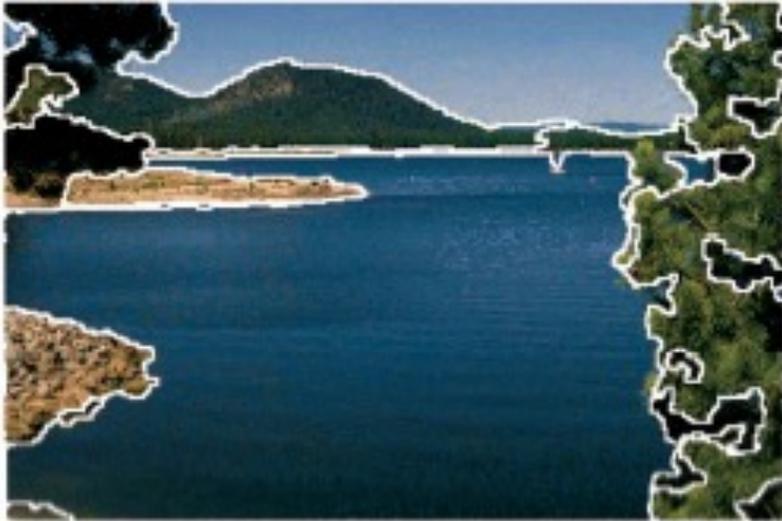
## Using MeanShift for image segmentation:

- Compute features for each pixel (color, gradients, texture, etc)
- Set kernel size for features  $K_f$  and position  $K_s$
- Initialize windows at individual pixel locations
- Perform mean shift for each window until convergence
- **Merge windows** that are within width of  $K_f$  and  $K_s$

# Mean shift segmentation results



<http://www.caip.rutgers.edu/~comanici/MSPAMI/msPamiResults.html>

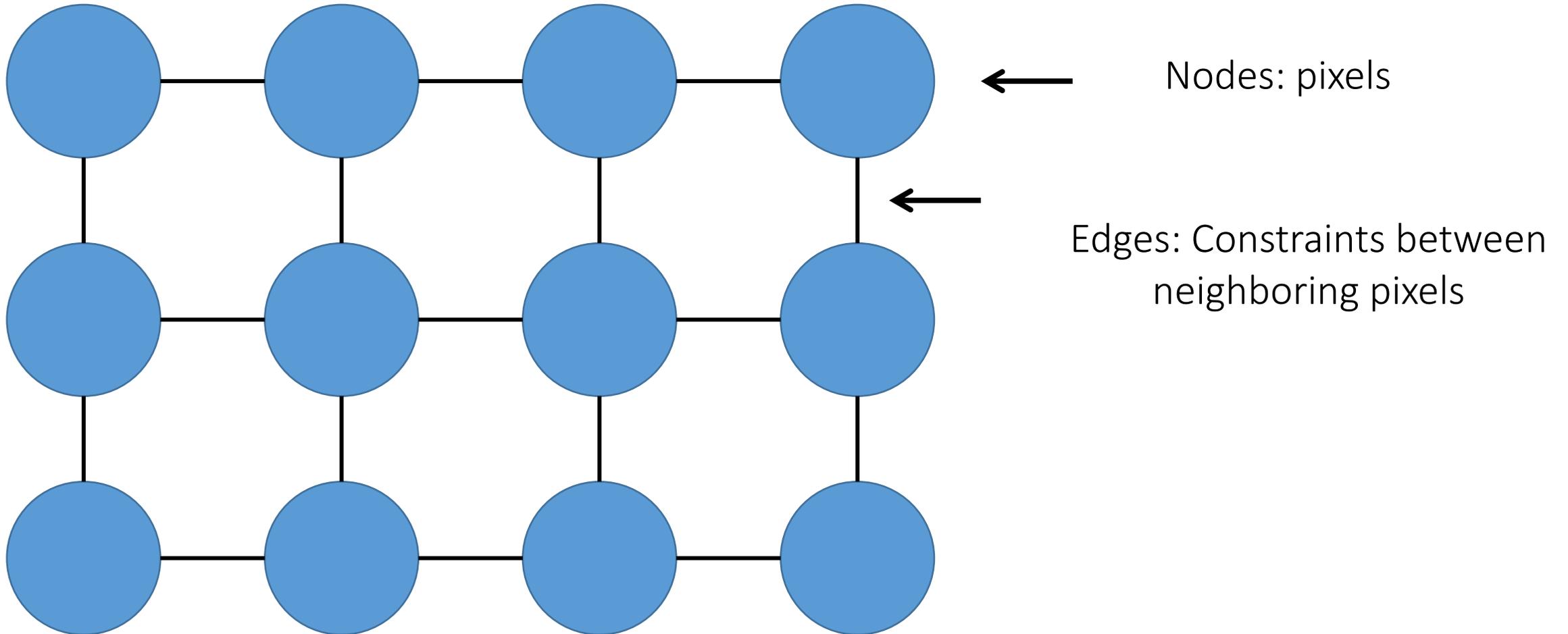


<http://www.caip.rutgers.edu/~comanici/MSPAMI/msPamiResults.html>

# Mean shift pros and cons

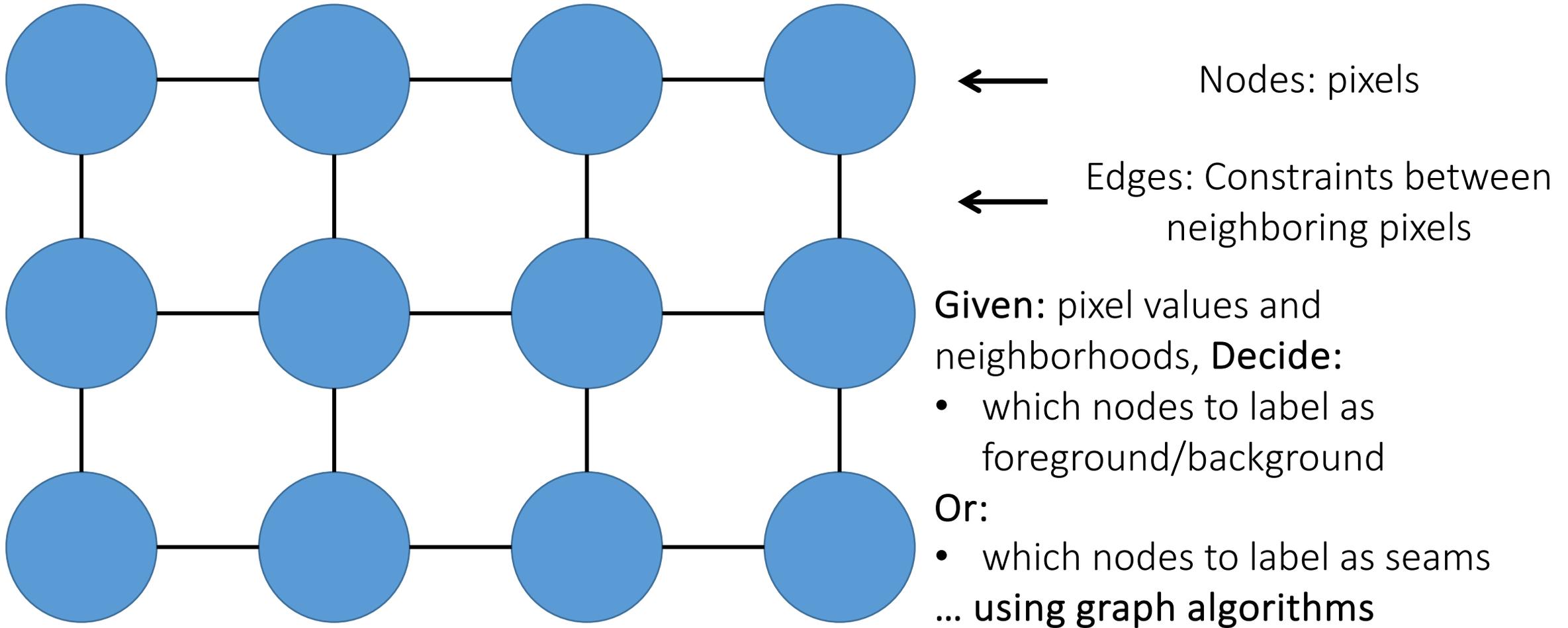
- Pros
  - Good general-practice segmentation
  - Flexible in number and shape of regions, no need to pre-choose region number  $K$
  - Robust to outliers
- Cons
  - Have to choose kernel size in advance
  - Not suitable for high-dimensional features
  - Much slower than k-means (due to computing kernels)
- When to use it
  - Oversegmentation
  - Multiple segmentations
  - Tracking, clustering, filtering applications

# New Idea: Images can be viewed as graphs



# Graph-view of segmentation problem

Segmentation is node-labeling



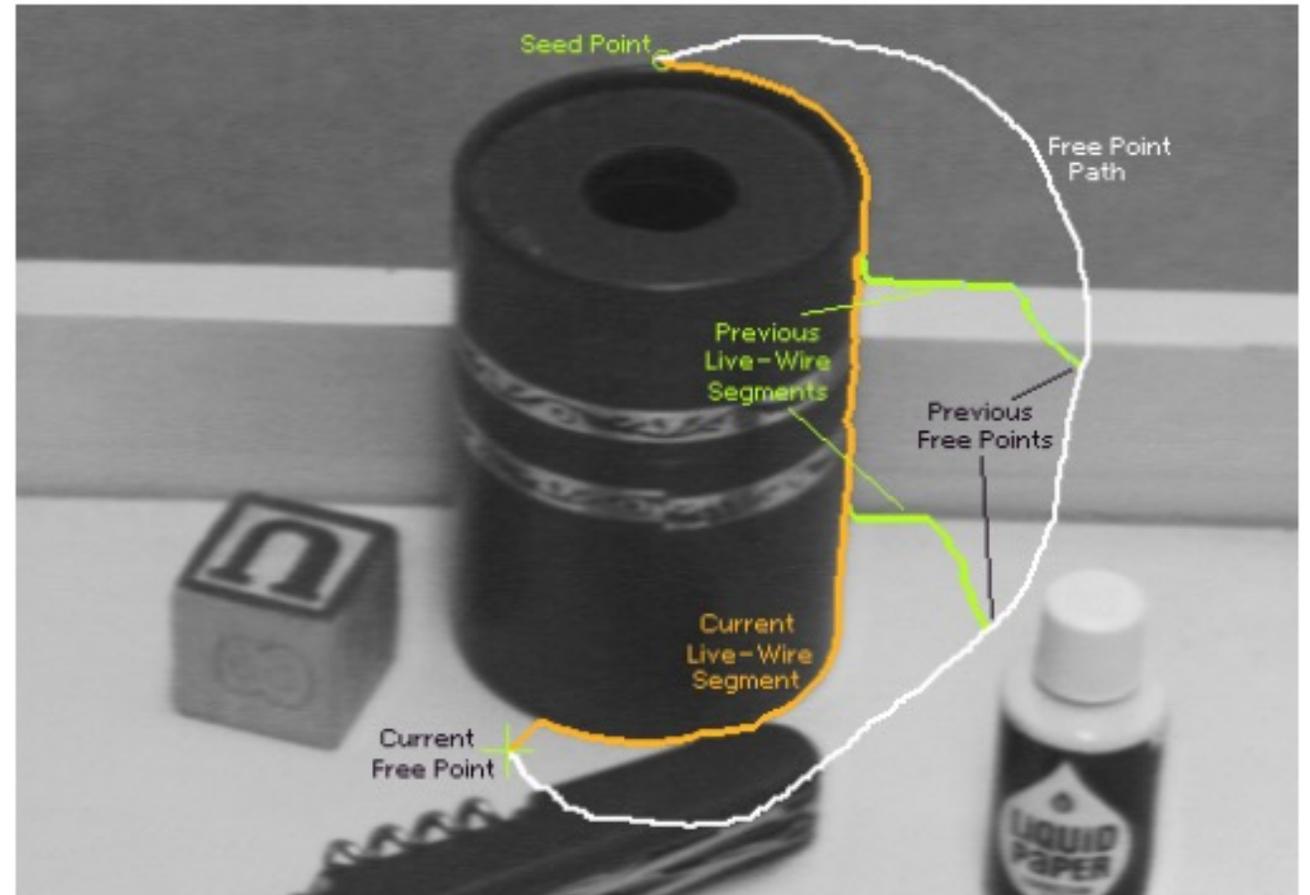
# Intelligent scissors

Problem statement:

Given two seed points, find a good boundary connecting them

Challenges:

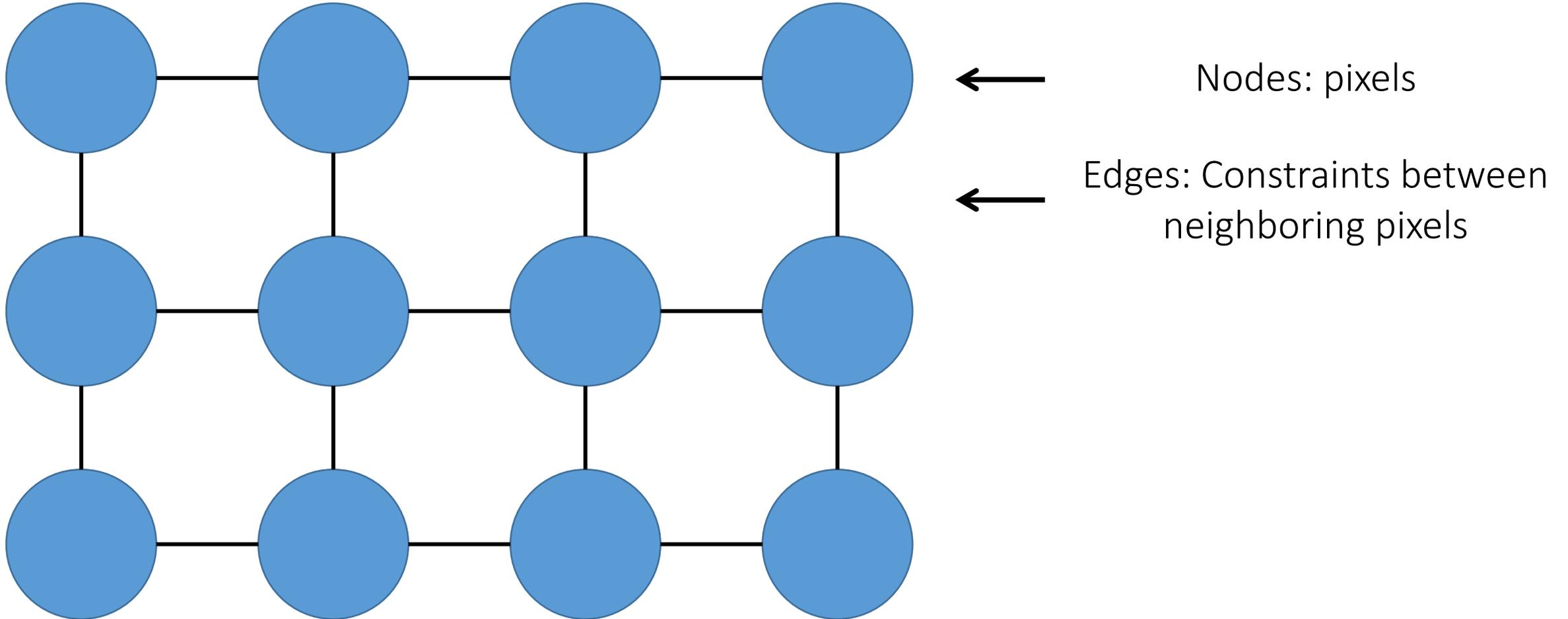
- Make this real-time for interaction
- Define what makes a good boundary



Mortenson and Barrett (SIGGRAPH 1995)  
(you can tell it's old from the paper's low quality teaser figure)

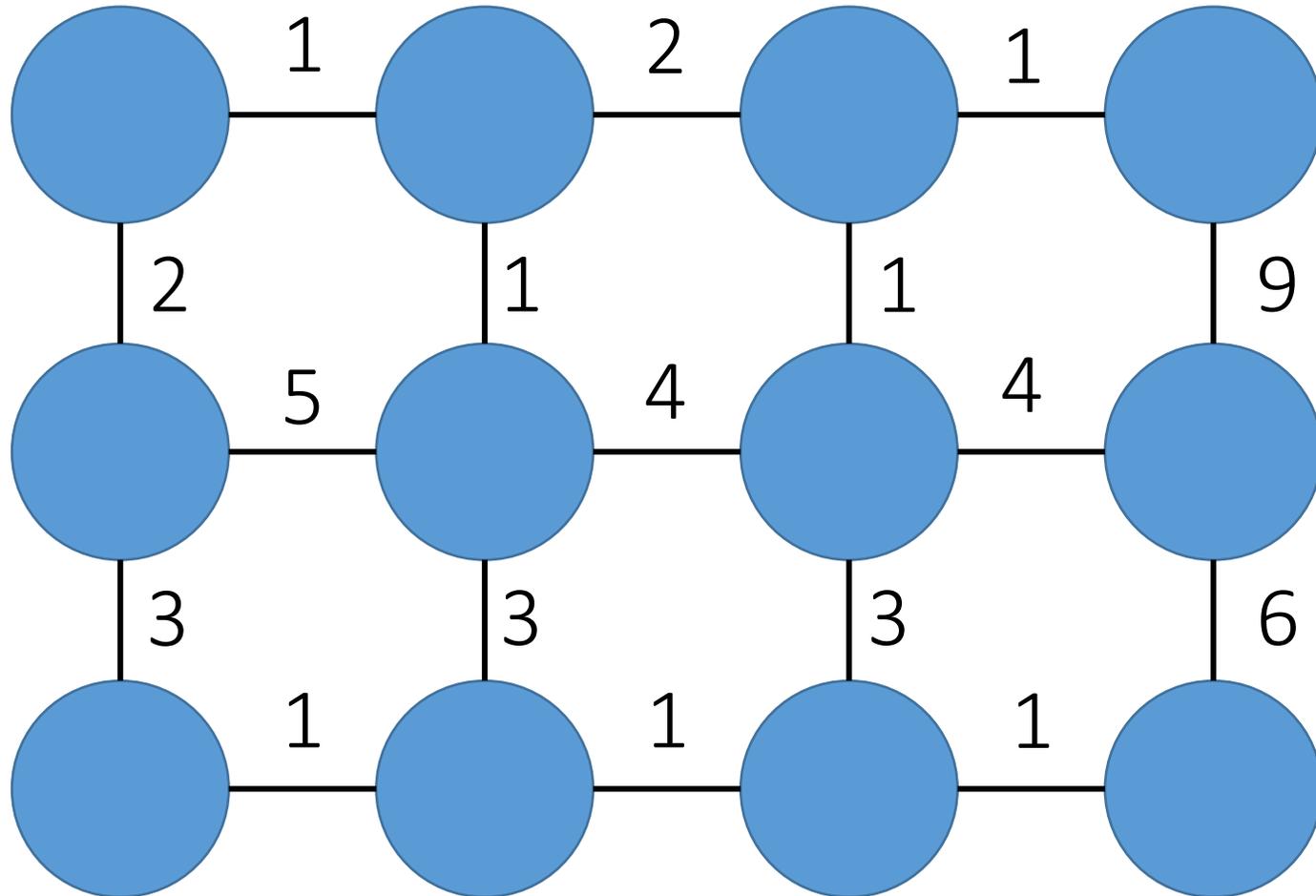
# Graph-view of this problem

Images can be viewed as graphs



# Graph-view of this problem

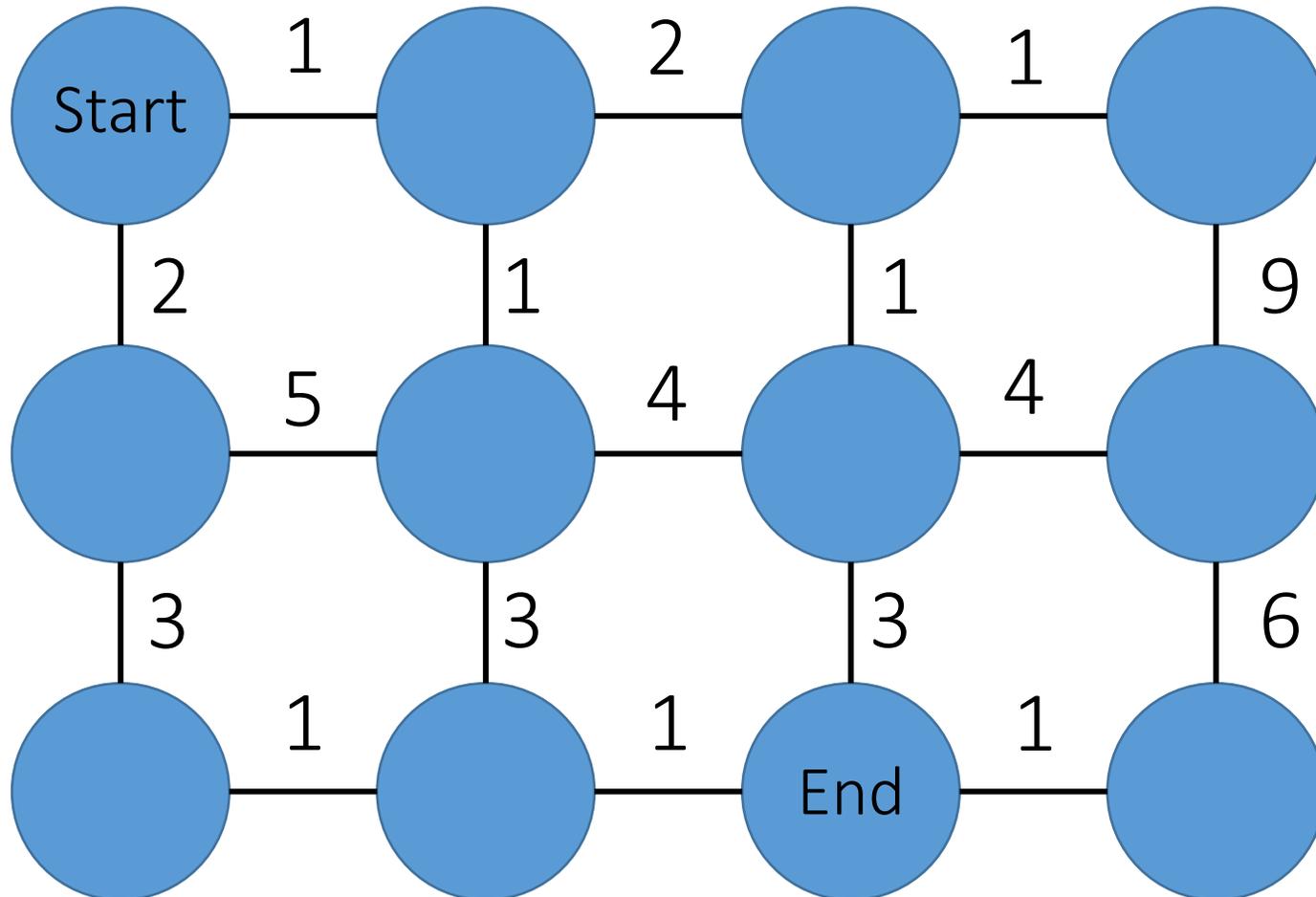
Graph-view of intelligent scissors:



1. Assign weights (costs) to edges

# Graph-view of this problem

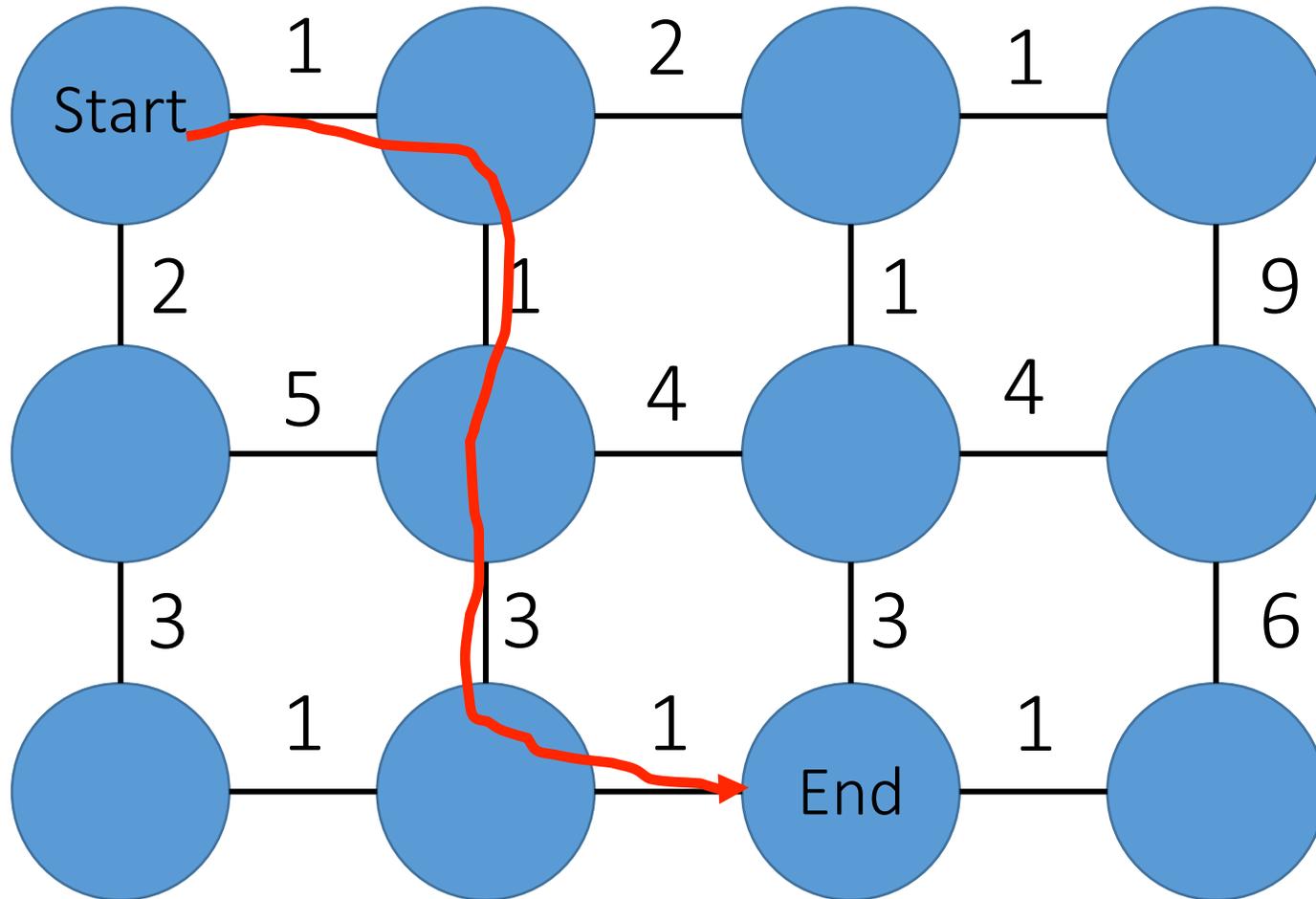
Graph-view of intelligent scissors:



1. Assign weights (costs) to edges
2. Select the seed nodes

# Graph-view of this problem

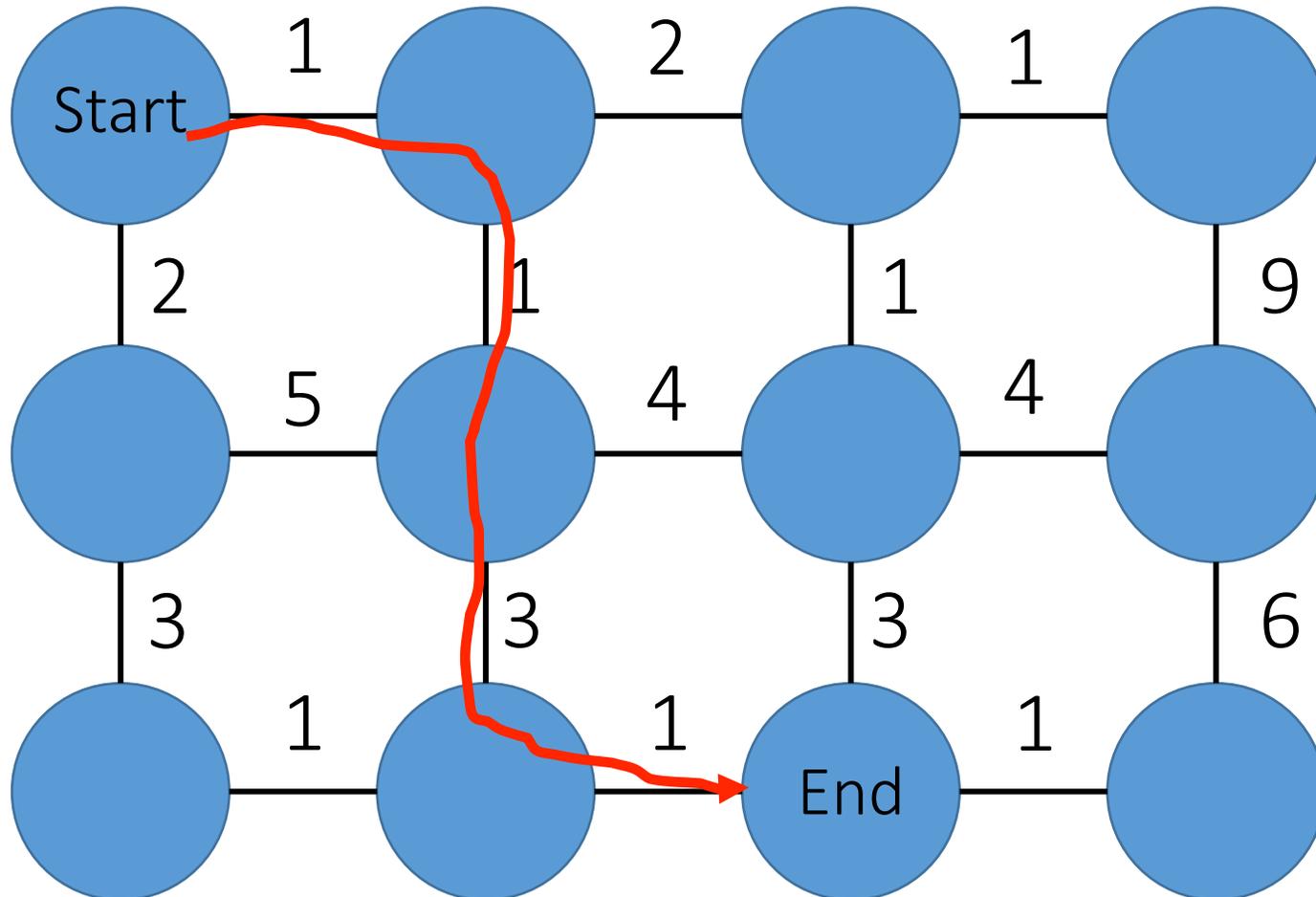
Graph-view of intelligent scissors:



1. Assign weights (costs) to edges
2. Select the seed nodes
3. Find shortest path between them

# Graph-view of this problem

Graph-view of intelligent scissors:

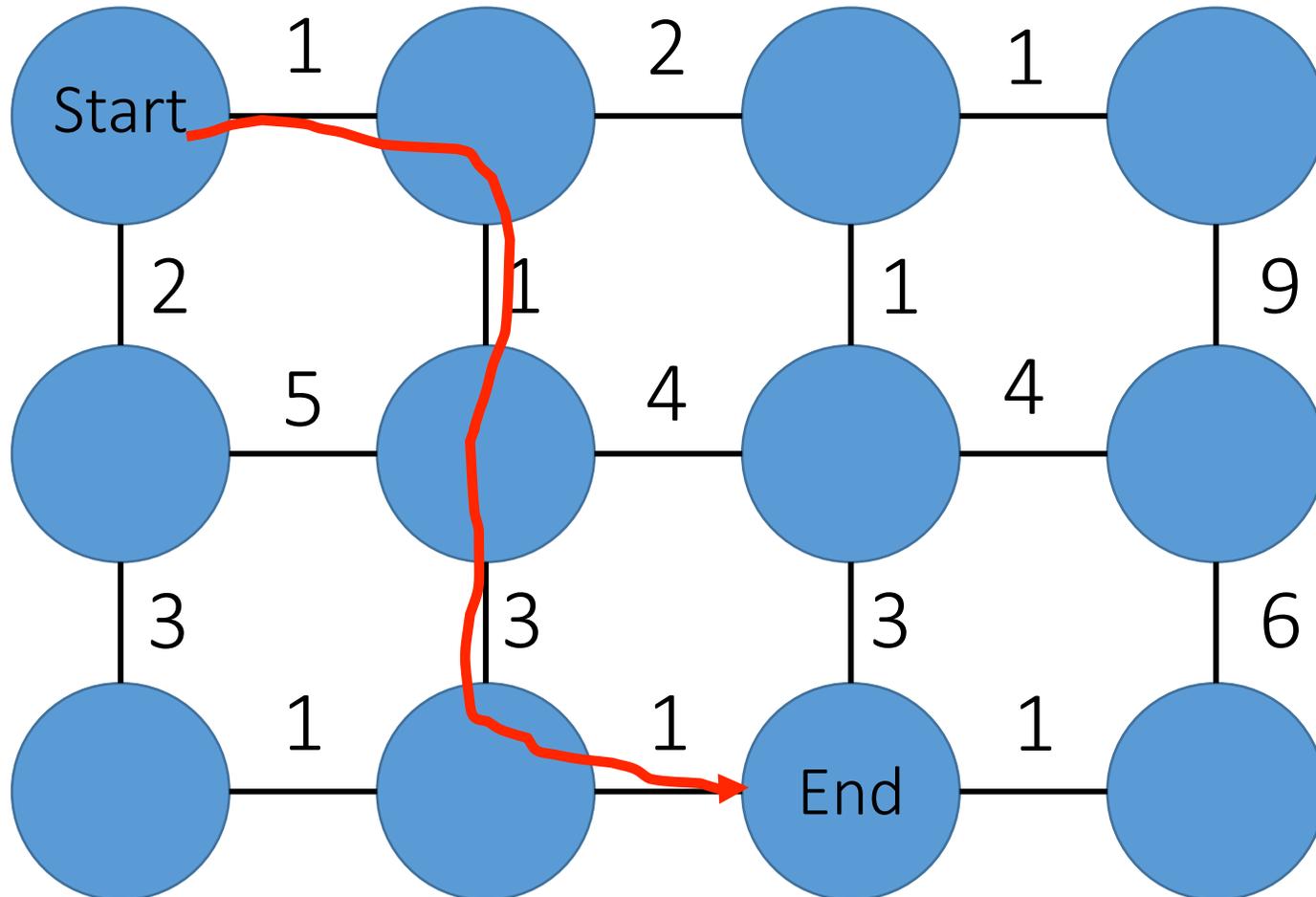


1. Assign weights (costs) to edges
2. Select the seed nodes
3. Find shortest path between them

What algorithm can we use to find the shortest path?

# Graph-view of this problem

Graph-view of intelligent scissors:



1. Assign weights (costs) to edges
2. Select the seed nodes
3. Find shortest path between them

What algorithm can we use to find the shortest path?

- Dijkstra's algorithm (dynamic programming)

# Dijkstra's shortest path algorithm

**Initialize**, given seed  $s$  (*pixel ID*):

- $\text{cost}(s) = 0$                    % total cost from seed to this point
- $\text{cost}(!s) = \text{big}$
- $\mathbf{A} = \{\text{all pixels}\}$            % set to be expanded
- $\text{prev}(s) = \text{undefined}$        % pointer to pixel that leads to  $q=s$

Precompute  $\text{cost}_2(q, r)$    % cost between  $q$  to neighboring pixel  $r$

**Loop** while  $\mathbf{A}$  is not empty

1.  $q =$  pixel in  $\mathbf{A}$  with lowest cost

2. Remove  $q$  from  $\mathbf{A}$

3. For each pixel  $r$  in neighborhood of  $q$  that is in  $\mathbf{A}$

a)  $\text{cost\_tmp} = \text{cost}(q) + \text{cost}_2(q, r)$  %this updates the costs

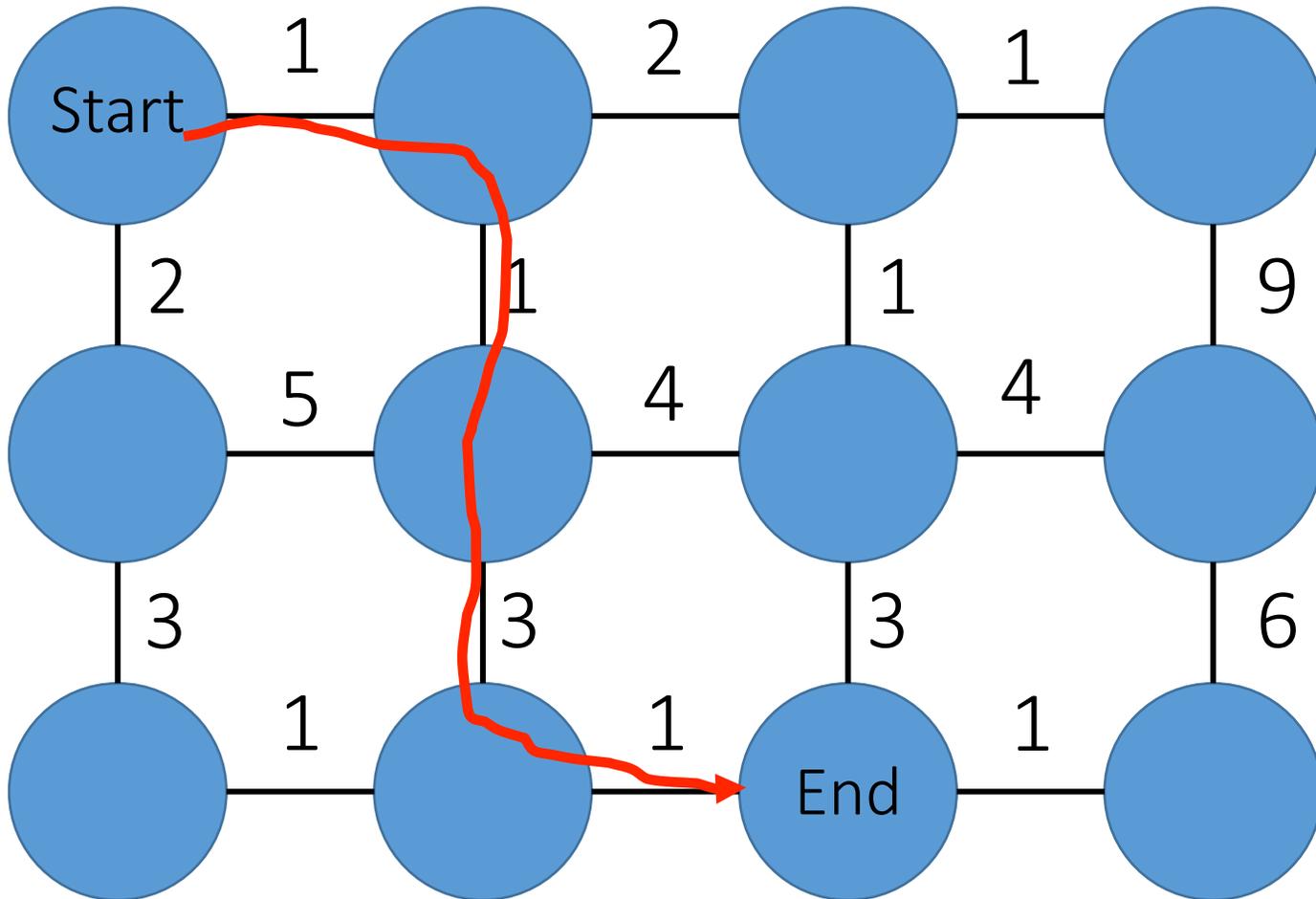
b) if ( $\text{cost\_tmp} < \text{cost}(r)$ )

    i.  $\text{cost}(r) = \text{cost\_tmp}$

    ii.  $\text{prev}(r) = q$

# Graph-view of this problem

Graph-view of intelligent scissors:



1. Assign weights (costs) to edges
2. Select the seed nodes
3. Find shortest path between them

What algorithm can we use to find the shortest path?

- Dijkstra's algorithm (dynamic programming)

How should we select the edge weights to get good boundaries?

# Selecting edge weights

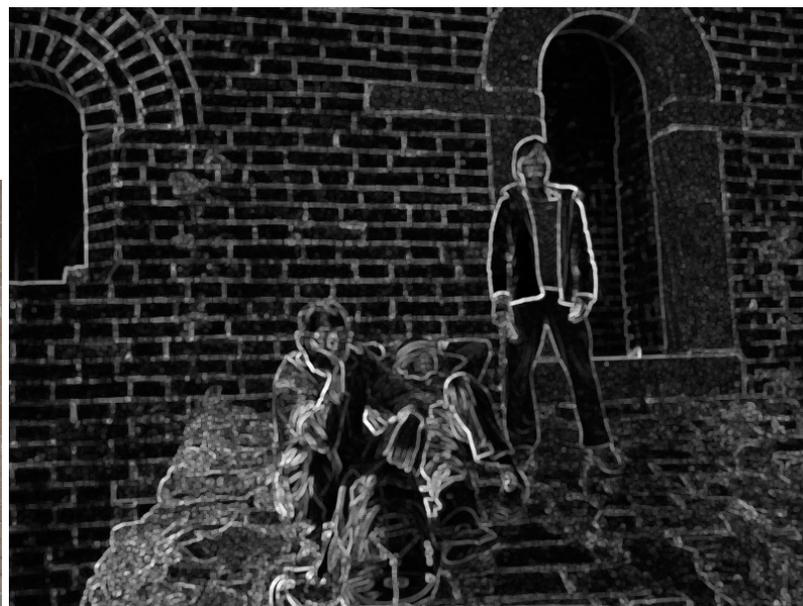
Define boundary cost between neighboring pixels:

1. Lower if an image edge is present (e.g., as found by Sobel filtering).
2. Lower if the gradient magnitude at that point is strong.
3. Lower if gradient is similar in boundary direction.



# Selecting edge weights

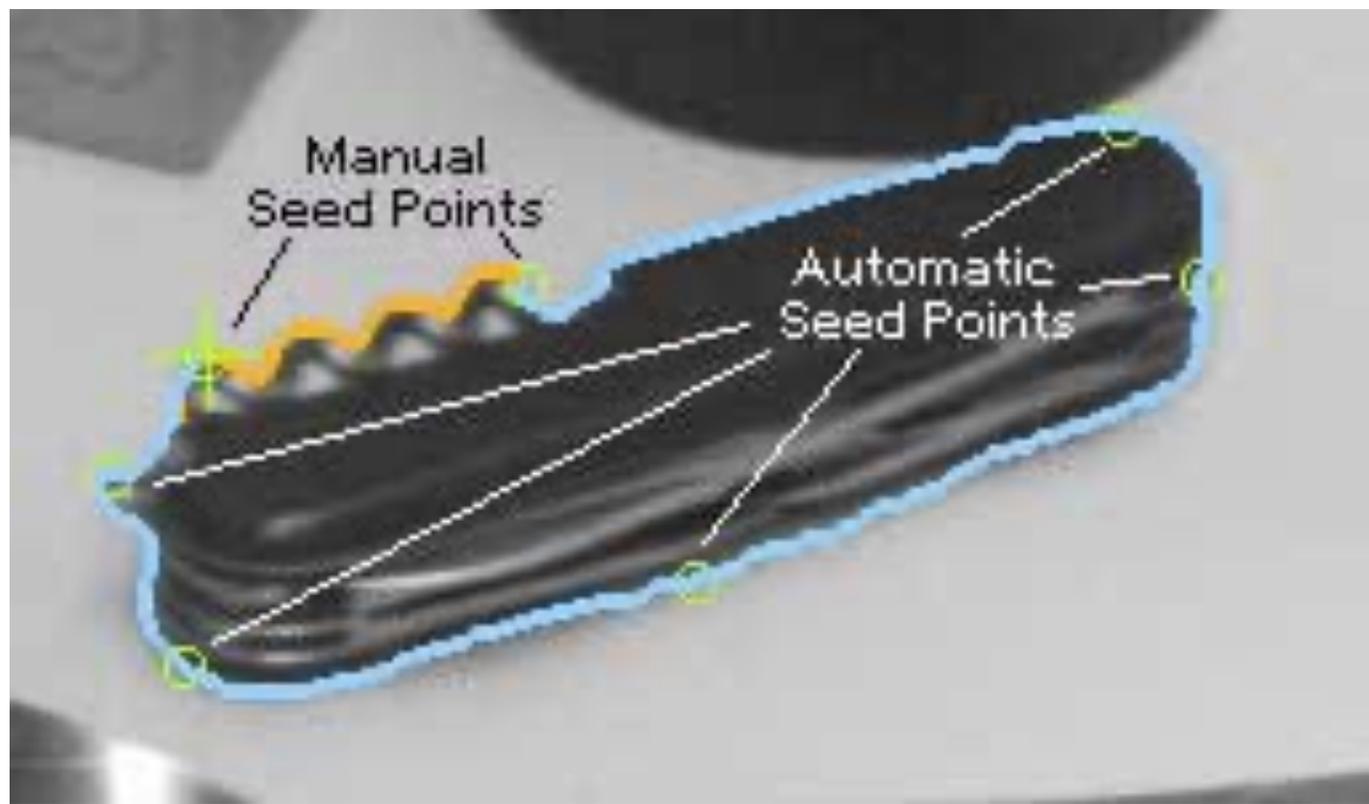
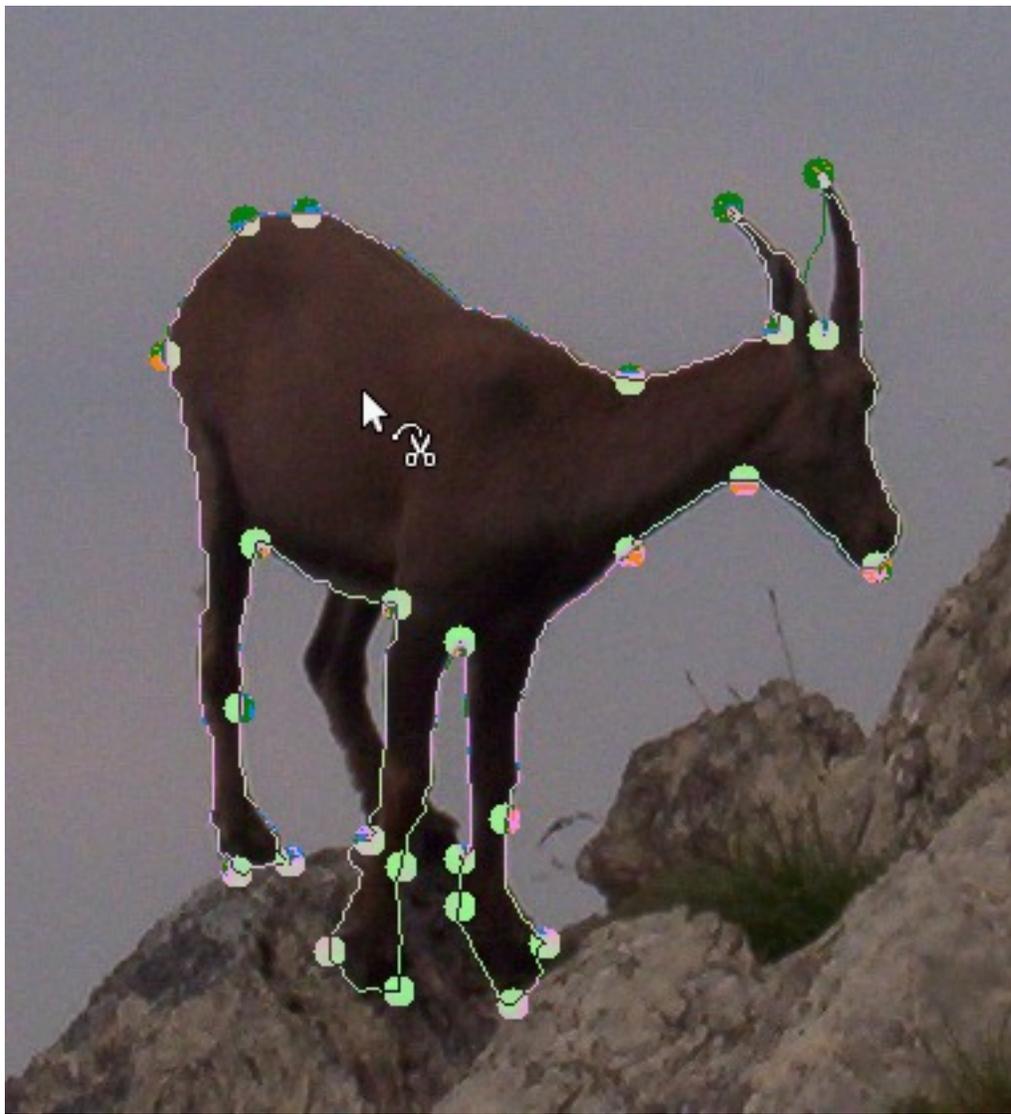
Gradient magnitude



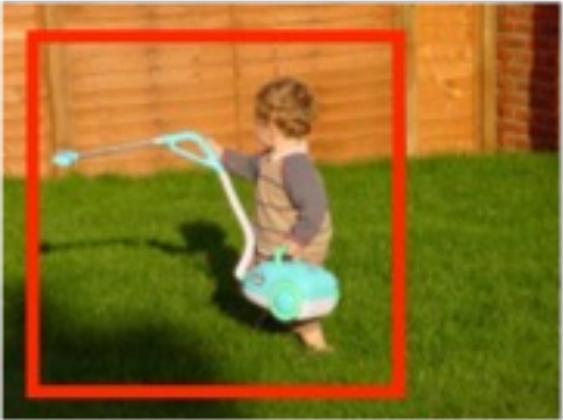
Pixel-wise cost

Edge image

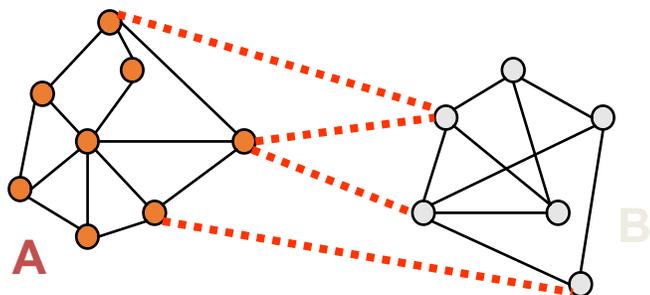




# More Advanced Graph-based Segmentations...



# Normalized Cut (CVPR 1997, TPAMI 2000)



- a cut penalizes large segments
- fix by normalizing for size of segments

$$Ncut(A, B) = \frac{cut(A, B)}{volume(A)} + \frac{cut(A, B)}{volume(B)}$$

- $volume(A)$  = sum of costs of all edges that touch A





The University of Texas at Austin  
**Electrical and Computer  
Engineering**  
*Cockrell School of Engineering*